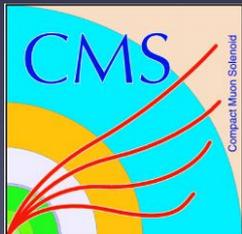


# The Standard Model – Electroweak and QCD in ATLAS and CMS



Hugo Beauchemin

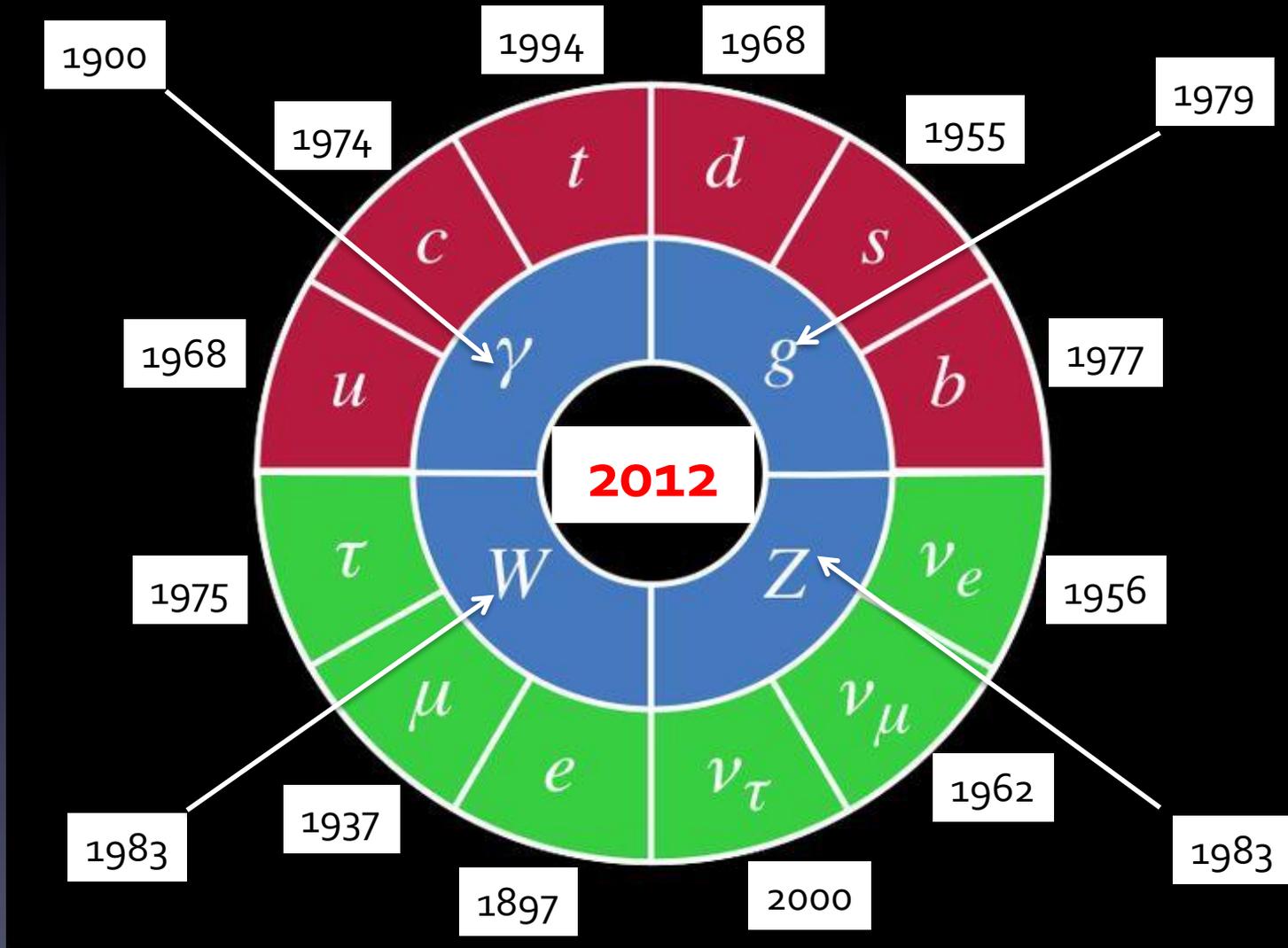
Tufts University



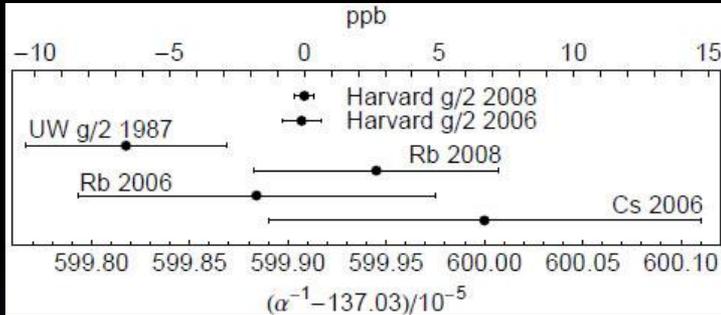
On behalf of the ATLAS and CMS Collaborations

Corfu2017, Corfu (Greece), September 3, 2017

The particle content of the Standard Model has fully been directly and unambiguously observed!

