

New Physics searches using ProtoDUNE & the SPS accelerator

Jacobo López-Pavón

Based on a collaboration with
Pilar Coloma, Laura Molina-Bueno, Salvador Urrea
<https://arxiv.org/pdf/2304.06765.pdf>

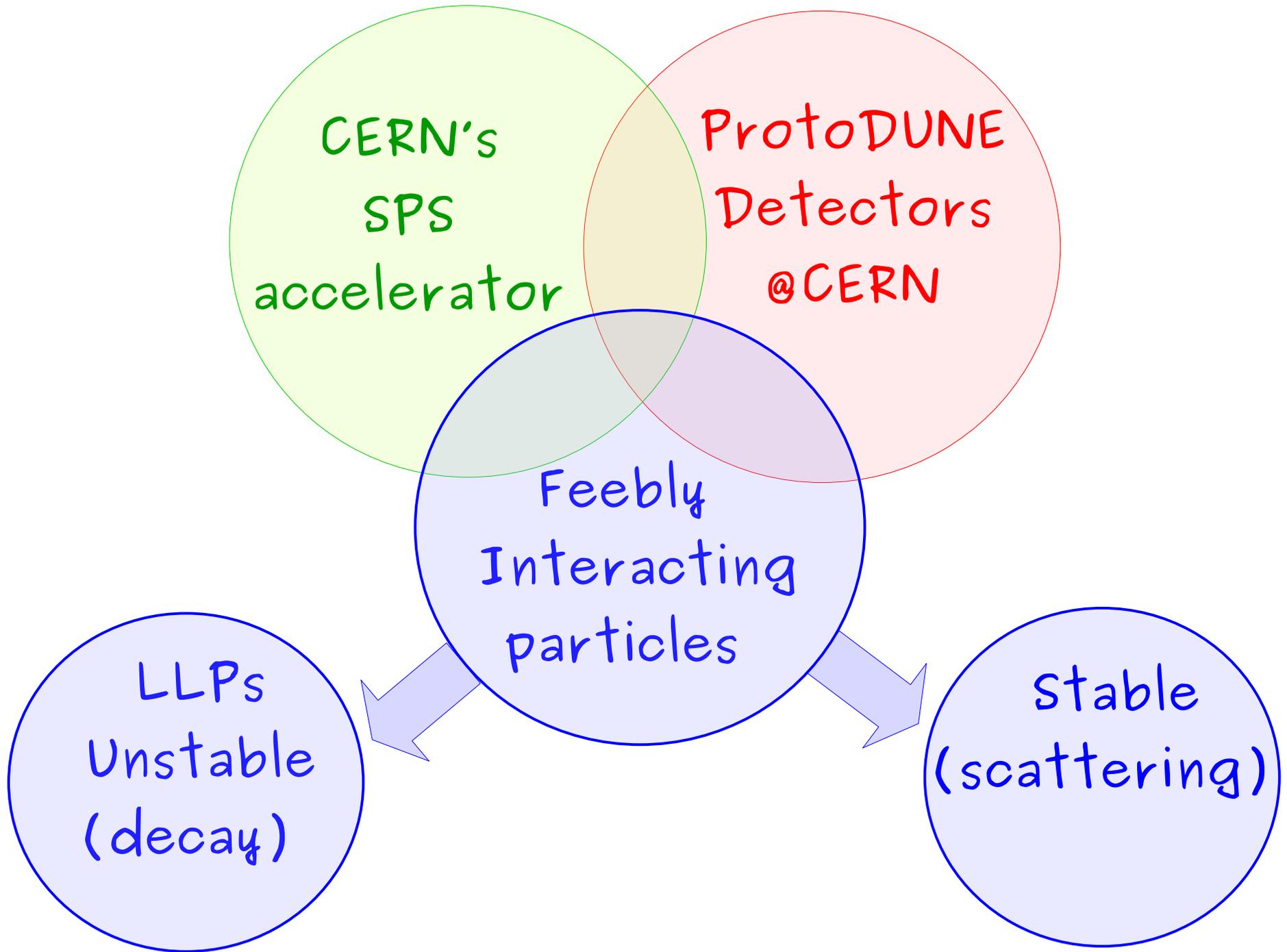
Workshop on the Standard Model & Beyond | CORFU 2023



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DE VALÈNCIA

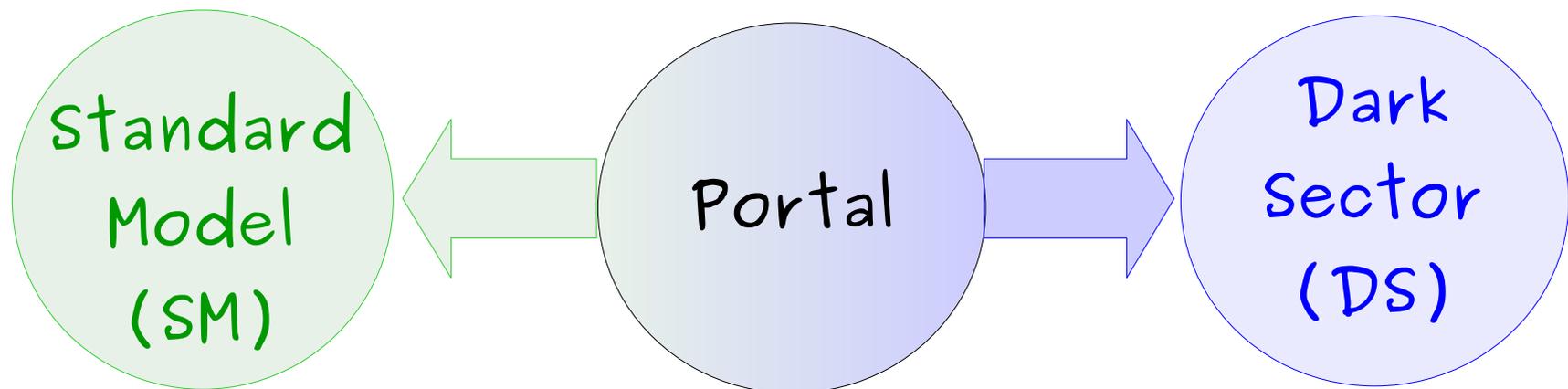
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Motivation: Feebly-interacting particles

New Physics at low energy scales might be the key to explain open questions as the **Dark Matter** problem or the **origin of neutrino masses** and **baryon asymmetry**.

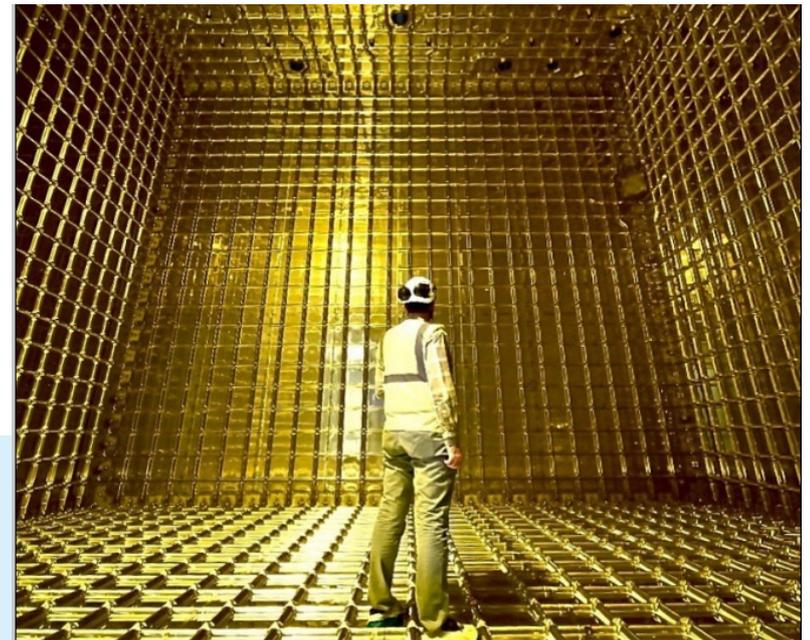


Vector: **Dark Photon**
Scalar: **Dark Higgs**
Pseudo-scalar: **ALPs**
Fermion: **Heavy Neutral Leptons (HNLs)**

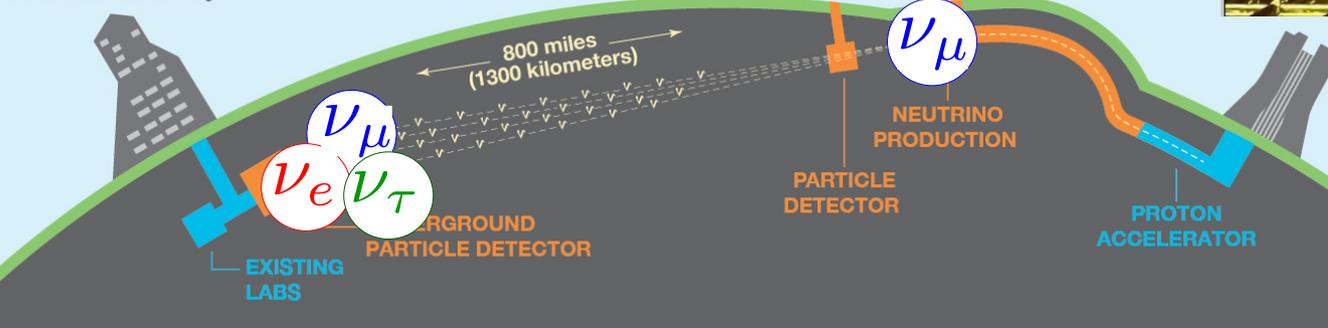
See for instance FIPs workshop reports 2102.12143 and 2305.01715

Motivation

ProtoDUNE detectors, already located at CERN, are two kiloton-scale liquid Argon Time Projection Chambers (LArTPCs) constructed to prototype and consolidate the technology of the DUNE Far Detector