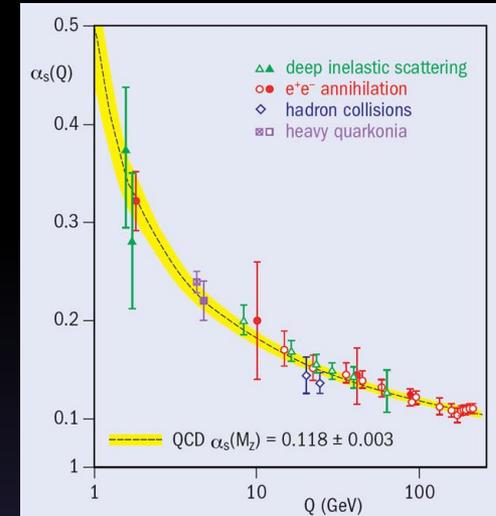


# The description of the 3 fundamental interactions of the SM has long been confirmed to a high level of precision



Fine structure constant

Strong coupling constant

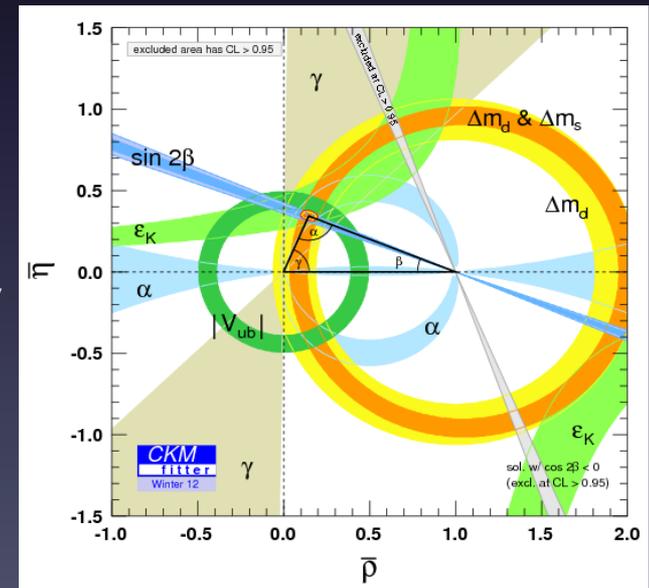


summer 2003

measurement	fit	$10^{\text{meas}}$	$-0^{\text{fit}}$	$1/\sigma^{\text{meas}}$
$\Delta\alpha_{\text{had}}^{(5)}(m_z)$	$0.02761 \pm 0.00036$	0.02767		
$m_z$ (GeV)	$91.1875 \pm 0.0021$	91.1875		
$\Gamma_z$ (GeV)	$2.4952 \pm 0.0023$	2.4960		
$\sigma_{\text{had}}^0$ (nb)	$41.540 \pm 0.037$	41.478		
$R_1$	$20.767 \pm 0.025$	20.742		
$A_{\text{fb}}^{0,l}$	$0.01714 \pm 0.00095$	0.01636		
$A_1(P_c)$	$0.1465 \pm 0.0032$	0.1477		
$R_b$	$0.21638 \pm 0.00066$	0.21579		
$R_c$	$0.1720 \pm 0.0030$	0.1723		
$A_{\text{fb}}^{0,b}$	$0.0997 \pm 0.0016$	0.1036		
$A_{\text{fb}}^{0,c}$	$0.0706 \pm 0.0035$	0.0740		
$A_b$	$0.925 \pm 0.020$	0.935		
$A_c$	$0.670 \pm 0.026$	0.668		
$A_1$ (SLD)	$0.1513 \pm 0.0021$	0.1477		
$\sin^2\Theta_{\text{eff}}^{\text{lept}}(Q_{\text{fb}})$	$0.2324 \pm 0.0012$	0.2314		
$m_W$ (GeV)	$80.426 \pm 0.034$	80.385		
$\Gamma_W$ (GeV)	$2.139 \pm 0.069$	2.093		
$m_t$ (GeV)	$174.3 \pm 5.1$	174.3		
$Q_W$ (Cs)	$-72.84 \pm 0.46$	-72.90		

Weak interaction parameters

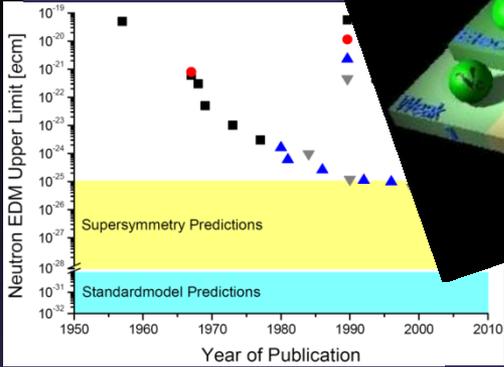
Unitarity triangle



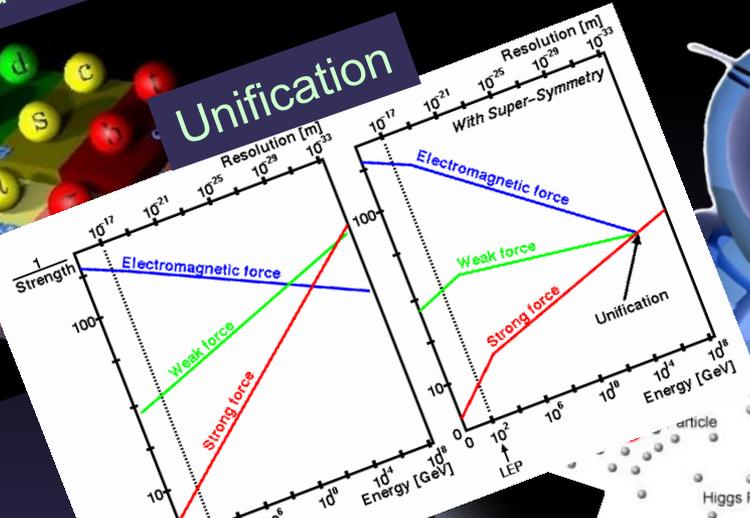
Of course we all believe that the SM is not the end of the story...

Number of families

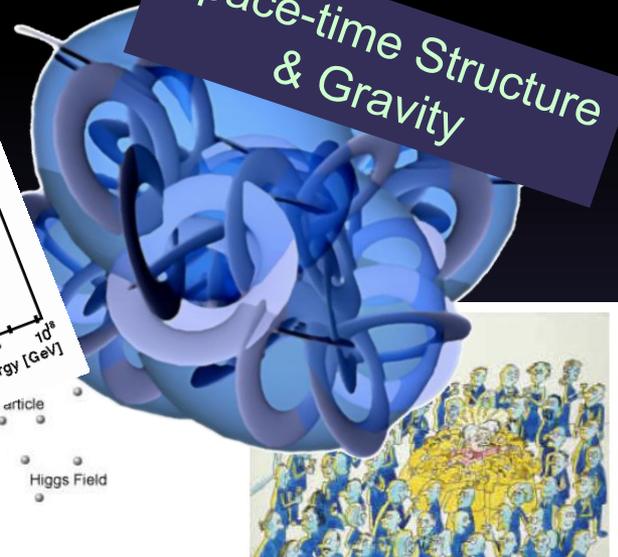
Strong-CP problem



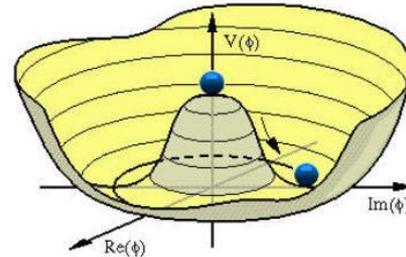
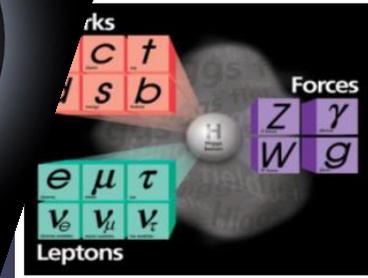
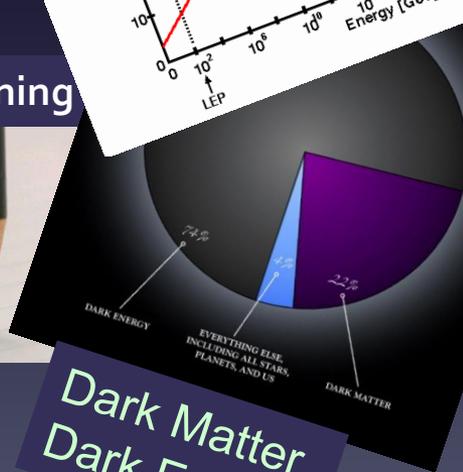
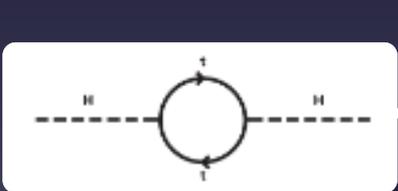
Unification



Space-time Structure & Gravity



Fine tuning



Hierarchy Problem

Dark Matter  
Dark Energy

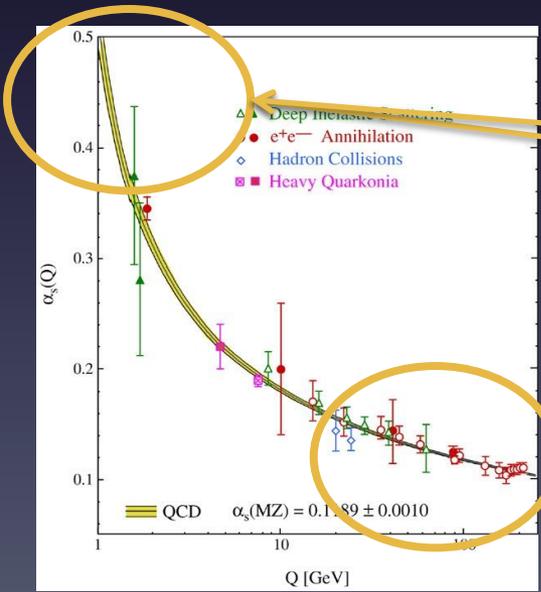
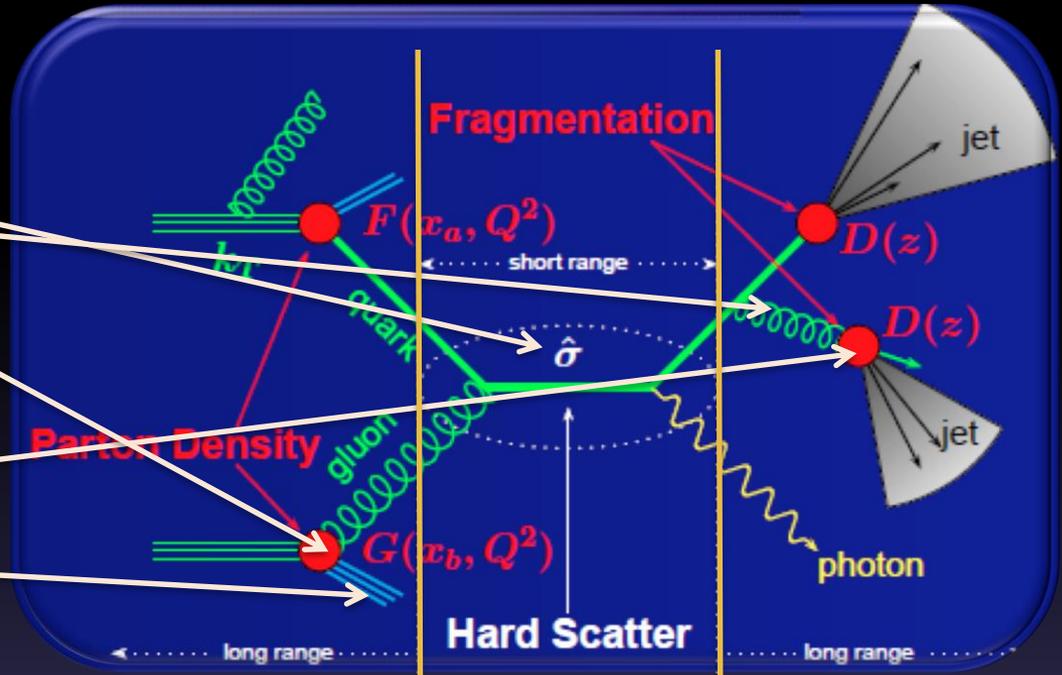
ElectroWeak Symmetry Breaking

...so why dedicating so much effort in performing evermore precise and sophisticated measurements of Standard Model physics, known and well-established for decades???