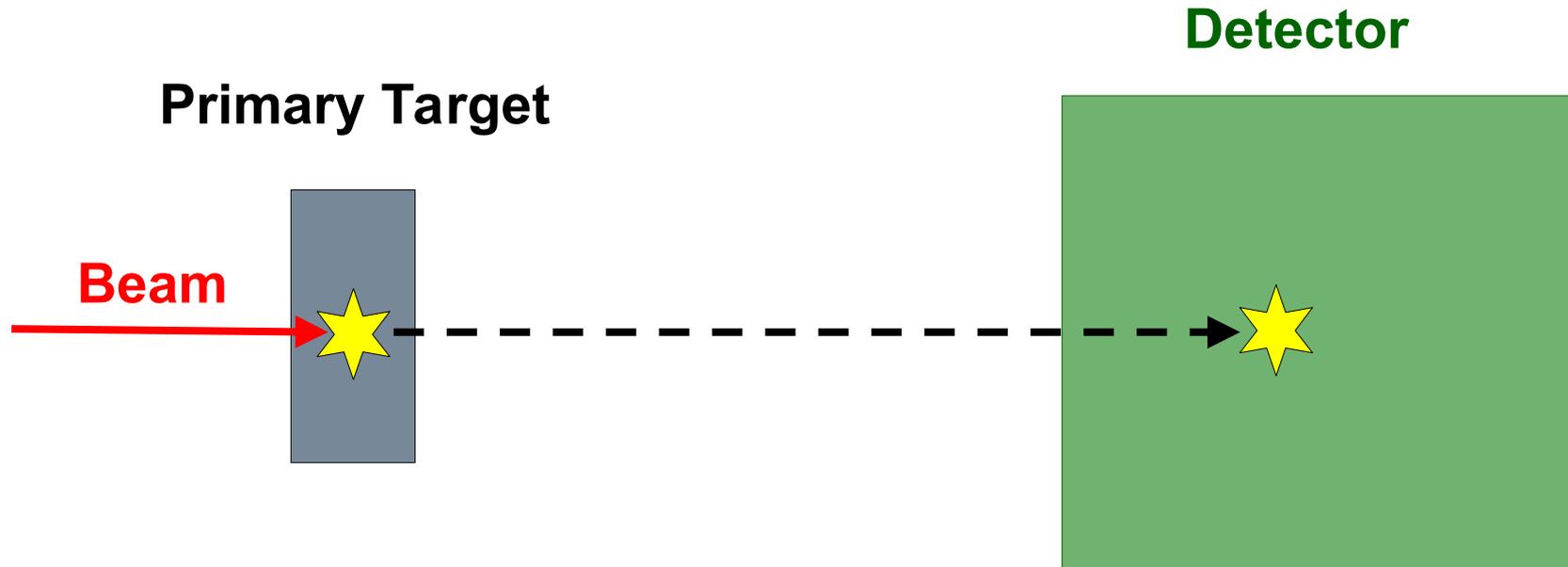


Sanford Underground
Research Facility



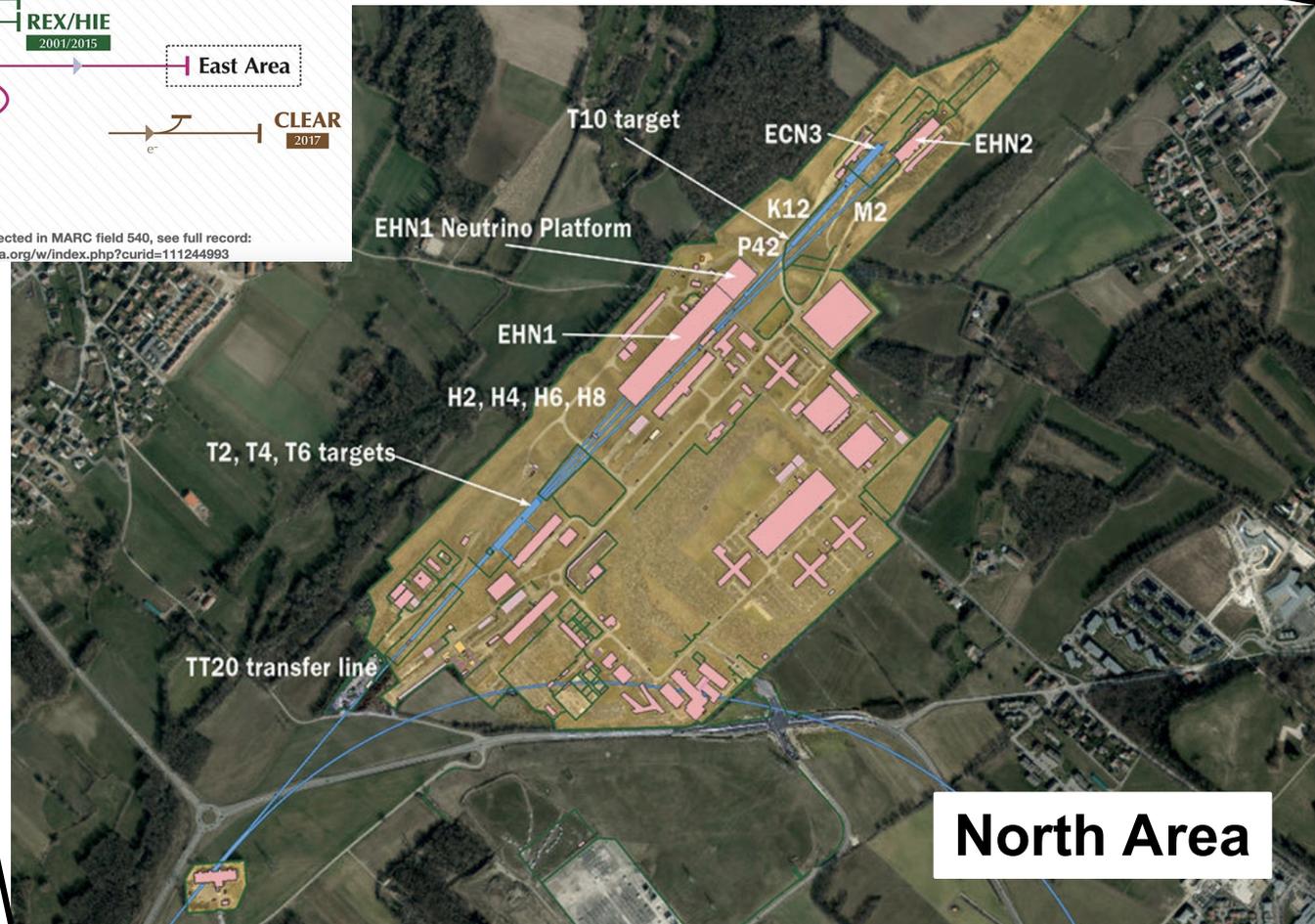
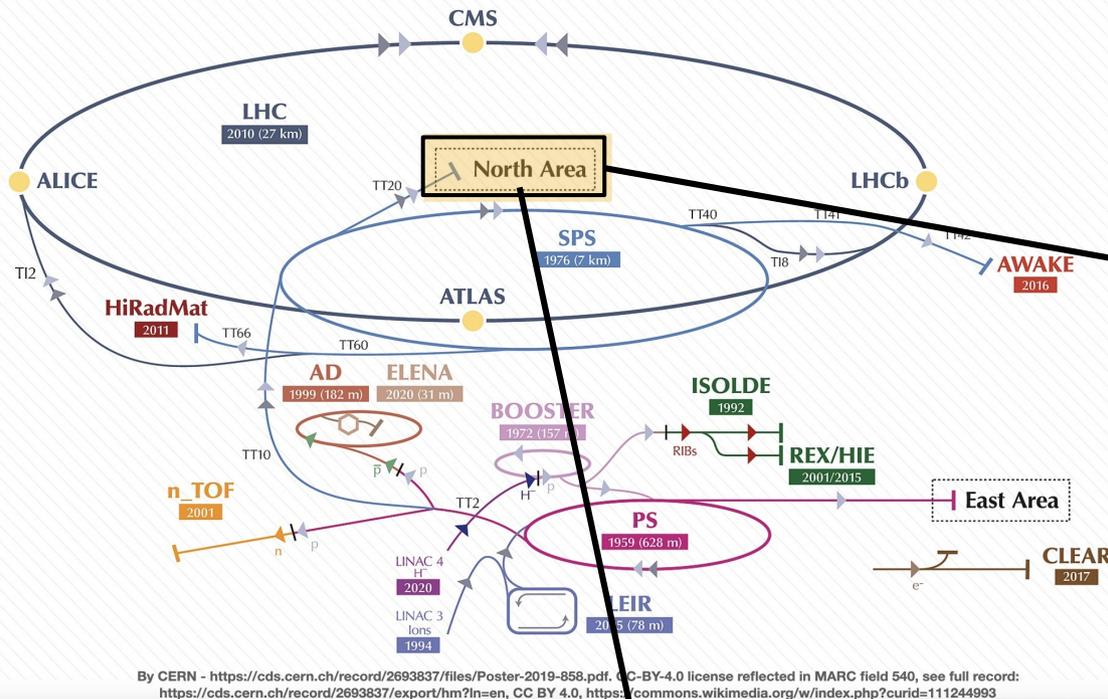
Motivation

Can ProtoDUNE detectors be used as a **beam dump facility** to search for new feebly interacting particles?



Some examples: NA62, FASER, DUNE near detector, HIKE, SHADOWS, SHiP...

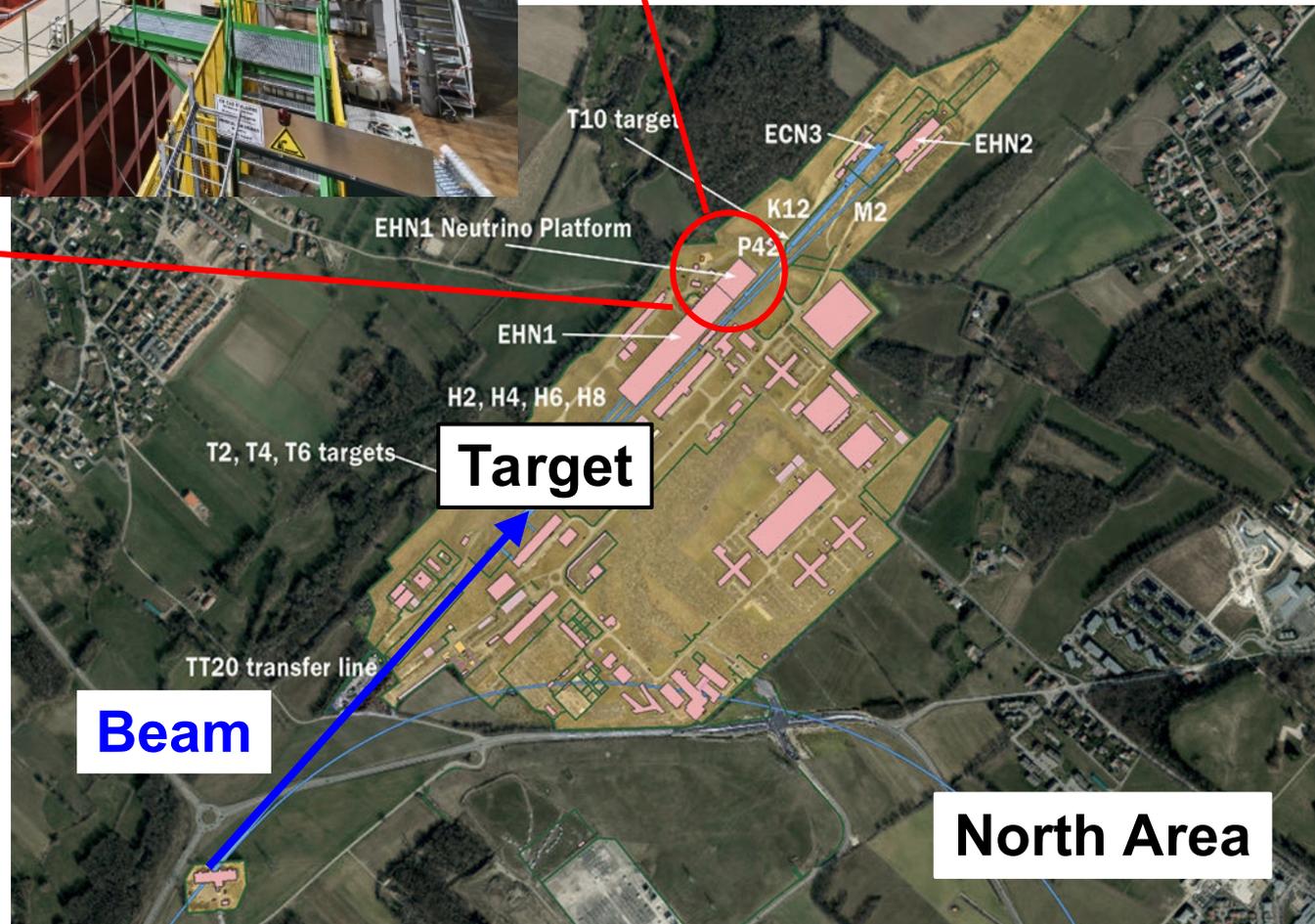
North Area & SPS accelerator @CERN



North Area & SPS accelerator @CERN



CERN Neutrino Platform
(ProtoDUNE detectors)

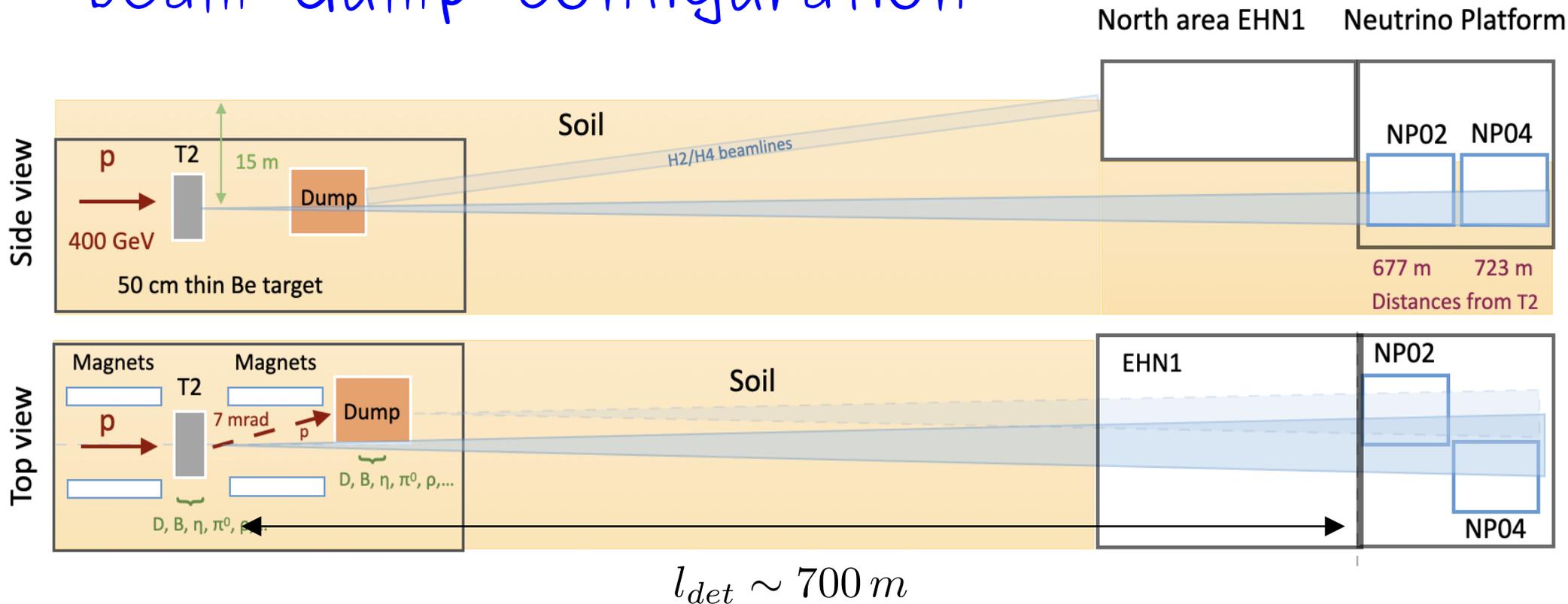


Target

Beam

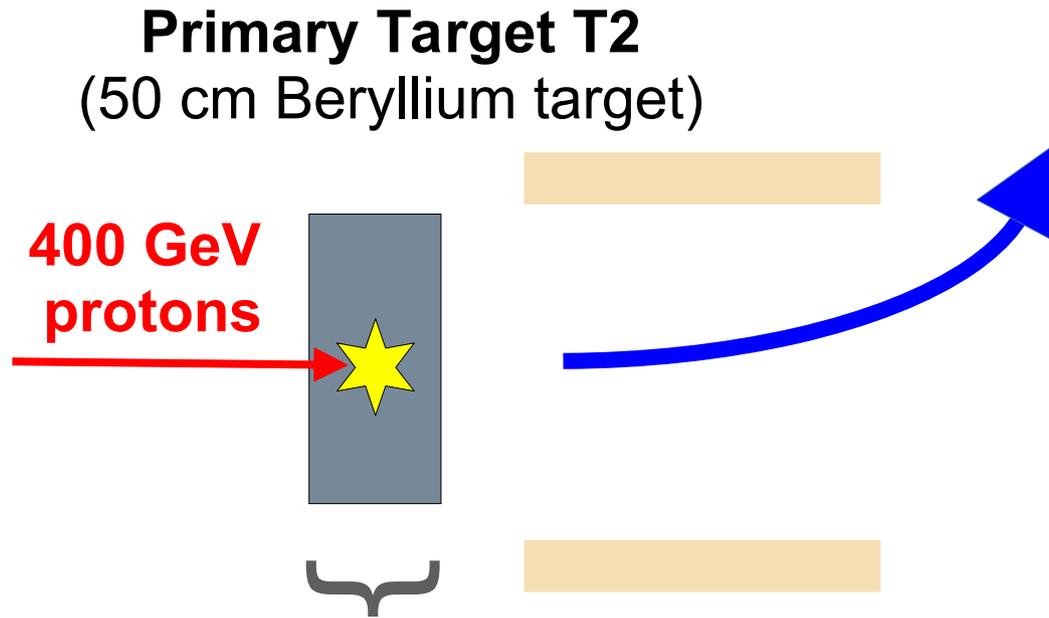
North Area

Beam dump configuration



- **Proton energy: 400 GeV** (instead of 80-120 GeV as in neutrino experiments)
- $\sim 5-7 \times 10^{12}$ protons/spill with a spill duration of 4.8 s $\rightarrow 3-5 \times 10^{18}$ PoT/year
- *No decay volume*
- *ProtoDUNE detectors*: Liquid Argon Time Projection Chambers with large fiducial volume and excellent imaging capabilities to identify decay products
- Detectors at the surface. Cosmic-rays expected dominant background source.

Production



Charged kaons and pions
deviated with magnets

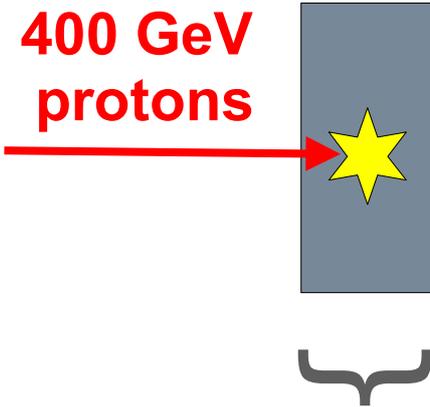
**SM neutrino background
significantly reduced.**

Products from proton interactions
with a target (only **neutral and short-
lived mesons M** can be in principle
exploited)

(D , D_s , B , Y , J/Ψ , η , η' , π^0 , ρ , ...)

Production

Primary Target T2
(50 cm Beryllium target)



Meson production yield Y_M
(normalised per PoT)

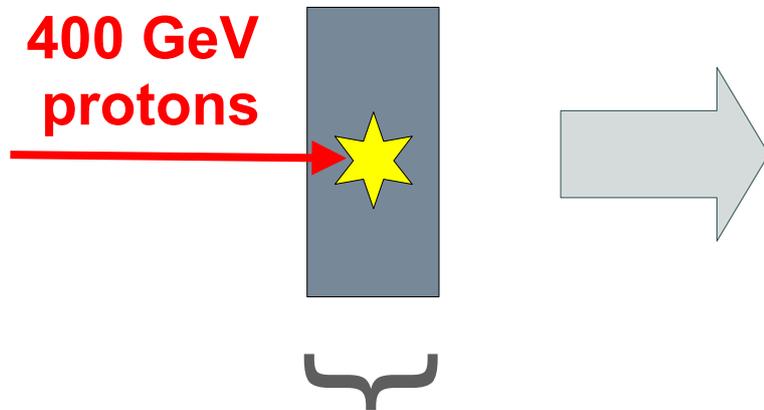
π^0	η	η'	D	D_s	τ
4.03	0.46	0.05	$4.8 \cdot 10^{-4}$	$1.4 \cdot 10^{-4}$	$7.4 \cdot 10^{-6}$
ρ	ω	ϕ	J/ψ	B	Υ
0.54	0.53	0.019	$4.4 \cdot 10^{-5}$	$1.2 \cdot 10^{-7}$	$2.3 \cdot 10^{-8}$

Products from proton interactions with a target (only **neutral and short-lived mesons M** can be in principle exploited)

(D , D_s , B , Υ , J/Ψ , η , η' , π^0 , ρ , ...)