# Answer part A: The Strong Interaction

# The strong interaction intervenes in various ways and at various scales in every single event at the LHC

- Matrix element of interest  $(\hat{\sigma})$
- Gluon emission (ISR/FSR)
- Proton structure  $(F, G)$
- Fragmentation and hadronization  $(D(z))$
- Underlying event



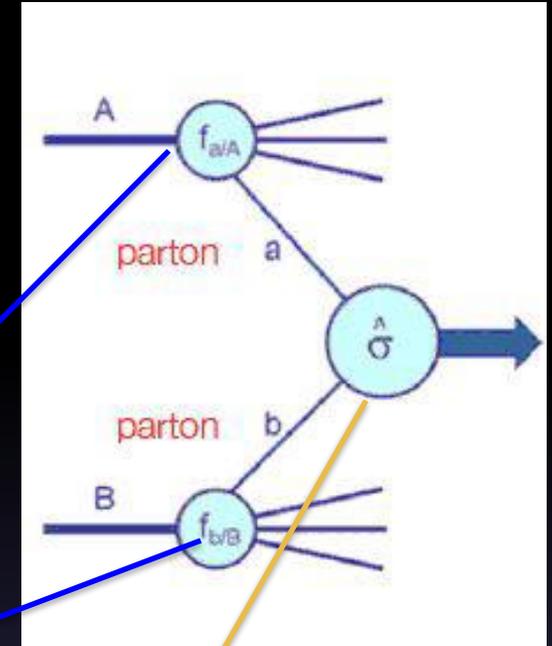
Long distance physics      Short distance physics      Long distance physics

We can make  
Not so sure  
robust predictions!

## Factorization theorem:

The probabilities for short-distance and long-distance processes factorize

The long-distance factors are universal and can be empirically obtained from ancillary measurements.



$$d\sigma(P_1, P_2) = \sum_{i,j,k} \int dx_1 dx_2 dz f_i(x_1, \mu_F) f_j(x_2, \mu_F) D_{k \rightarrow H}(z, \mu_F) \times d\tilde{\sigma}_{ij \rightarrow k+X}(p_1 = x_1 P_1, p_2 = x_2 P_2, p_k = P/z, \alpha_S(\mu_R), Q^2, \mu_R, \mu_F)$$

Evolution equations (e.g. DGLAP), analogous to  $\beta$ -functions for  $\alpha_S$ , account for transition from one scale to the other

These QCD predictions involve assumptions, approximations, and phenomenological modeling impacting final state selections and differential cross section predictions

## Parton shower accounting for the effect of evolution on final states:

- Soft and collinear approximation (where QCD radiation is enhanced)
- Leading order kernel functions
- Choice of ordering parameter

## Parton distribution function (PDF):

- Uncertainties on measurements used to extract structure functions
- Modeling of structure functions at  $Q_0$

$$F(x, Q_0) = A_1 x^{A_1} (1-x)^{A_2} P(x; A_3)$$

## Fragmentation function:

- Gaussian modeling of  $D(x, s)$  at small  $x$
- Supplemented by hadronization model

$$D(x, s) \propto \exp\left[-\frac{1}{2\sigma^2}(\xi - \xi_p)\right]$$

$$\xi \equiv \ln\left(\frac{1}{x}\right), \quad \xi_p \equiv \frac{1}{4} \ln\left(\frac{s}{\Lambda^2}\right),$$

$$\sigma \propto \left[\ln\left(\frac{s}{\Lambda^2}\right)\right]^{3/4}$$

For some processes, higher-order corrections might be very large

- Tree-level processes start to contribute at higher orders
- Event selections can lead to large logs in the predictions
- Scale uncertainties can massively reduce at higher-order

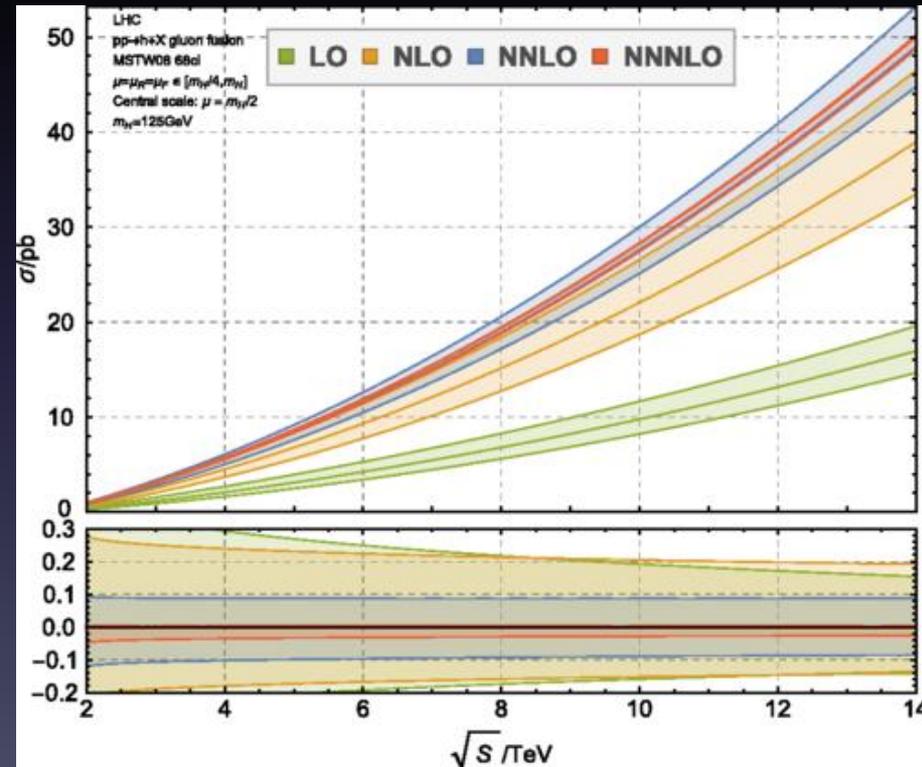
*Example:*

Higgs production (gluon fusion) vs  $\sqrt{s}$

~70% NLO to LO QCD correction

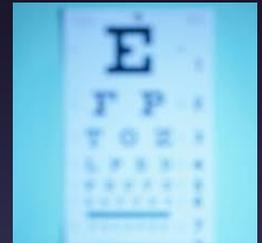
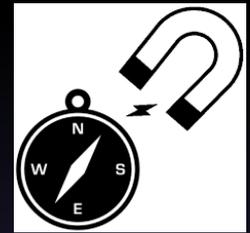
~30% NNLO

N<sub>3</sub>LO also available!