1) Long Lived Particles (LLPs)

Primary Target T2
(50 cm Beryllium target)



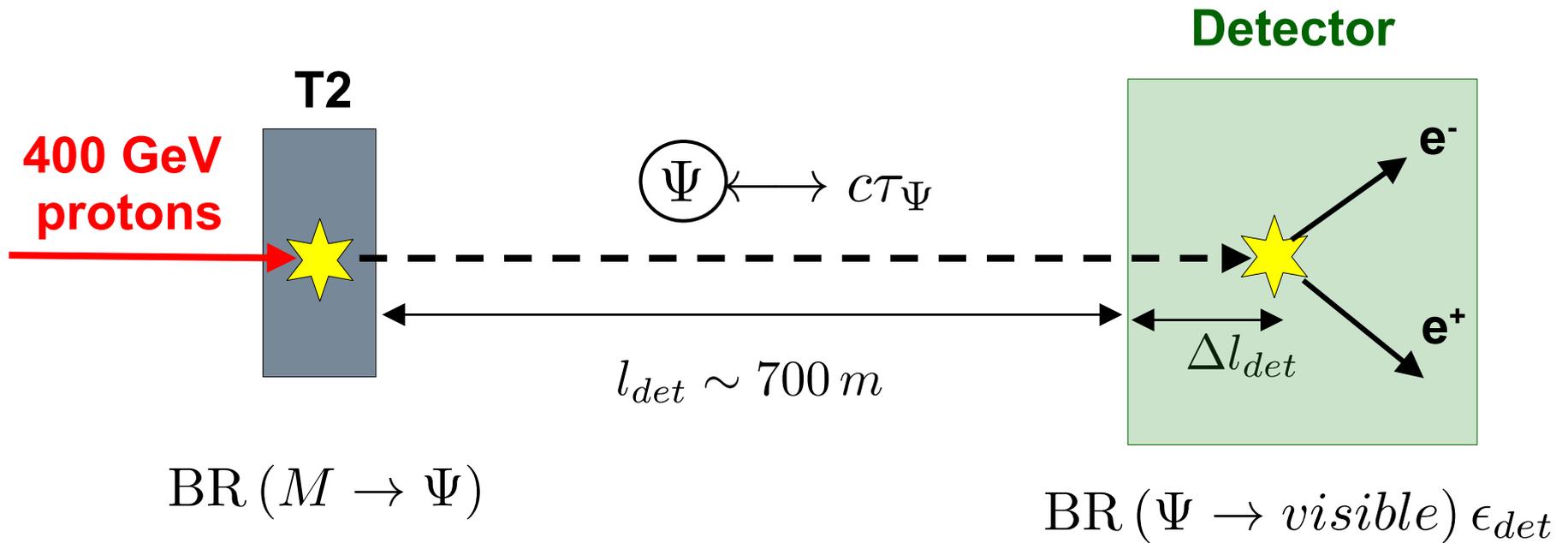
These mesons can decay in new unstable light particles Ψ generating an intense flux of LLPs

$$\text{BR} (M \rightarrow \Psi + \dots)$$

Products from proton interactions with a target (only **neutral and short-lived mesons M** can be in principle exploited)

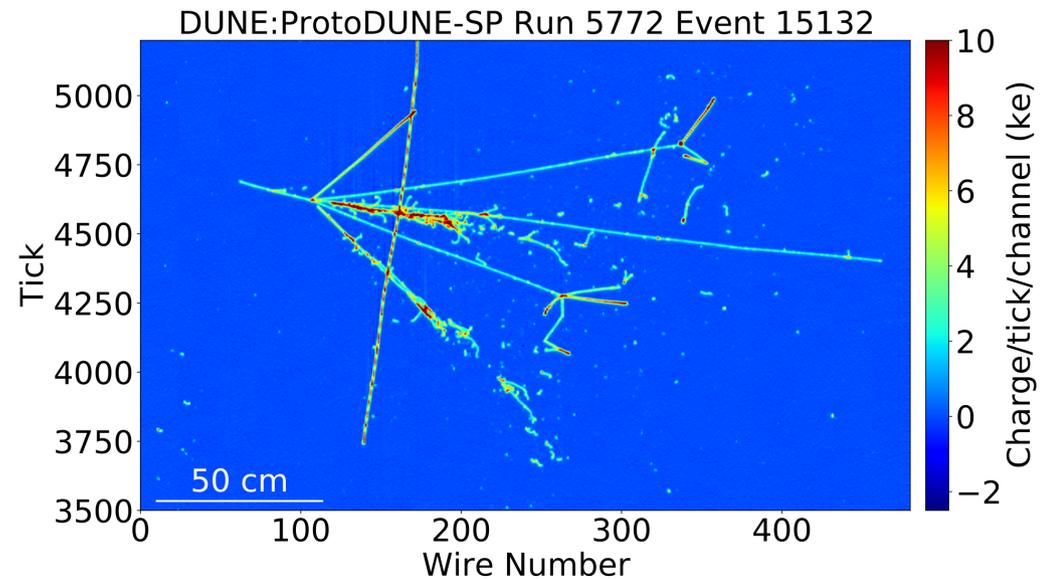
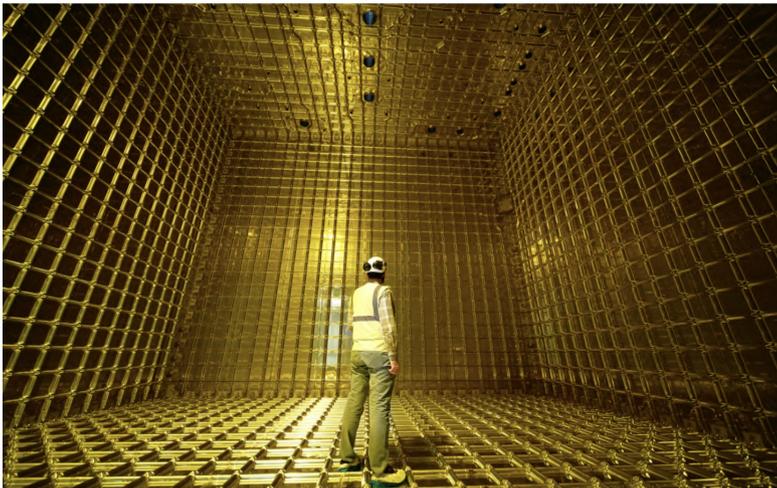
(D , D_s , B , Y , J/Ψ , η , η' , π^0 , ρ , ...)

1) LLPs: Model independent approach

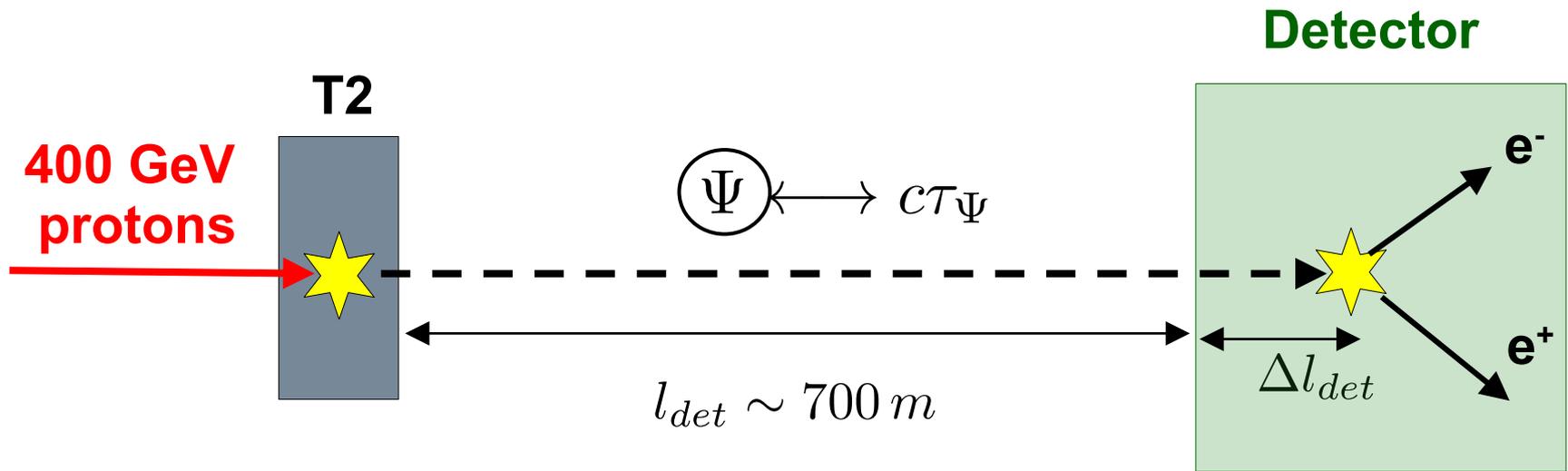


We considered only one detector

DUNE collaboration, JINST 15 (2020) no.12, P12004



1) LLPs: Model independent approach

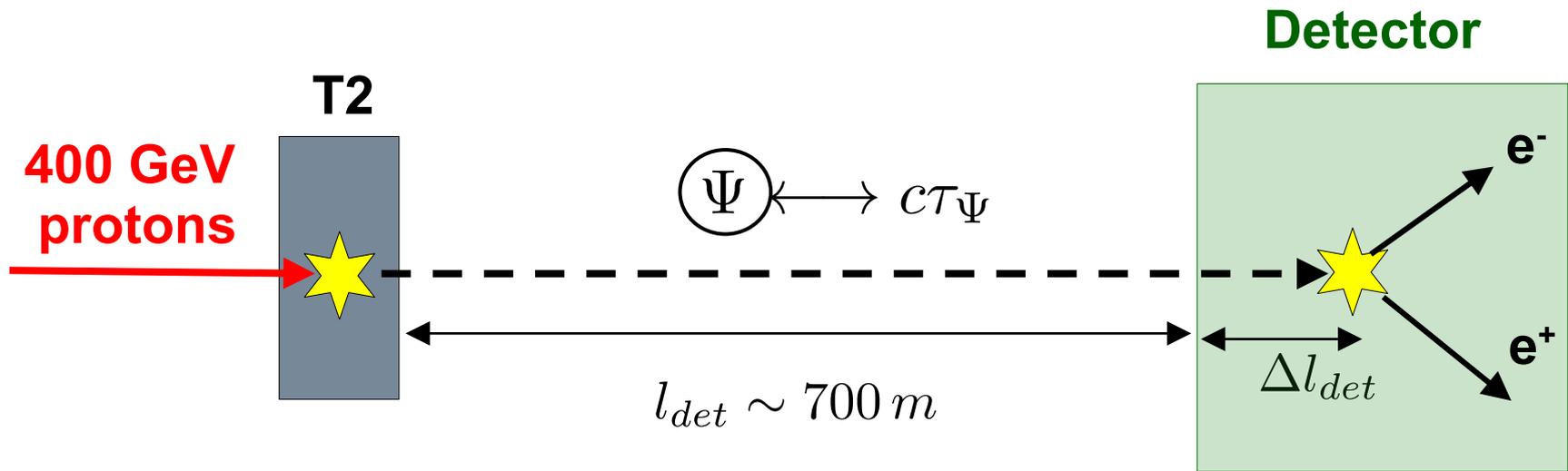


$$N_{dec} = N_{dec}^M \text{BR}(\Psi \rightarrow \text{visible}) \epsilon_{det}$$

$$N_{dec}^M = N_{PoT} Y_M \text{BR}(M \rightarrow \Psi) \int dS \int dE_\Psi \mathcal{P}(c\tau_\Psi/m_\Psi, E_\Psi, \Omega_\Psi) \frac{dn^{M \rightarrow \Psi}}{dE_\Psi dS}$$

$$\mathcal{P} = e^{\frac{-l_{det}}{L_\Psi}} \left(1 - e^{\frac{-\Delta l_{det}}{L_\Psi}} \right) \leftrightarrow L_\Psi = \gamma_\Psi \beta_\Psi c\tau_\Psi \simeq c\tau_\Psi E_\Psi / m_\Psi$$

1) LLPs: Model independent approach

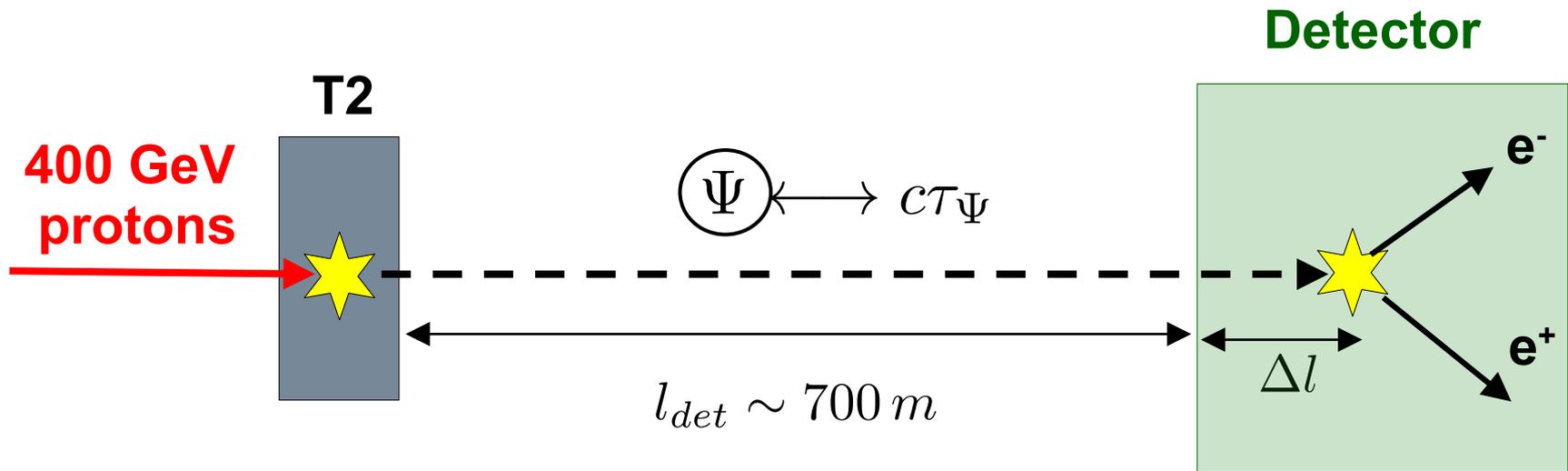


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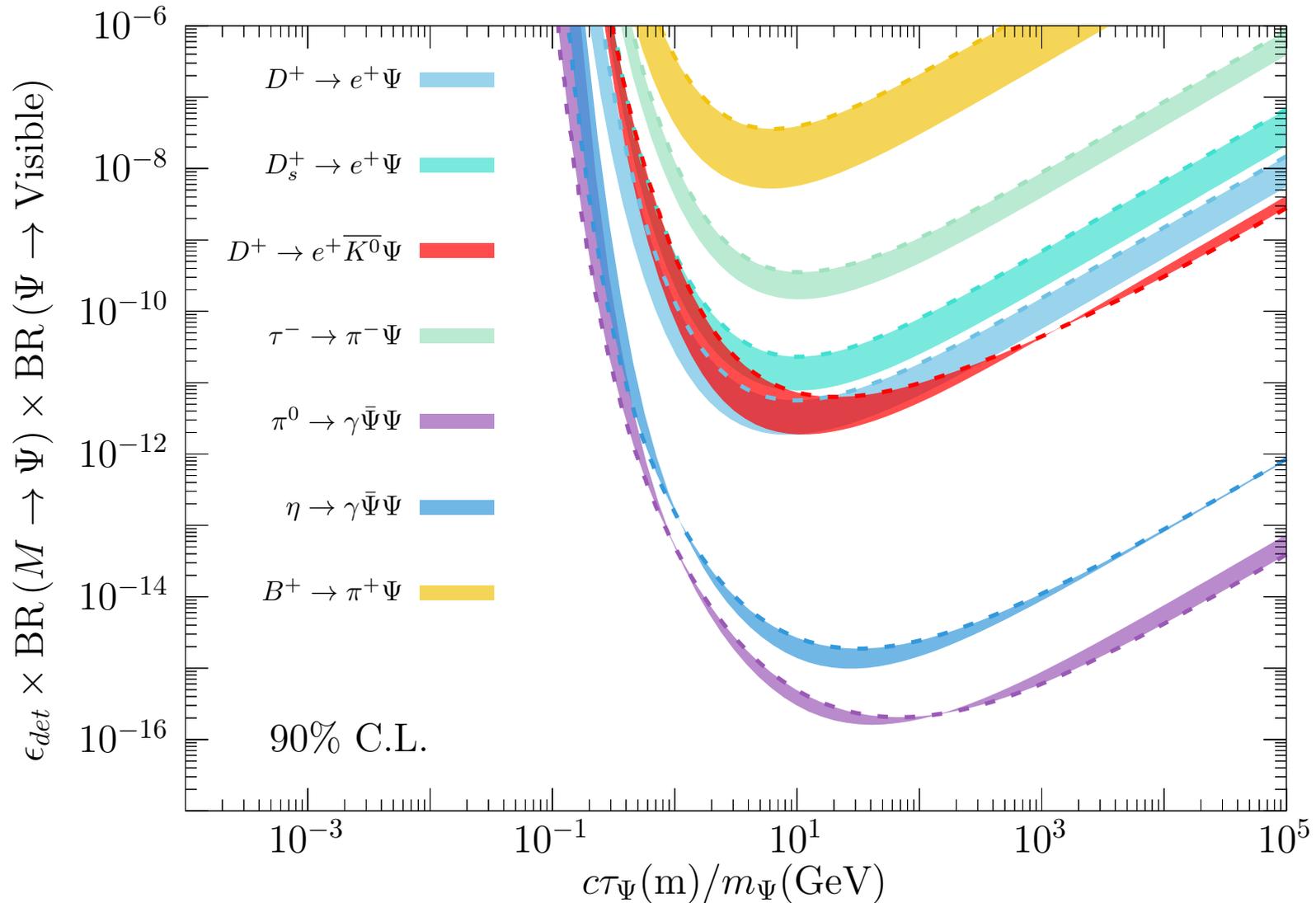
$$N_{dec} = N_{dec} (\text{BR}(M \rightarrow \Psi) \text{BR}(\Psi \rightarrow \text{visible}), c\tau_{\Psi}/m_{\Psi})$$

- Note that in the small coupling limit we have:

$$N_{dec}^M \simeq N_{\text{PoT}} Y_M \text{BR}(M \rightarrow \Psi) V_{det} \int \frac{dE_{\Psi}}{L_{\Psi}} \left\langle \frac{dn^{M \rightarrow \Psi}}{dE_{\Psi} dS} \right\rangle \propto V_{det} = S_{det} \Delta l_{det}$$

1) LLPs: Model independent approach

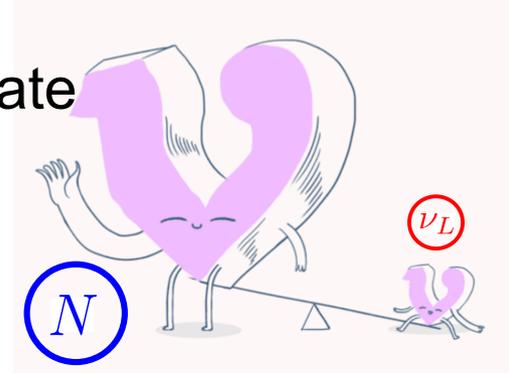
$$N_{dec} = N_{dec} (\text{BR}(M \rightarrow \Psi) \text{BR}(\Psi \rightarrow \text{visible}) \epsilon_{det}, c\tau_{\Psi}/m_{\Psi})$$



1) LLPs: Heavy Neutral Leptons

HNLs arising in low-scale seesaw models can accommodate **the origin of neutrino masses and baryon asymmetry**

$$\mathcal{L} \supset -\frac{m_W}{v} \bar{N} U_{\alpha 4}^* \gamma^\mu l_{L\alpha} W_\mu^+ - \frac{m_Z}{\sqrt{2}v} \bar{N} U_{\alpha 4}^* \gamma^\mu \nu_{L\alpha} Z_\mu$$



Minkowski 77; Gell-Mann, Ramond, Slansky 79, Yanagida 79; Mohapatra, Senjanovic 80
Fukujita, Yanagida 1986

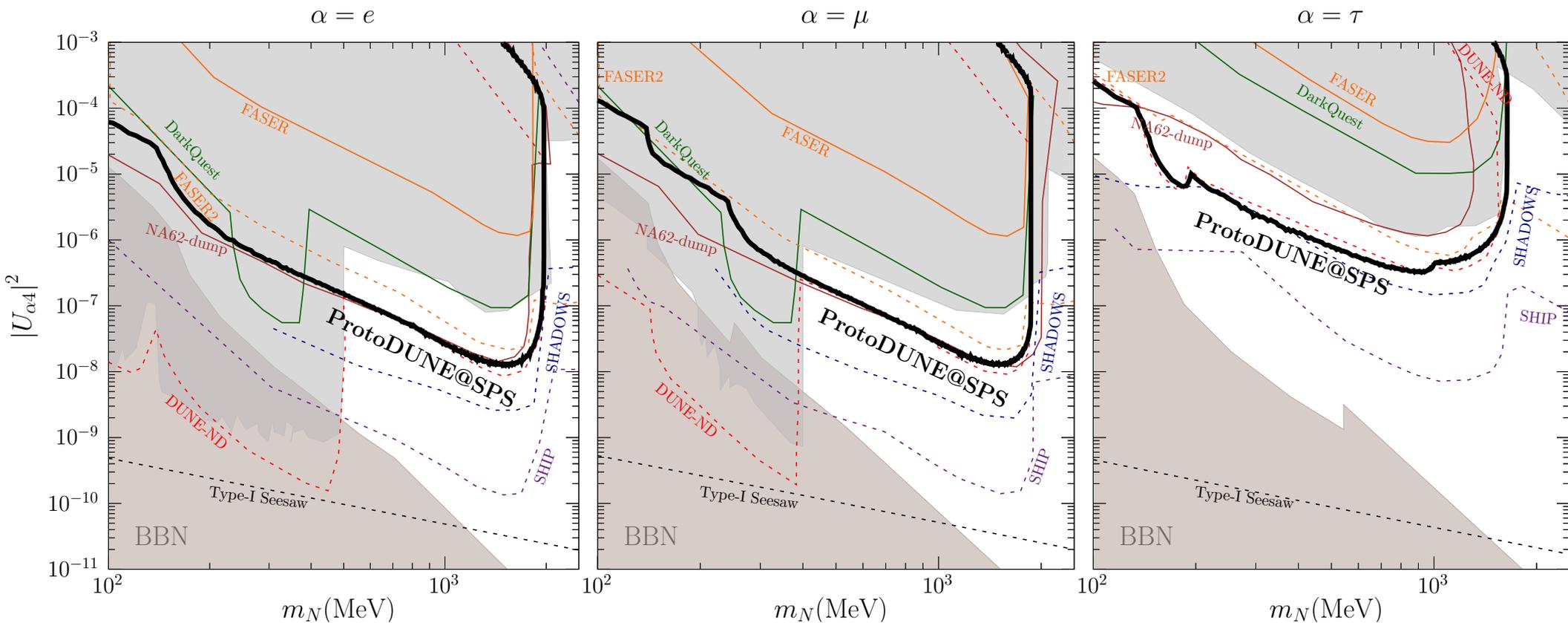
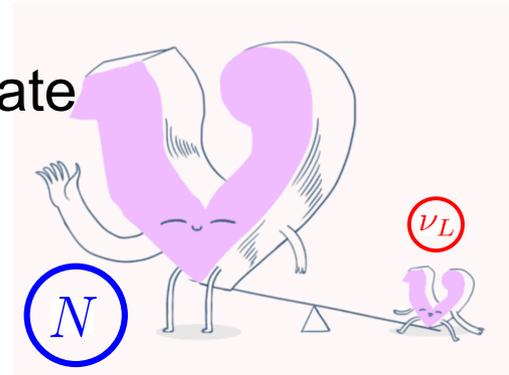
Mohapatra, Valle 86; Bernabeu, Santamaria, Vidal, Mendez, Valle 87; Malinsky, Romao, Valle 05.
Akhmedov, Rubakov, Smirnov (ARS), Asaka, Shaposhnikov

- We consider a **simplified scenario: one HNL mixing exclusively with one neutrino flavor**. As a better approximation to neutrino mass models pheno, two additional benchmarks have been recently proposed in [2207.02742](#)
- Production branching ratios and decay widths from [Coloma et al 2007.03701](#)
- A complete summary of the current experimental constraints can be found in <https://github.com/mhostert/Heavy-Neutrino-Limits>
Fernández-Martínez, González-López, Hernández-García, Hostert, JLP 2304.06772

1) LLPs: Heavy Neutral Leptons

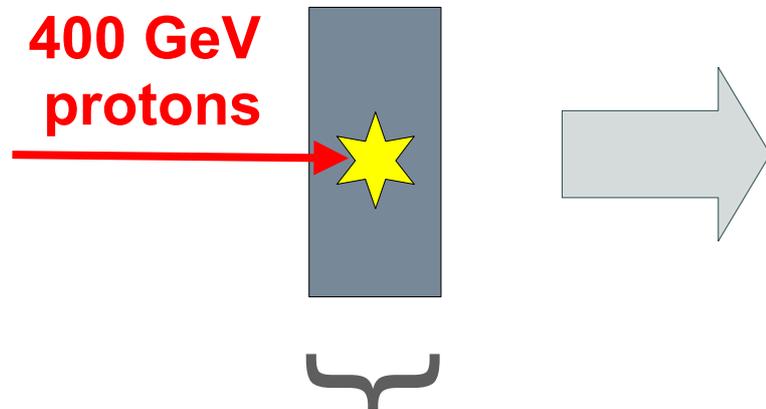
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2) Stable Particles

Primary Target T2
(50 cm Beryllium target)



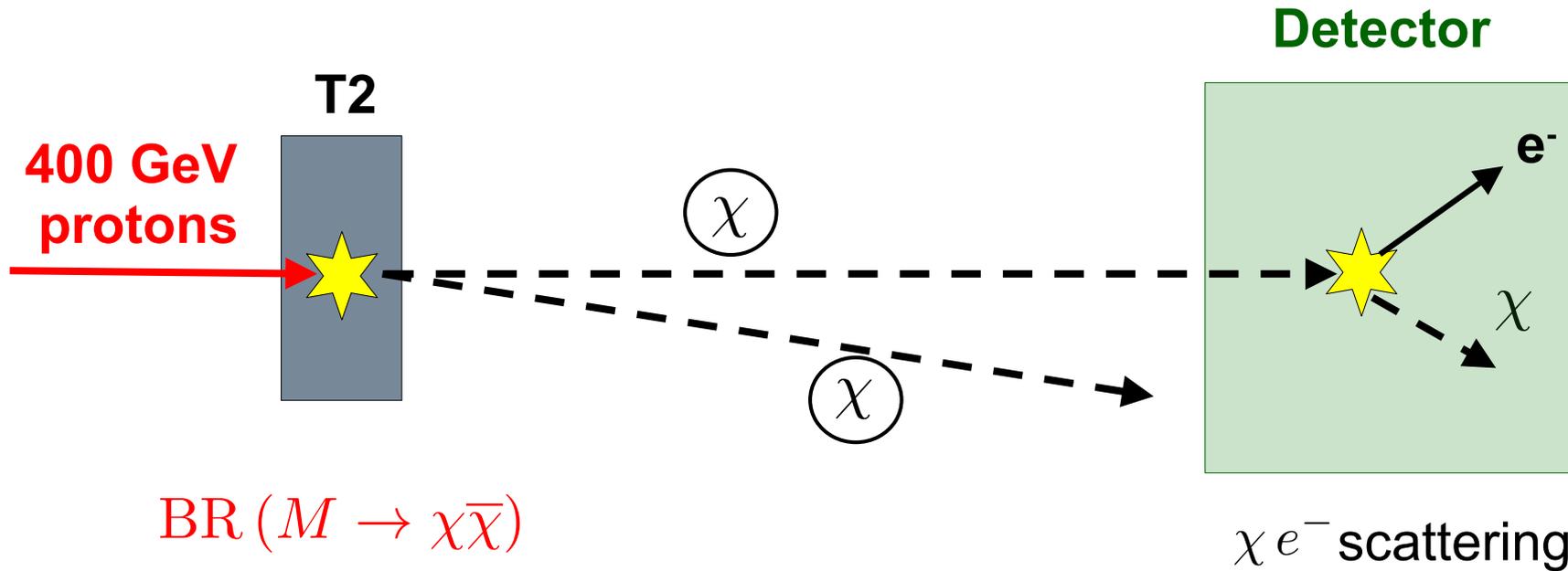
These mesons can also decay in
new stable light particles χ

$$\text{BR} (M \rightarrow \chi \bar{\chi} + \dots)$$

Products from proton interactions
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(D, D_s, B, Y, J/Ψ, η, η', π⁰, ρ, ...)