So we need QCD-related precision measurements to improve theory predictions because:

- Errors in the SM predictions can mask new physics signals or lead to false discovery
- Large uncertainties on SM predictions result in a suppression of the sensitivity of the experiments to new physics
- QCD uncertainties on new physics make it hard to understand a newly observed signal



# Answer part B: The Electroweak Interaction

# Consistency tests

- The SM contains 26 free parameters:

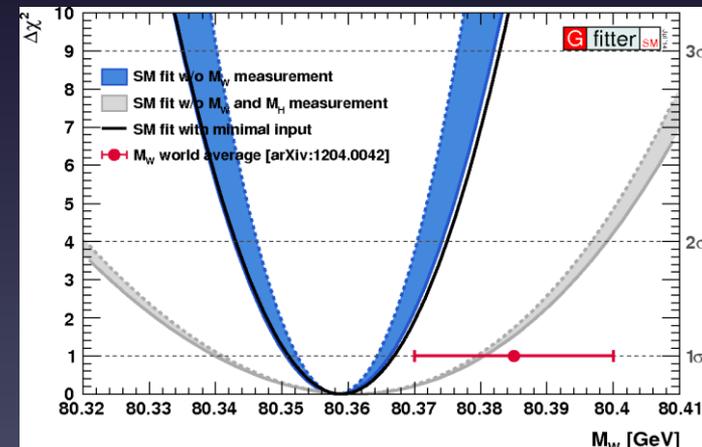
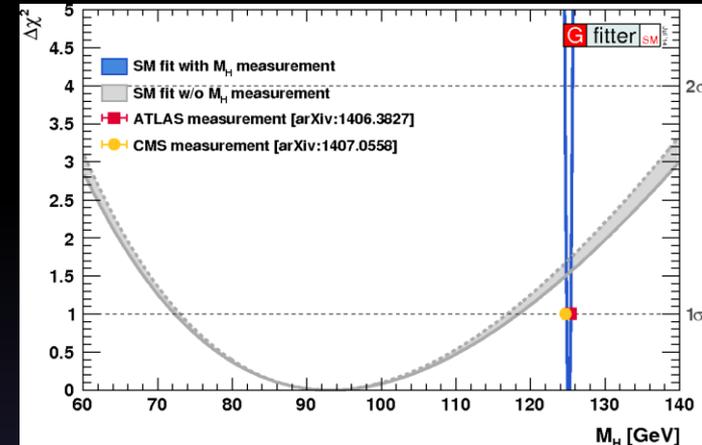
- 12 fermions masses
- 3 coupling constants
- 9 matrix elements and phases
- Higgs mass and vacuum expect. value

- Only 17 need to be measured: relations between EWK parameters in the SM

- Global fit tests can reveal inconsistencies between parameter measured values:

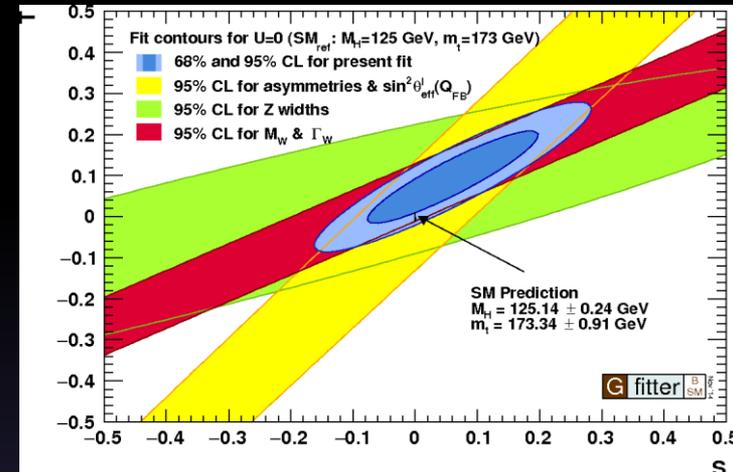
- Issues with some of the measurements
- Hints of new physics

- New precise measurements of EWK parameters give more stringent consistency tests or could resolve tensions

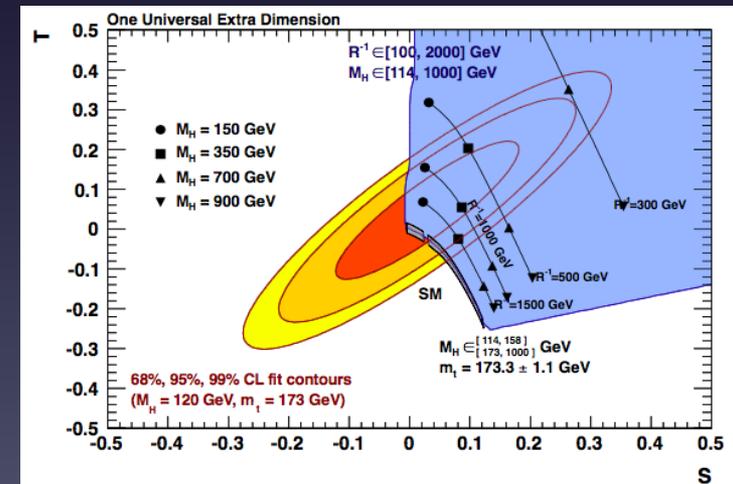


# Oblique parameters

- New physics can contribute to the EWK precision observables through virtual loops
- These effects can be parameterized by 3 gauge boson self-energy parameters:  $S$ ,  $T$  and  $U$ 
  - Involve assumptions such as the new physics scale must be much higher than the weak scale
- Consistency fits of EWK observables can reveal new physics and can provide information about its scale or effects