2) Stable Particles (model independent)

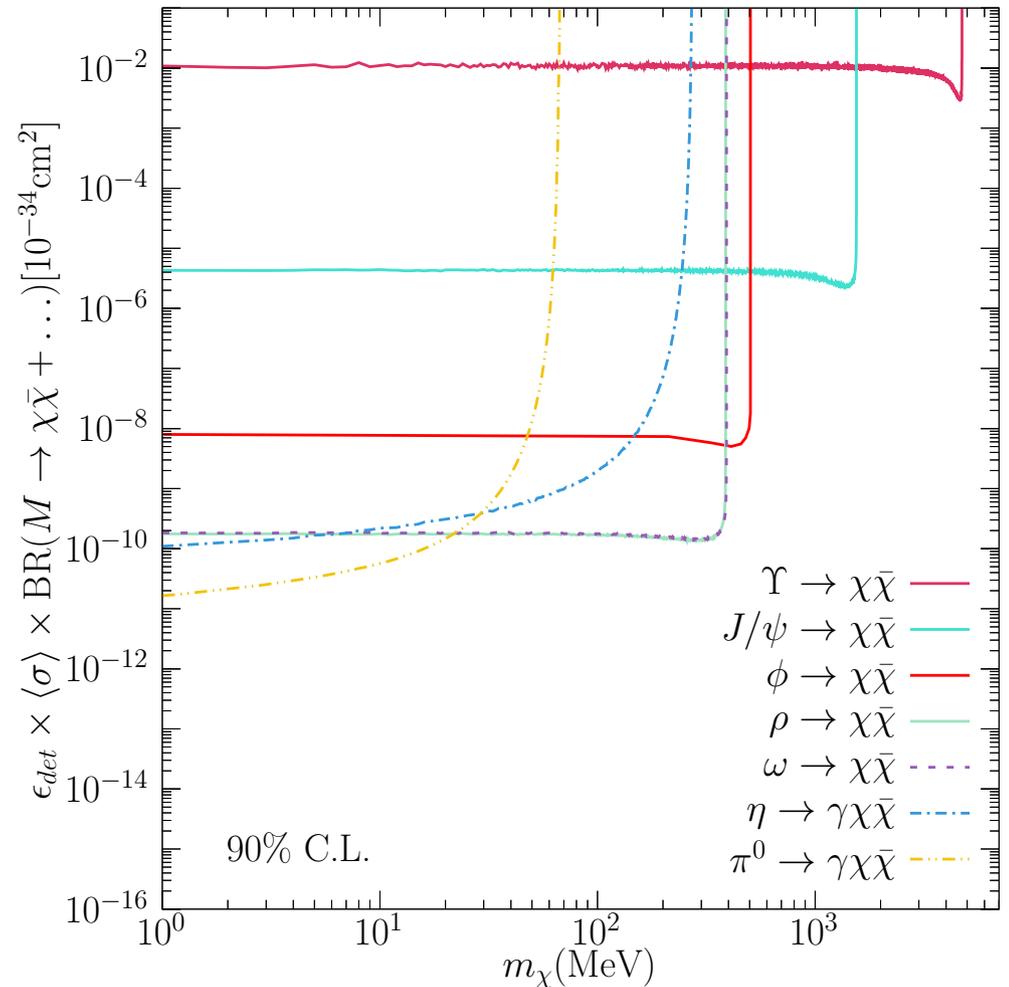
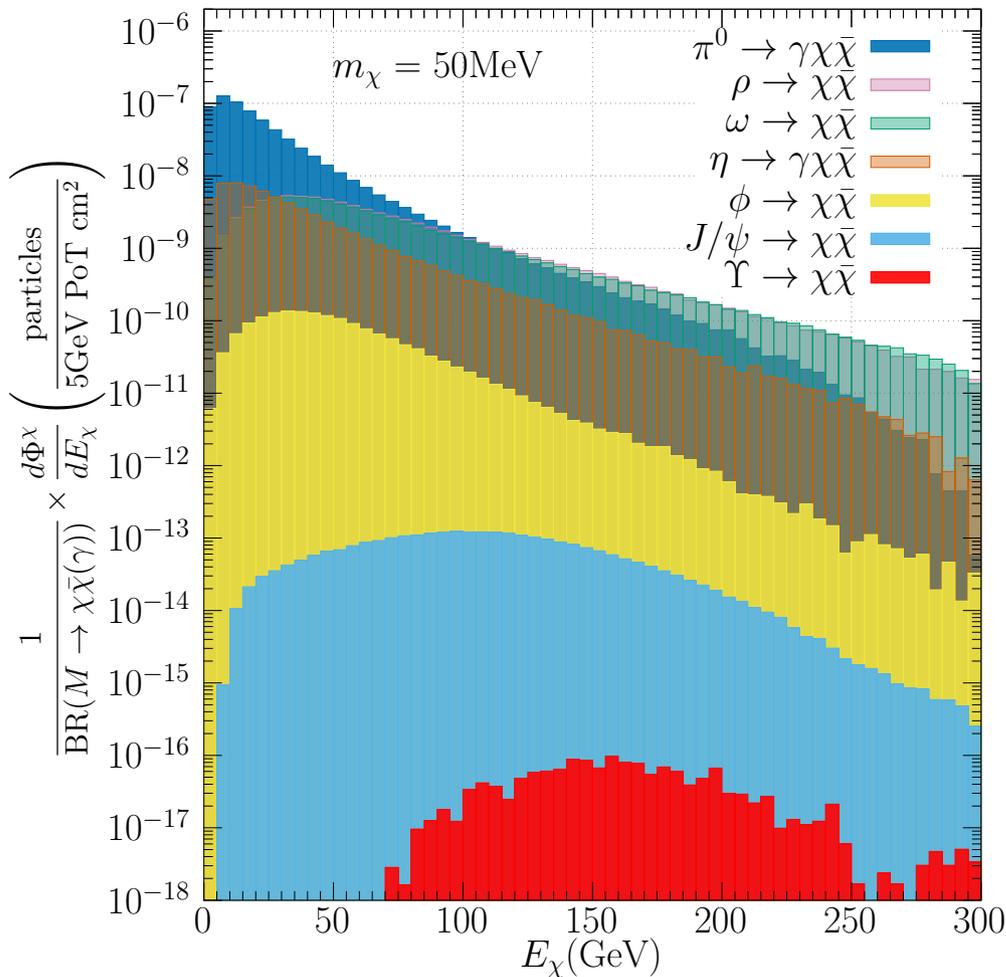


$$\langle \sigma \rangle = \frac{1}{\Phi^\chi} \int_0^\infty \int_{T^{\min}}^{T^{\max}} \frac{d\sigma}{dT} (E_\chi, \{X\}) \frac{d\Phi^\chi}{dE_\chi} dT dE_\chi$$

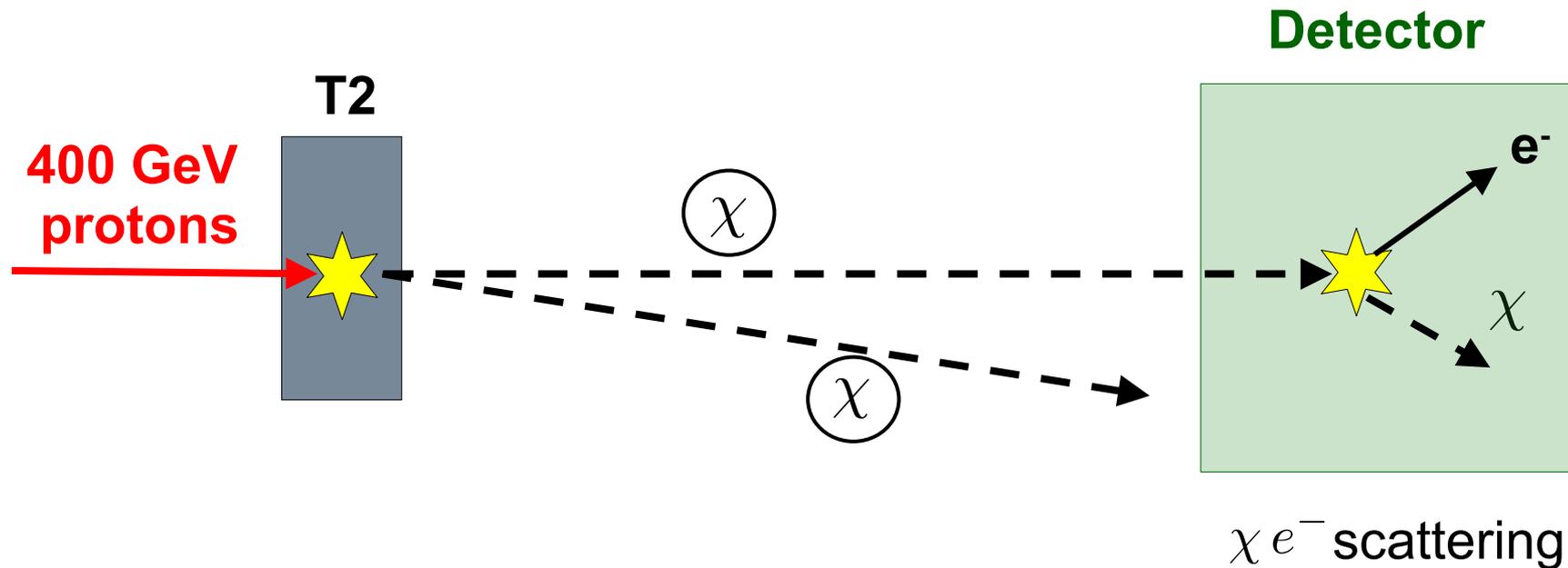
$$N_{ev} = \epsilon_{det} N_{trg} \langle \sigma \rangle \Phi^\chi N_{PoT} \propto \langle \sigma \rangle \text{BR} (M \rightarrow \chi \bar{\chi})$$

2) Stable Particles (model independent)

$$\langle \sigma \rangle = \frac{1}{\Phi_\chi} \int_0^\infty \int_{T^{\min}}^{T^{\max}} \frac{d\sigma}{dT} (E_\chi, \{X\}) \frac{d\Phi^\chi}{dE_\chi} dT dE_\chi$$



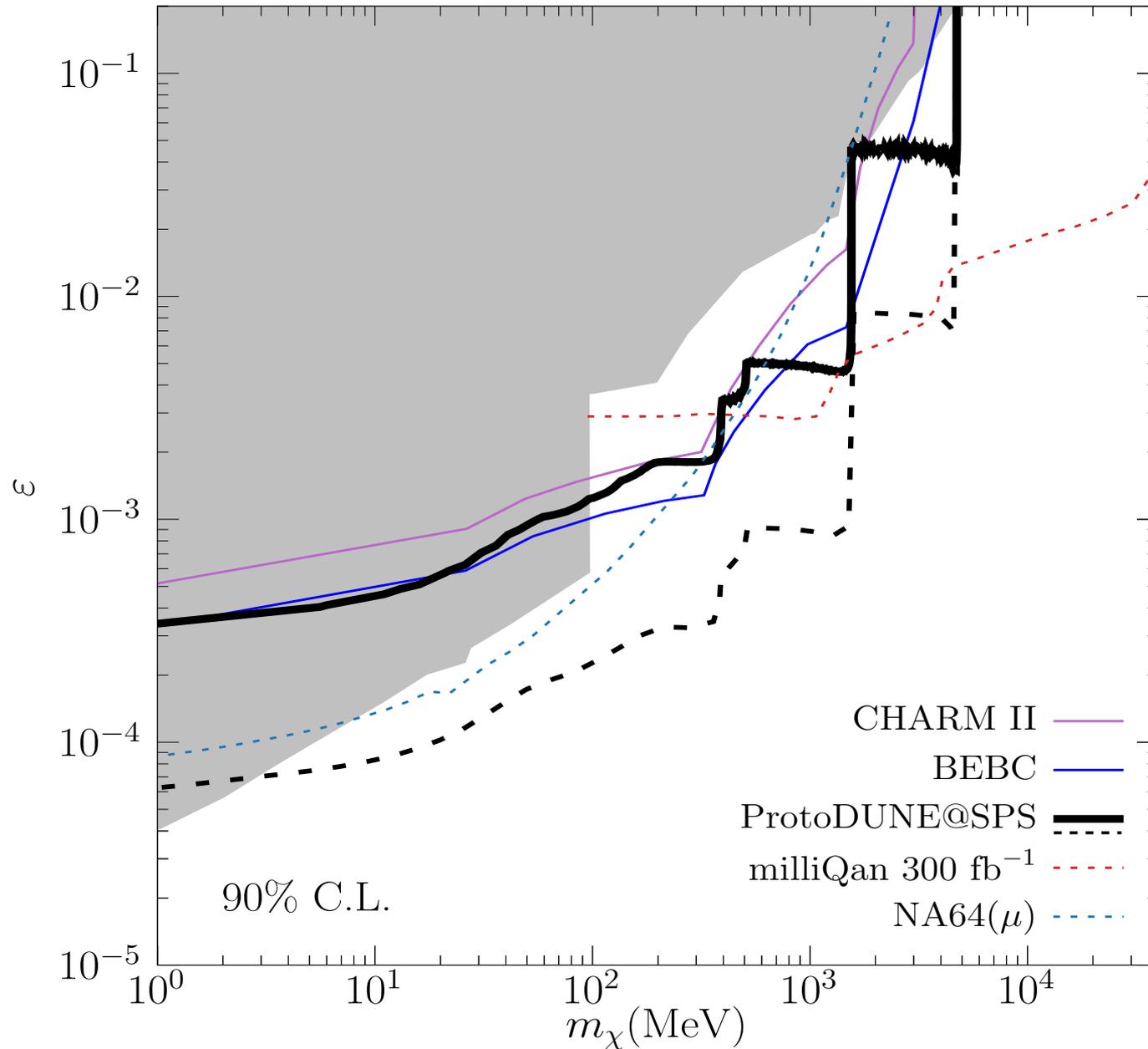
2) Stable Particles: Millicharged Particles



- **Millicharged particles (MCPs)**: fermions with an effective charge $e\epsilon$, arising from the mixing of the SM photon and a massless Dark Photon

$$\frac{d\sigma}{dT} = \pi\alpha^2 \epsilon^2 \frac{2E_\chi^2 m_e + T^2 m_e - T (m_\chi^2 + m_e (2E_\chi + m_e))}{T^2 (E_\chi^2 - m_\chi^2) m_e^2}$$

2) Stable Particles: Millicharged Particles



Conclusions



Given its location at CERN, ProtoDUNE may be exposed to a flux of new particles generated after the collision of 400 GeV protons, extracted from the SPS accelerator, on a target. Their excellent imaging capabilities and large fiducial volume makes them ideal to search for weakly interacting massive particles in BSM scenarios.

- We have exploited the possibility of using such a setup to search for both long lived unstable particles and stable particles. We have focused in two particular scenarios (HNLs and MCPs) but this setup offers many other possibilities such as dark photons, dark scalars, ALPs, or light dark matter.
- The expected sensitivity using a model-independent approach is also computed . This can be easily recasted to particular NP models.



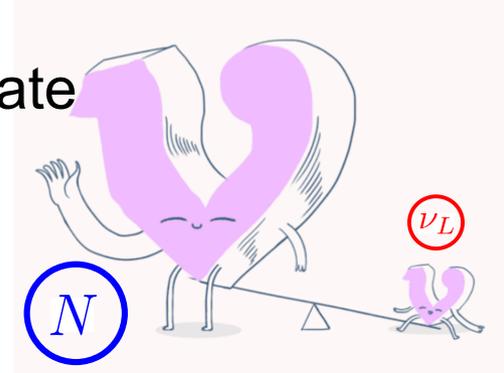
The set up has the potential to improve over current bounds within a short timescale, using facilities that are already in place at CERN, and without interfering with the experimental program in the North Area.

- *A dedicated analysis is required to determine the expected background levels and detector efficiencies, as well as the development of a new trigger optimized for the beam-dump approach (a working group in collaboration with the CERN Neutrino Platform has been created to study the feasibility of the proposal).*

Thank you!

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HNLs arising in low-scale seesaw models can accommodate the origin of neutrino masses and baryon asymmetry

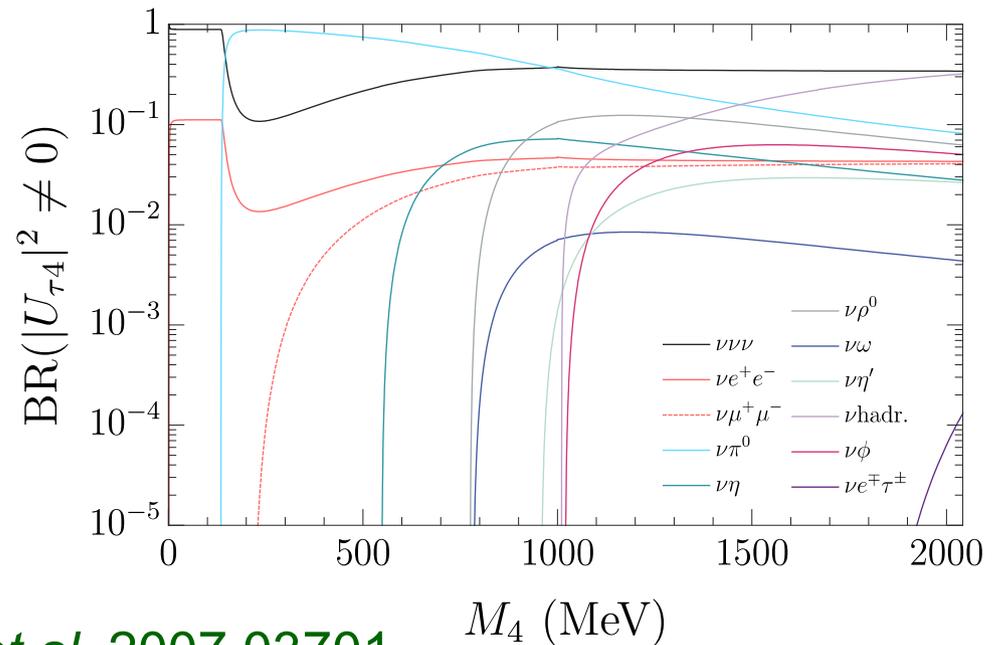
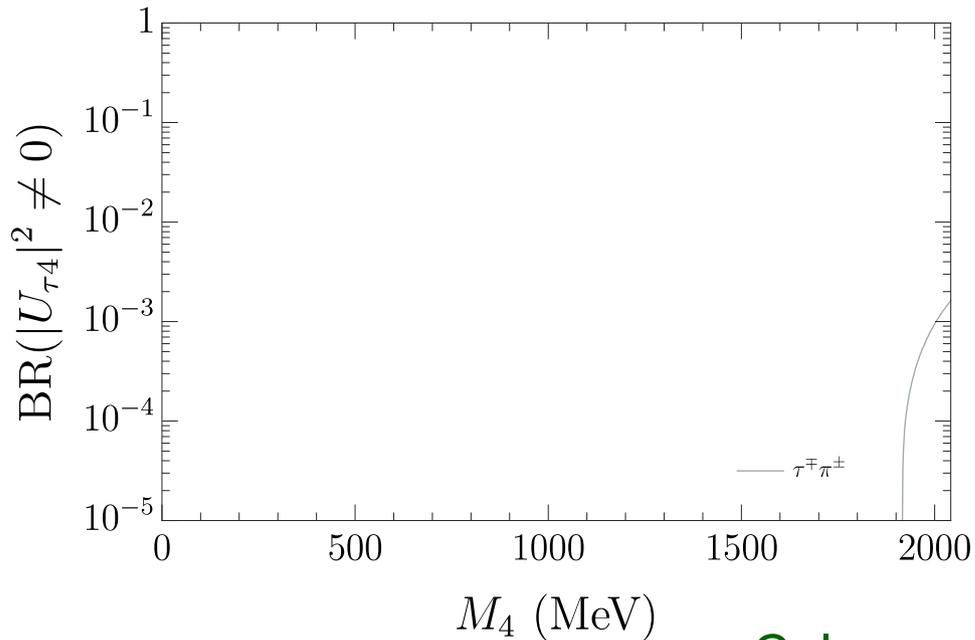
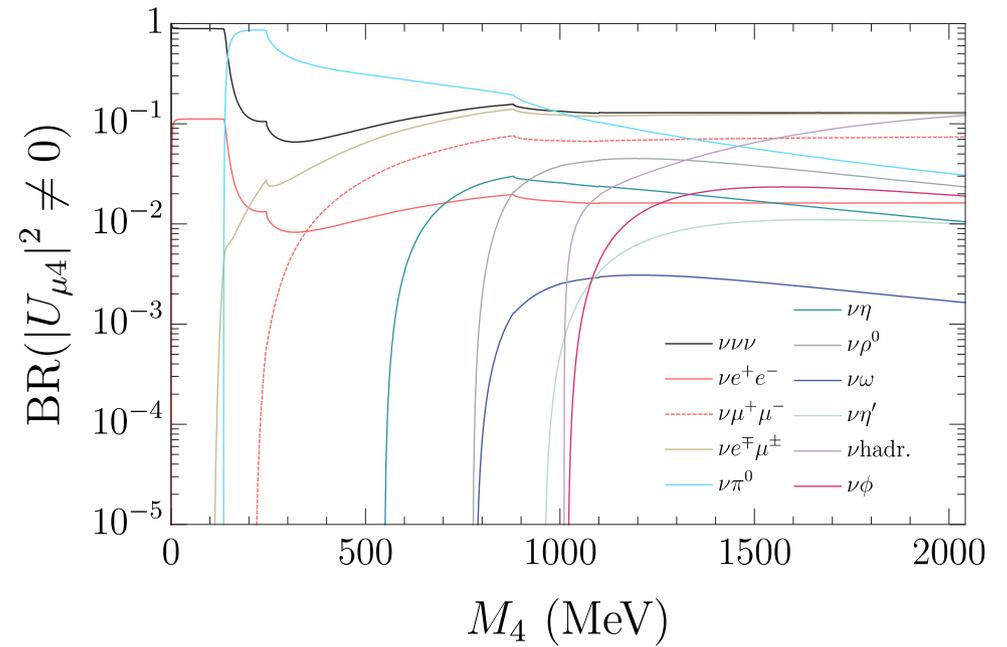
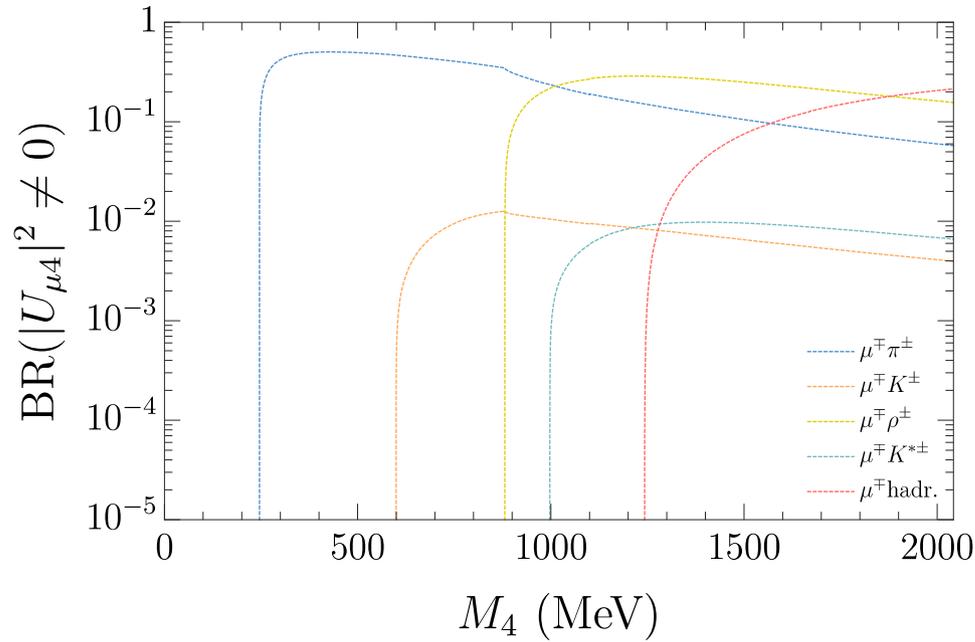


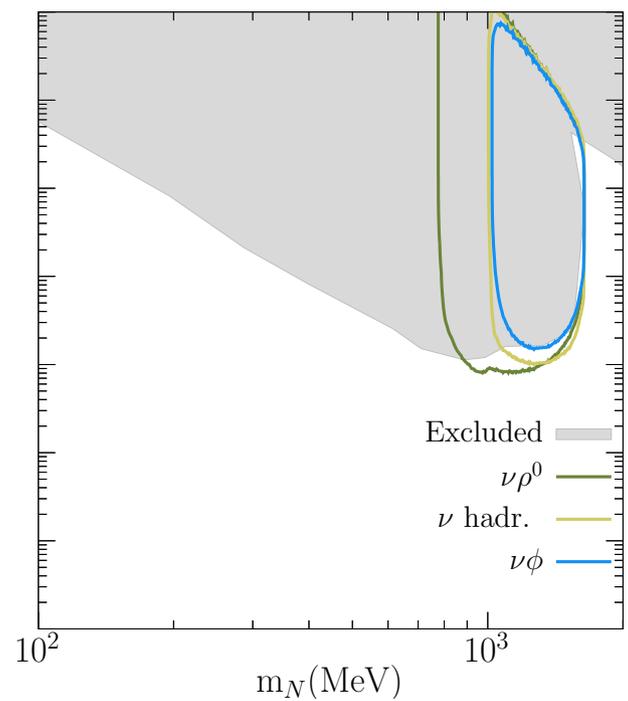
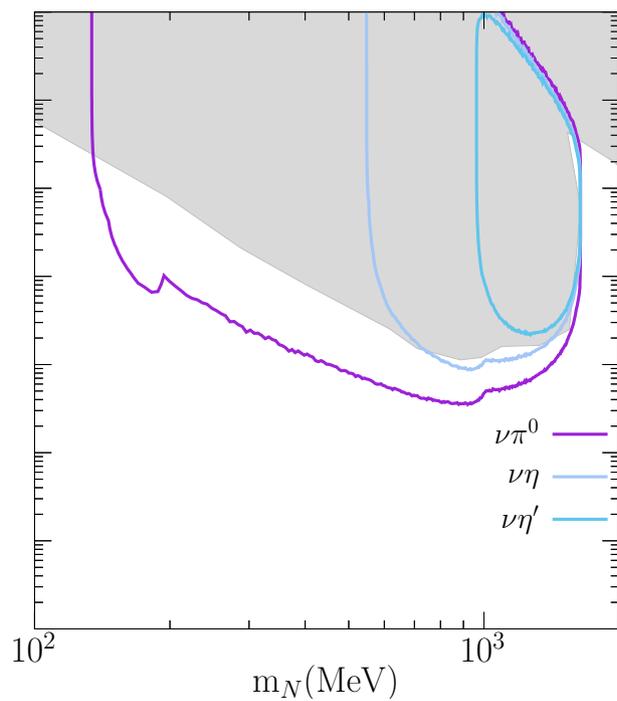
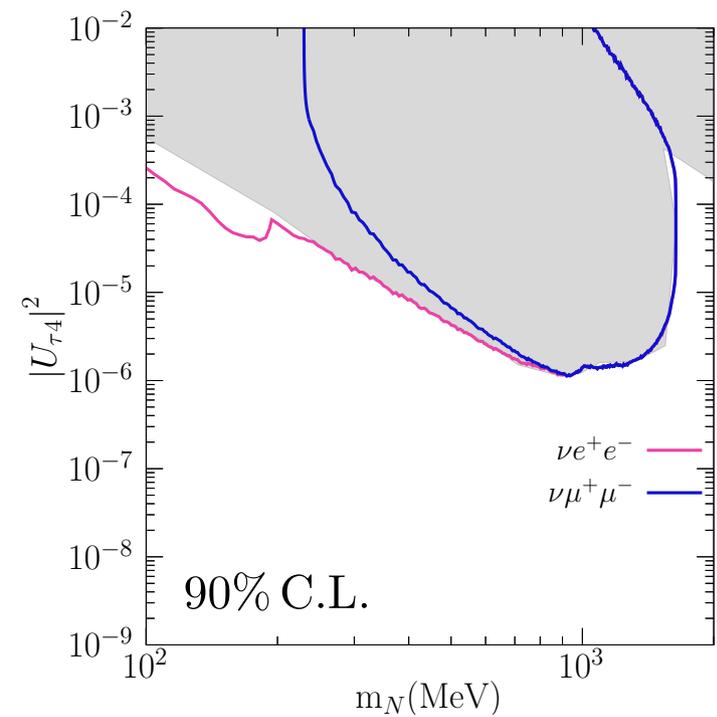
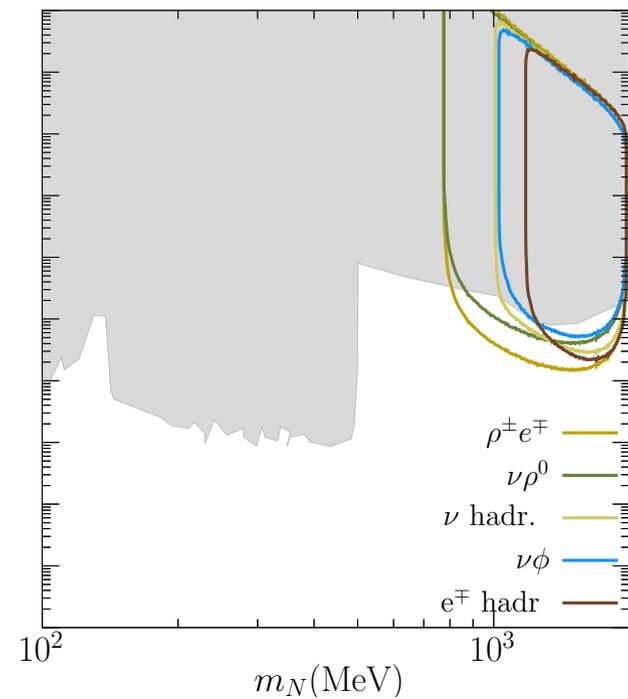
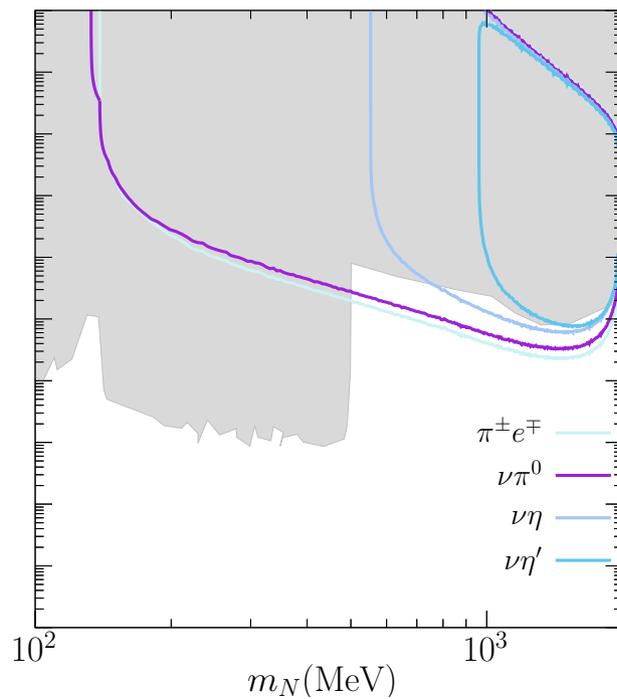
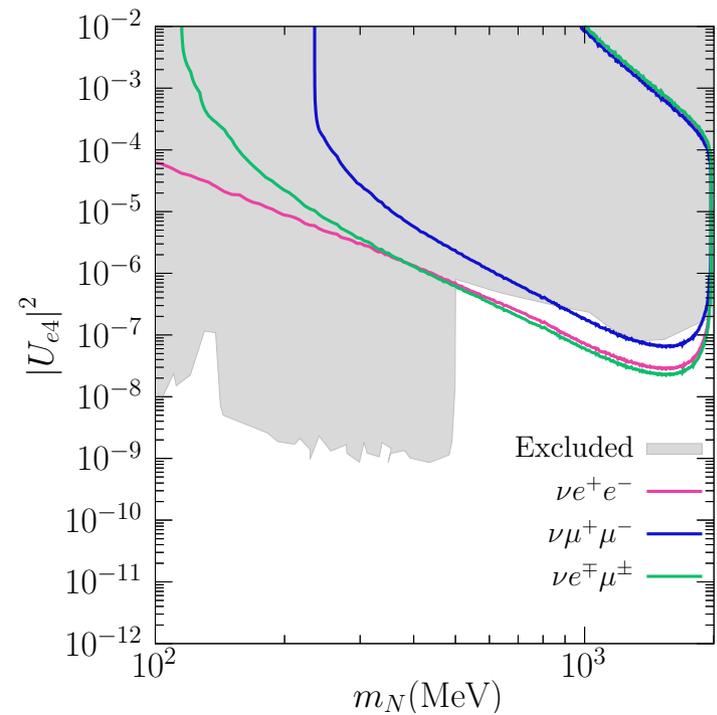
$$\mathcal{L} \supset -\frac{m_W}{v} \bar{N} U_{\alpha 4}^* \gamma^\mu l_{L\alpha} W_\mu^+ - \frac{m_Z}{\sqrt{2}v} \bar{N} U_{\alpha 4}^* \gamma^\mu \nu_{L\alpha} Z_\mu$$