## An example from UED models



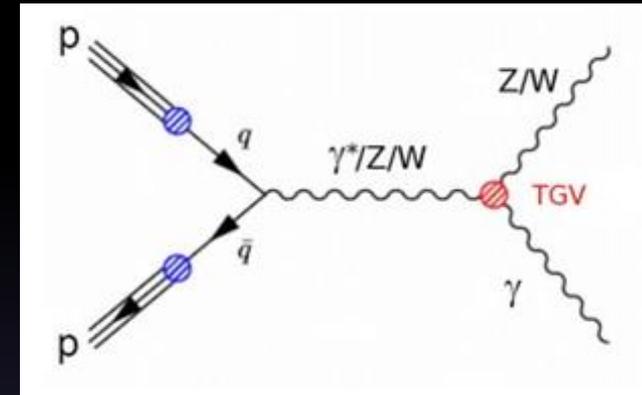
# A Gateway to New Physics

- New physics can add a contribution to Triple or Quartic Gauge Couplings
  - aTGC: Diboson & Vector Boson Fusion
  - aQGC: Triboson & Vector Boson Scattering
- Can use Effective Field Theory to parametrize this new physics by adding higher dimension operators to  $L_{SM}$ :

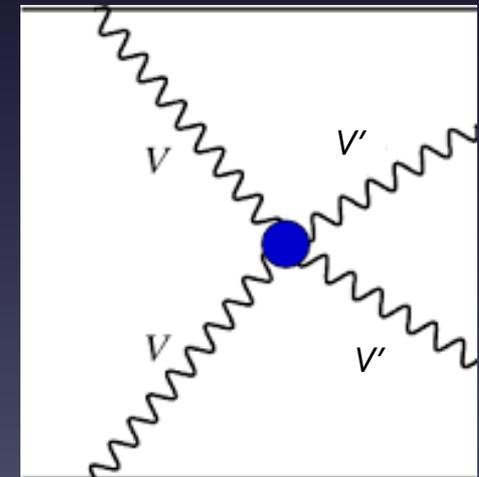
$$L = L_{SM} + \sum_i \frac{c_i}{\Lambda^2} O_i + \dots$$

- A plethora of new physics operators can be tested in this way, however keeping some model-dependence

An example of TGC



An example of QGC



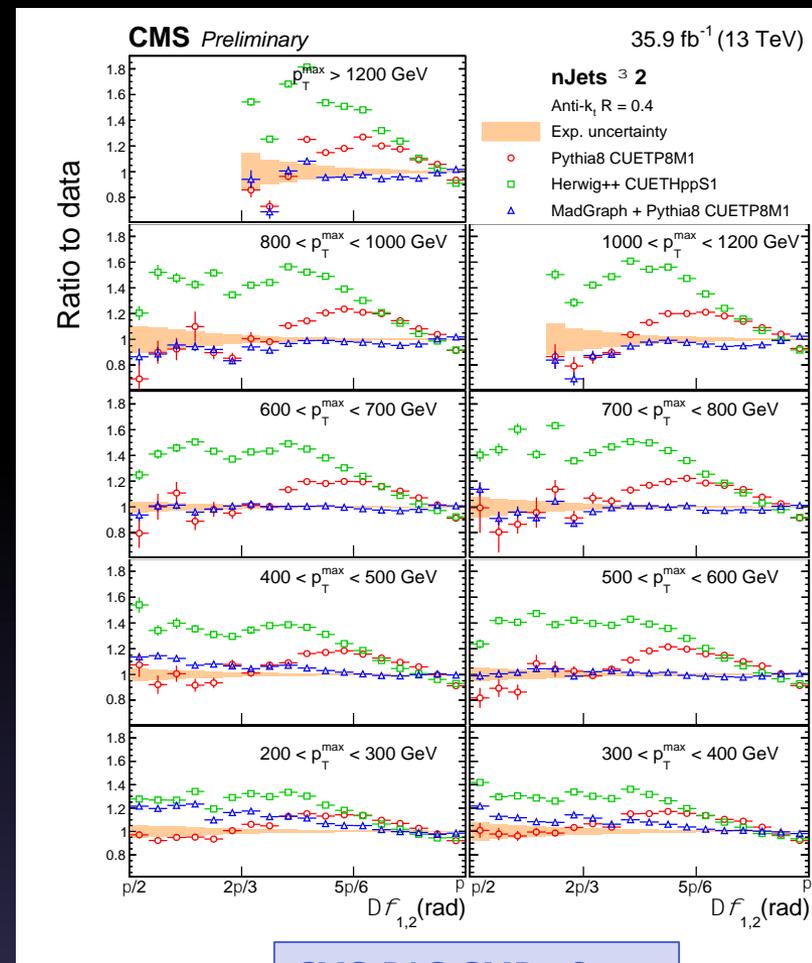
# Strategies

Choose to measure the differential cross section of observables for which theoretical predictions disagree for the SM effects under investigation

*Example:*

The azimuthal angular decorrelation ( $\neq \pi$ ) between the two leading jets in inclusive 2-jets events is sensitive to parton emission of various "hardness"