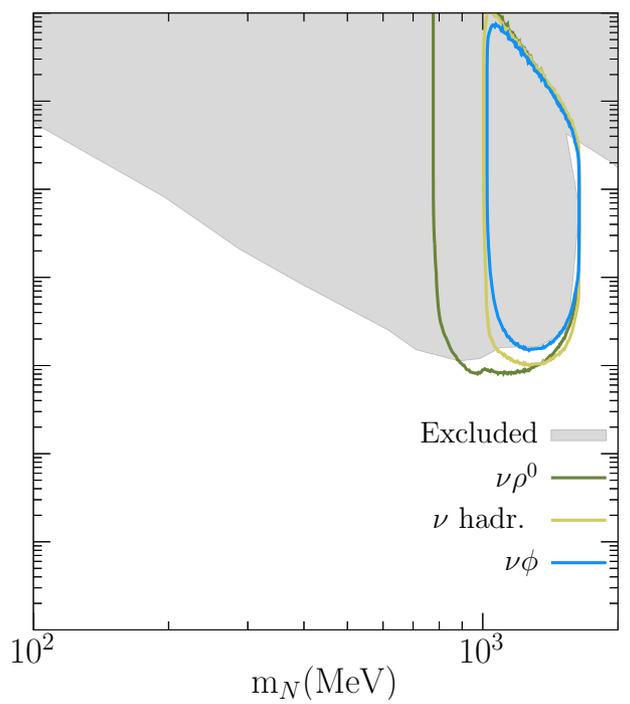
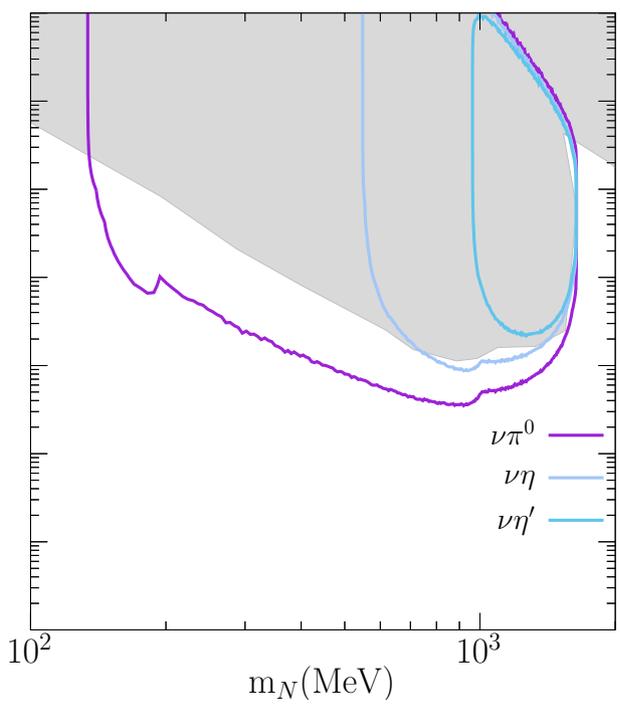
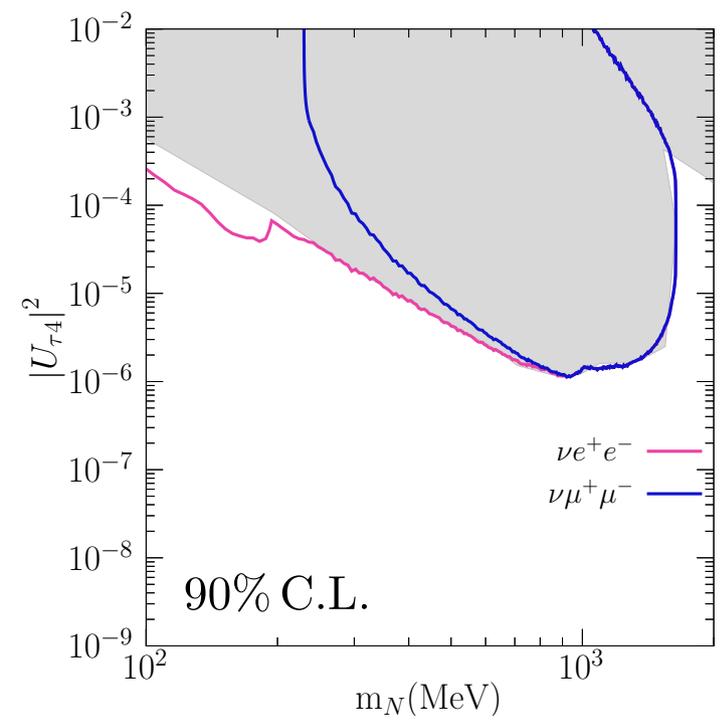
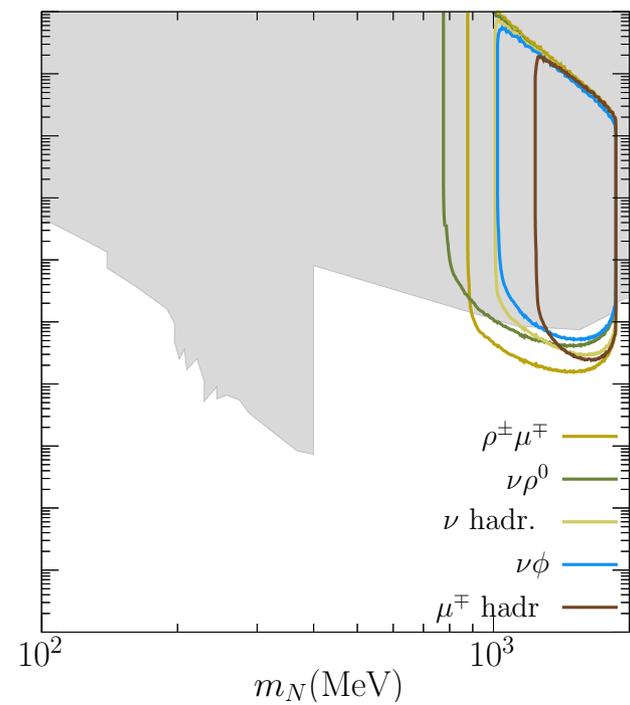
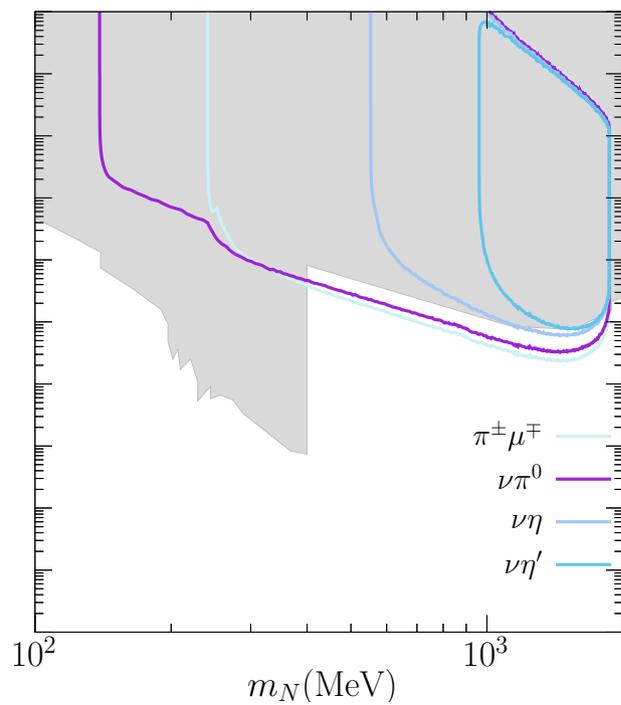
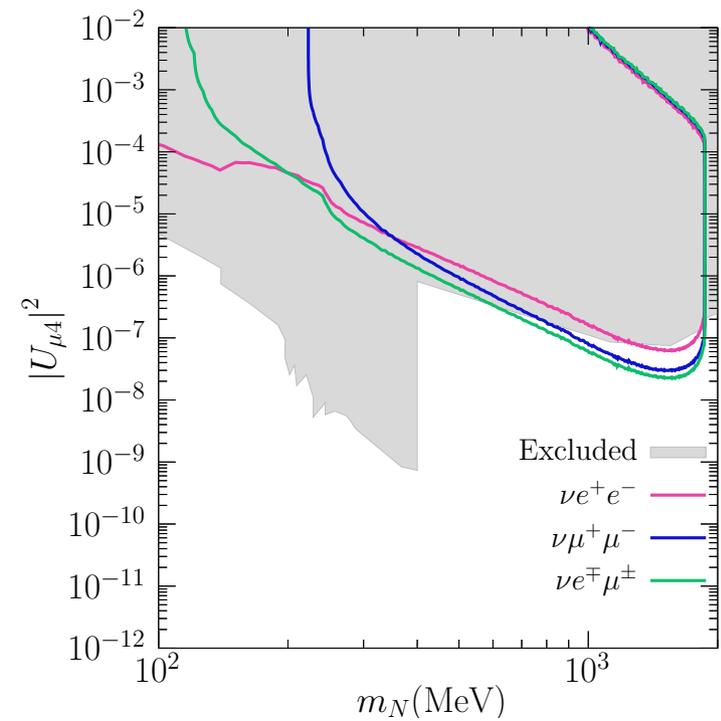
Parent	2-body decay	3-body decay
$\pi^+ \rightarrow$	$e^+ N_4$ $\mu^+ N_4$	—
$K^+ \rightarrow$	$e^+ N_4$ $\mu^+ N_4$	$\pi^0 e^+ N_4$ $\pi^0 \mu^+ N_4$
$\tau^- \rightarrow$	$\pi^- N_4$ $\rho^- N_4$	$e^- \bar{\nu} N_4$ $\mu^- \bar{\nu} N_4$

Parent	2-body decay	3-body decay
$D^+ \rightarrow$	$e^+ N_4$ $\mu^+ N_4$ $\tau^+ N_4$	$e^+ \bar{K}^0 N_4$ $\mu^+ \bar{K}^0 N_4$
$D_s^+ \rightarrow$	$e^+ N_4$ $\mu^+ N_4$ $\tau^+ N_4$	—

Production of HNLs

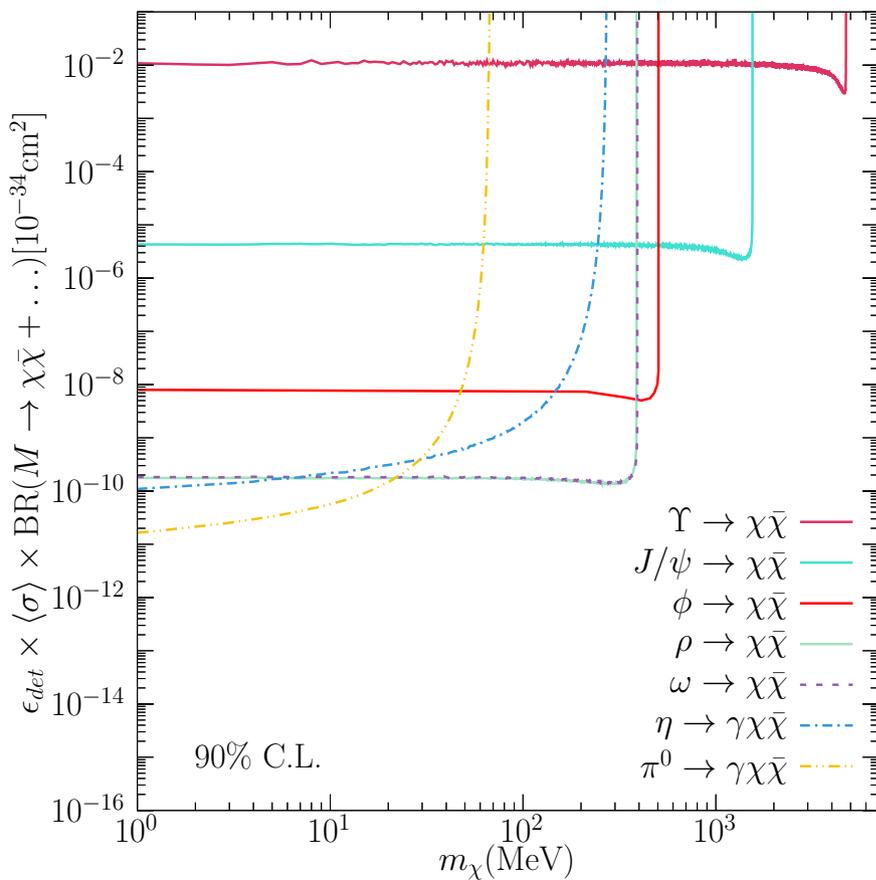




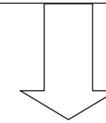


Recasting model independent bound: toy example

- For small MCP masses with $E_\chi \gg T, m_e, m_\chi$



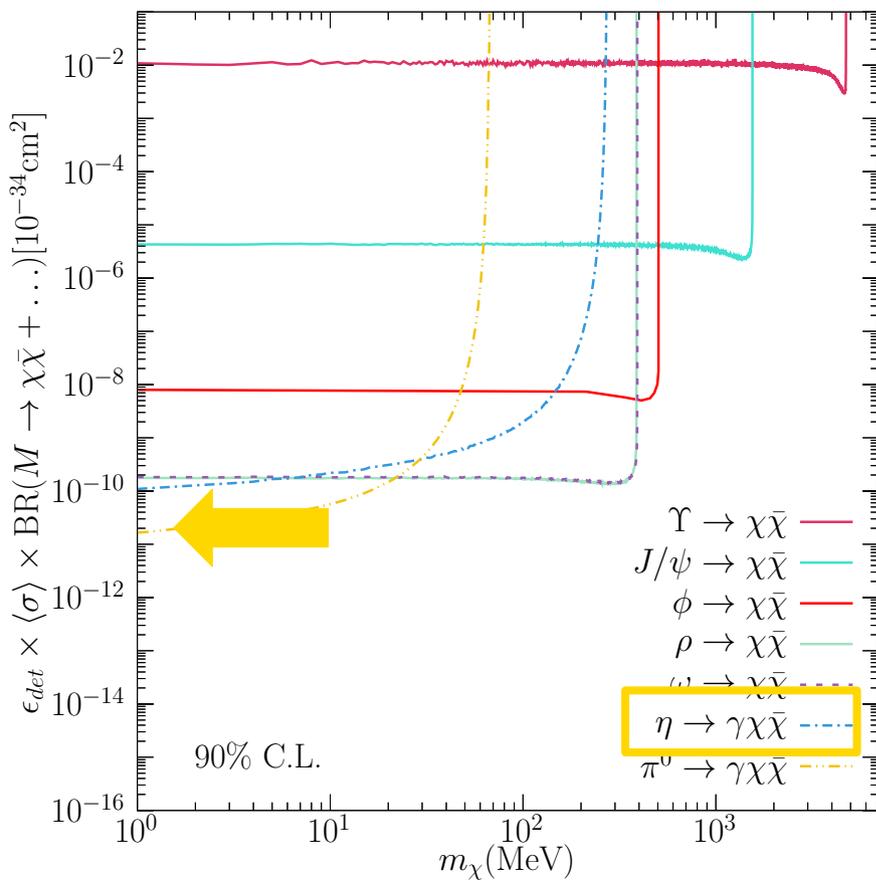
$$\sigma \sim \varepsilon^2 \left(\frac{30 \text{ MeV}}{T_{\min}} \right) 10^{-26} \text{ cm}^{-2}$$