➔ Predictions on  $\Delta\phi_{12}$  widely differ



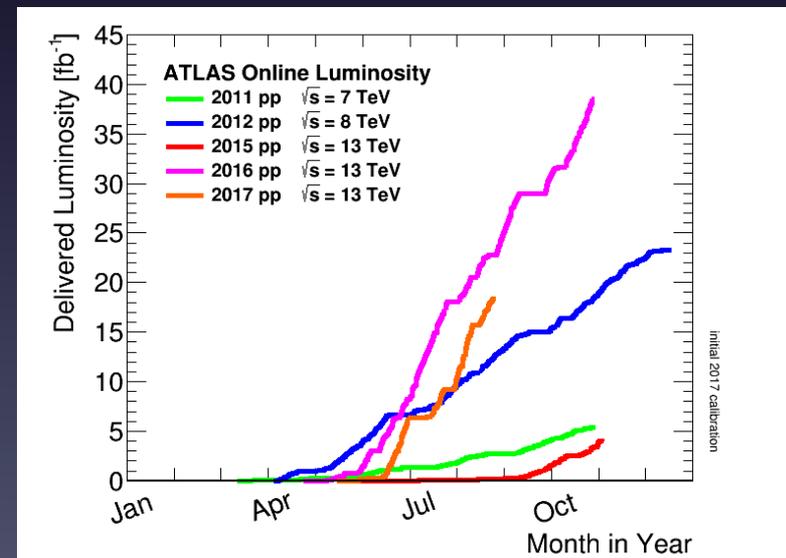
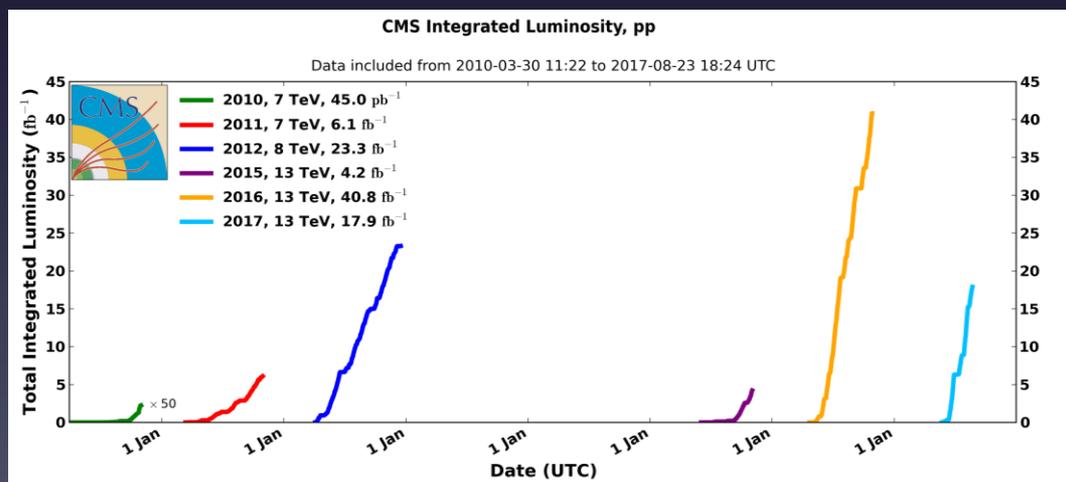
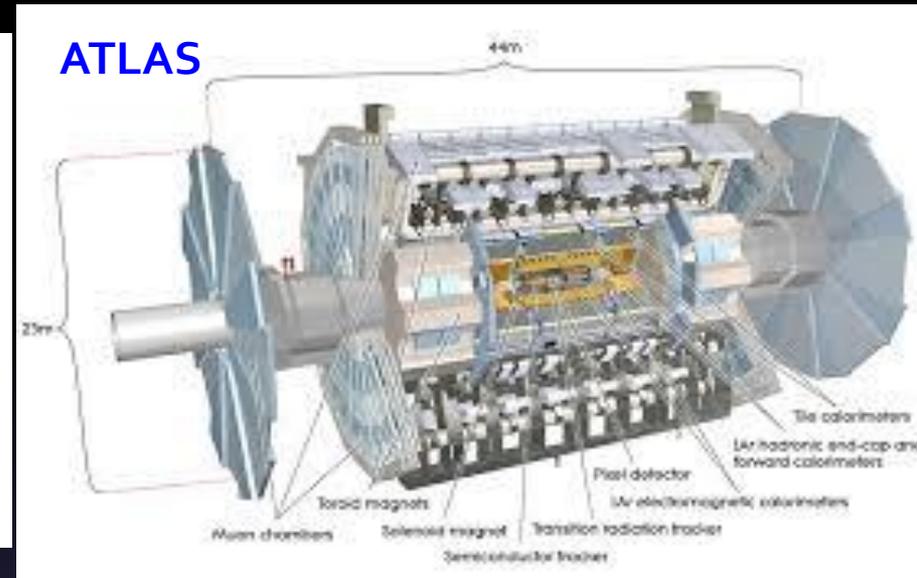
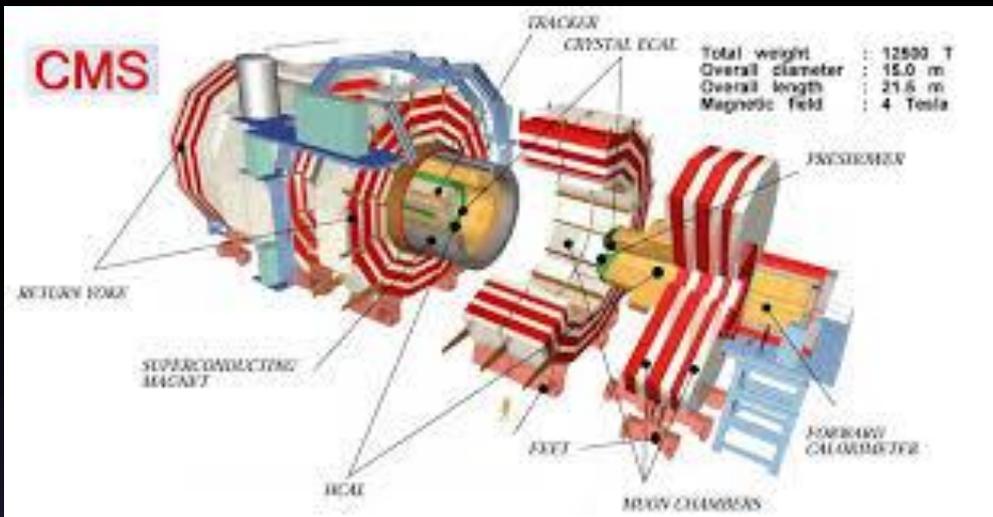
CMS-PAS-SMP-16-014

Perform the measurement to determine which calculations provide a better description of data and which theory improvement is needed