$$\frac{\langle \sigma \rangle \times \text{BR}}{10^{-26} \text{ cm}^2} \sim \underbrace{\text{BR}(\pi^0 \rightarrow \gamma e^- e^+)}_{1.175 \times 10^{-2}} \varepsilon^4 \left(\frac{30 \text{ MeV}}{T_{\min}} \right)$$

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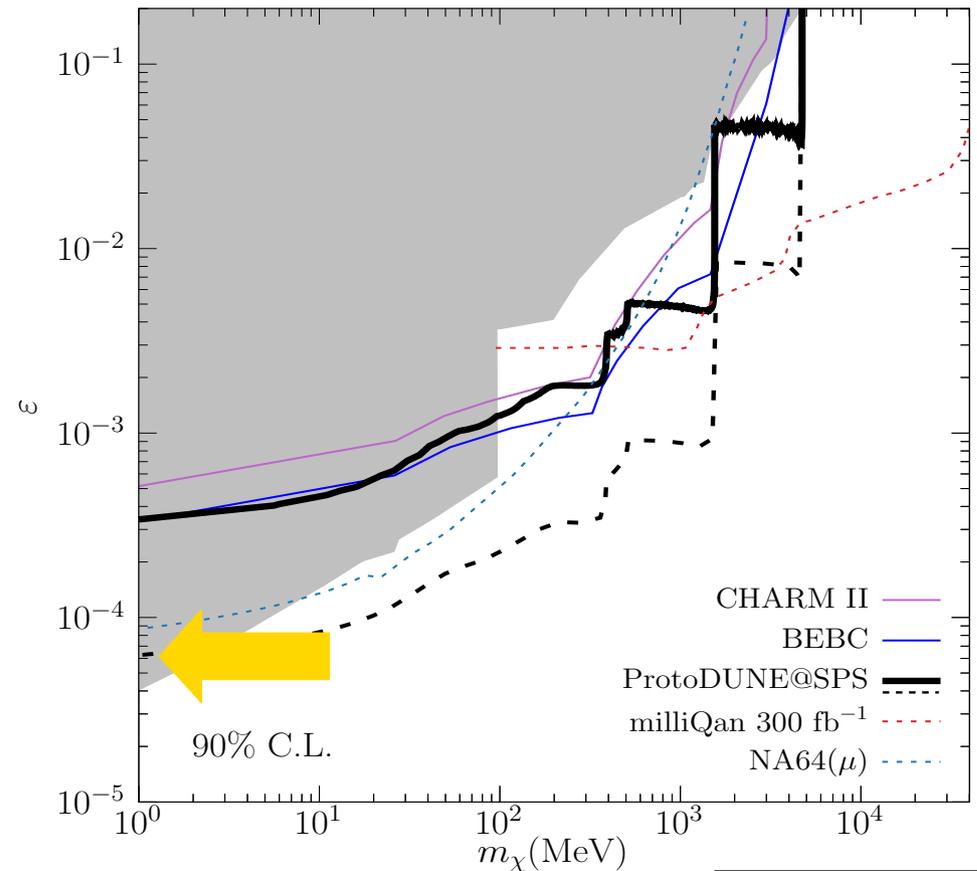
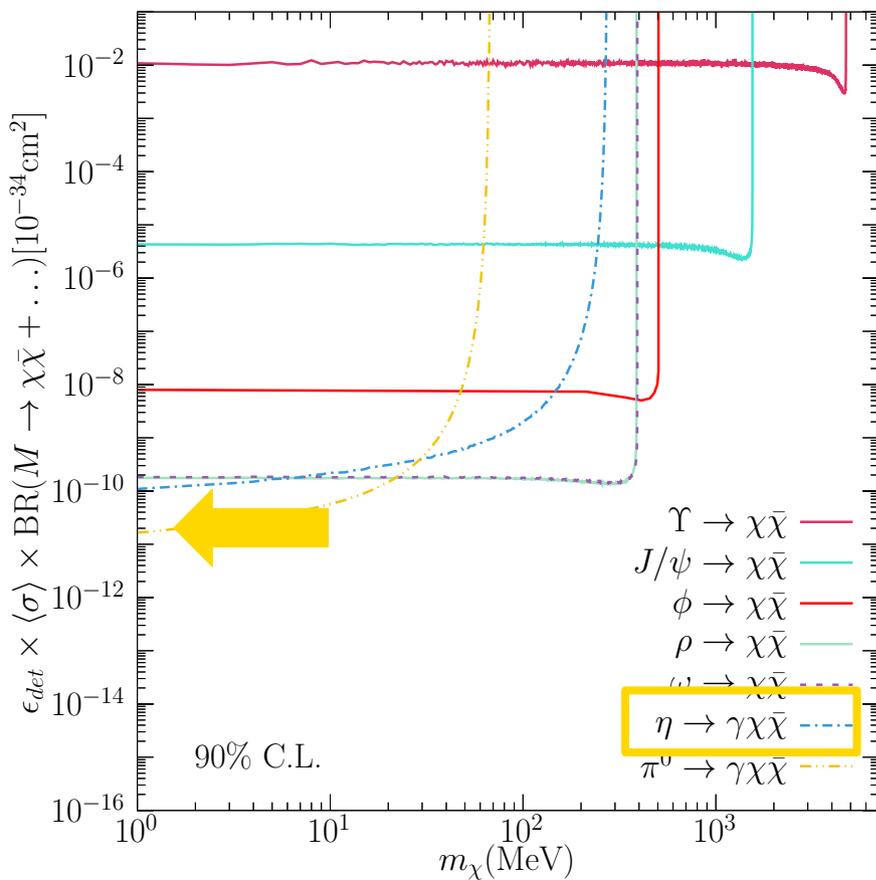
$$10^{-19}$$

- Sensitivity for small MCP masses

$$\varepsilon \sim 5 \times 10^{-5}$$

Recasting model independent bound: toy example

- For small MCP masses with $E_\chi \gg T, m_e, m_\chi$

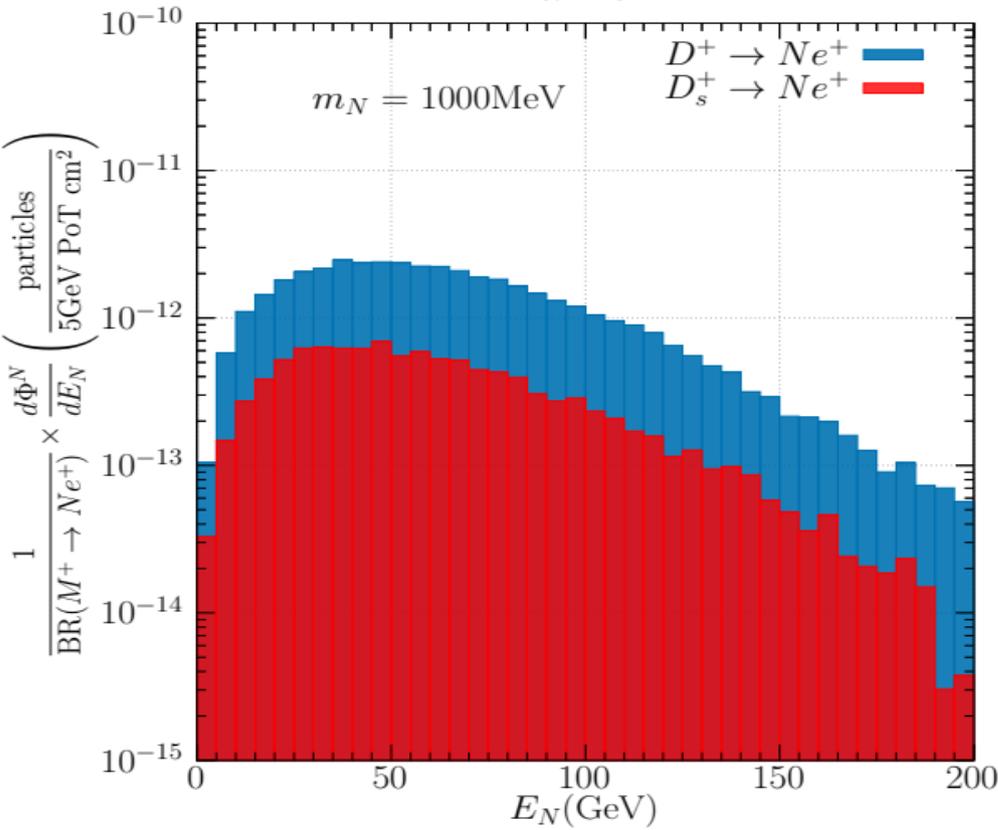


- Sensitivity for small MCP masses

$$\epsilon \sim 5 \times 10^{-5}$$

HNL intersecting the detector

$\alpha = e$



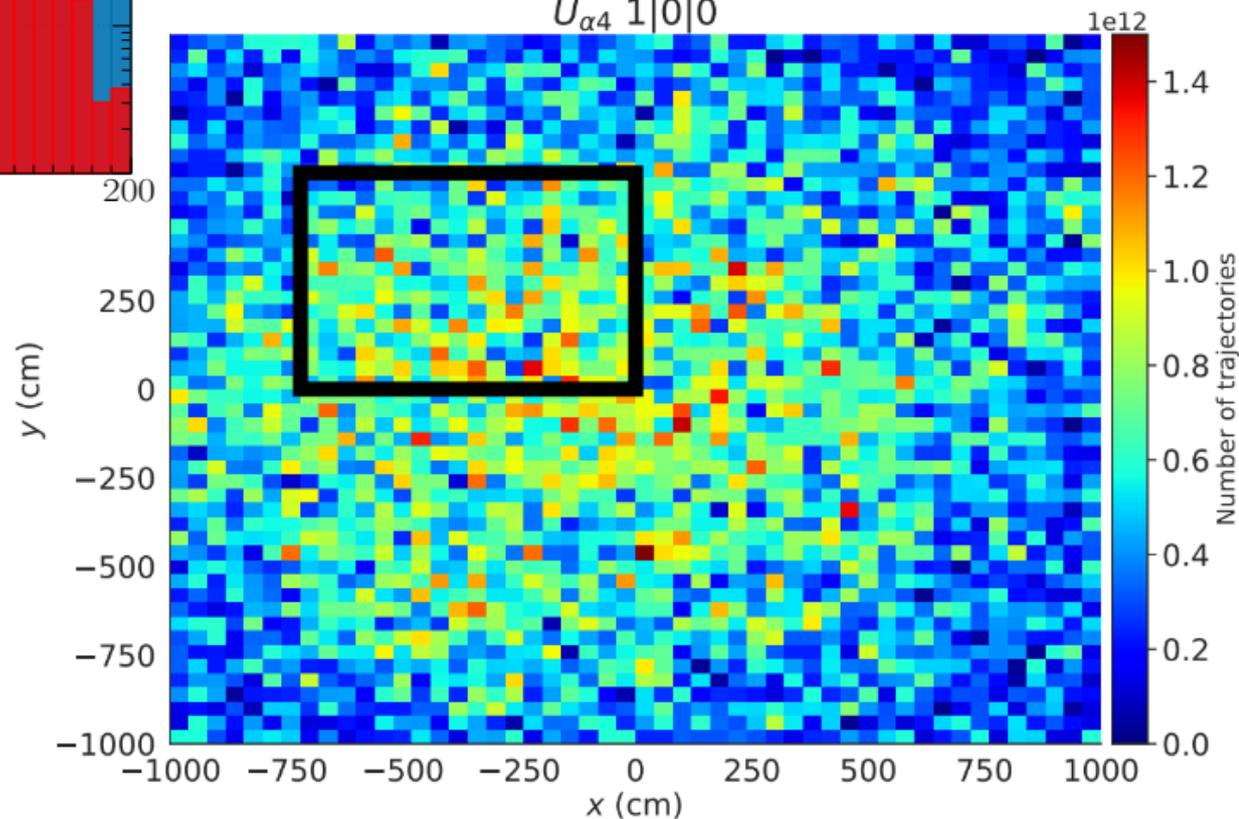
- Wide HNL beam
- Small changes in geometry will not change results
- Any of the two ProtoDUNEs can be used

HNL Fluxes

- Quite energetic HNL beam

HNL at z=677 m (# of trajectories)

$U_{\alpha 4} 1|0|0$



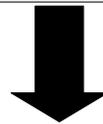
Simple example of recasting model independent bound

- **Millicharged particles (MCPs):** fermions with an effective charge $e\epsilon$, arising from the mixing of the SM photon and a massless Dark Photon

$$\frac{d\sigma}{dT} = \pi\alpha^2\epsilon^2 \frac{2E_\chi^2 m_e + T^2 m_e - T(m_\chi^2 + m_e(2E_\chi + m_e))}{T^2(E_\chi^2 - m_\chi^2)m_e^2}$$

- Note that in the small MCP masses with $E_\chi \gg T, m_e, m_\chi$

$$\sigma \sim \epsilon^2 \left(\frac{30 \text{ MeV}}{T_{\min}} \right) 10^{-26} \text{ cm}^{-2}$$



$$\frac{\langle\sigma\rangle \times \text{BR}}{10^{-26} \text{ cm}^2} \sim \underbrace{\text{BR}(\pi^0 \rightarrow \gamma e^- e^+)}_{1.175 \times 10^{-2}} \epsilon^4 \left(\frac{30 \text{ MeV}}{T_{\min}} \right)$$