*In our Example:*

The Herwig parton shower provides a poor description of data especially at large angle, while matching a PS to a ME yields the best agreement

# Our tools!





- It is impossible to cover all the beautiful SM measurements that have been done by ATLAS and CMS in Run-1 and Run-2
  - >120 in each experiment
- It is also impossible to discuss in details the measurements to be presented below
- This presentation is based on a personal choice among the most recent results, and focuses on the conclusions relevant to the narrative
  - Will hopefully give a good taste of the progresses made thanks to our measurements

# Parton Distribution Function

# PDF: W/Z inclusive

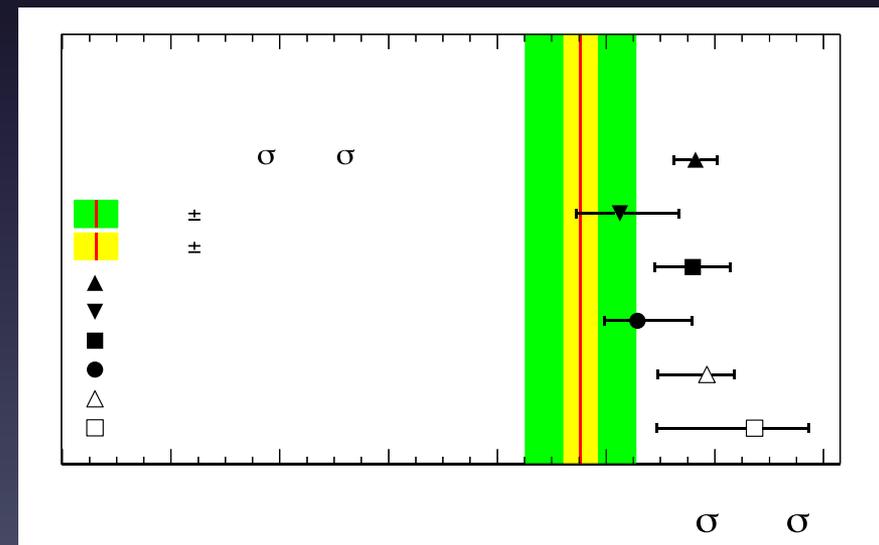
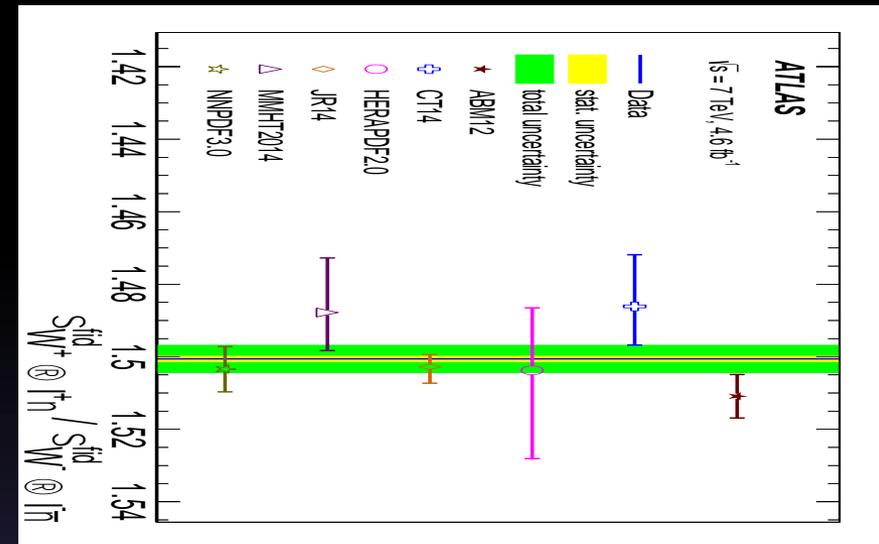
Eur. Phys. J. C77 (2017) 367

Phys. Lett. B 759 (2016) 601

- Physics motivation:
  - Light quark PDF fitting
  - Reference cross section
  - Calibrate lepton  $p_T$  and reconstruction efficiency

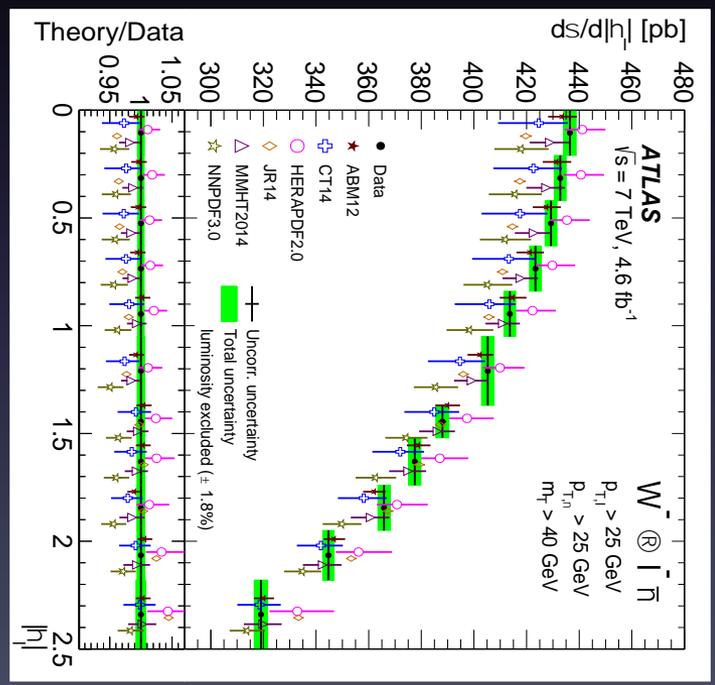
- Measurement results:
  - Reached an experimental precision of 0.4% for  $\sigma(Z)$ 
    - Lumi. Uncert.  $\sim 1.8\%$
  - Measured ratio even more precise

Excellent agreement with JR14 and NNPDF3.0 in Run-1, but the best agreement is with CT14nnlo and MMHT14nnlo68CL in Run-2.

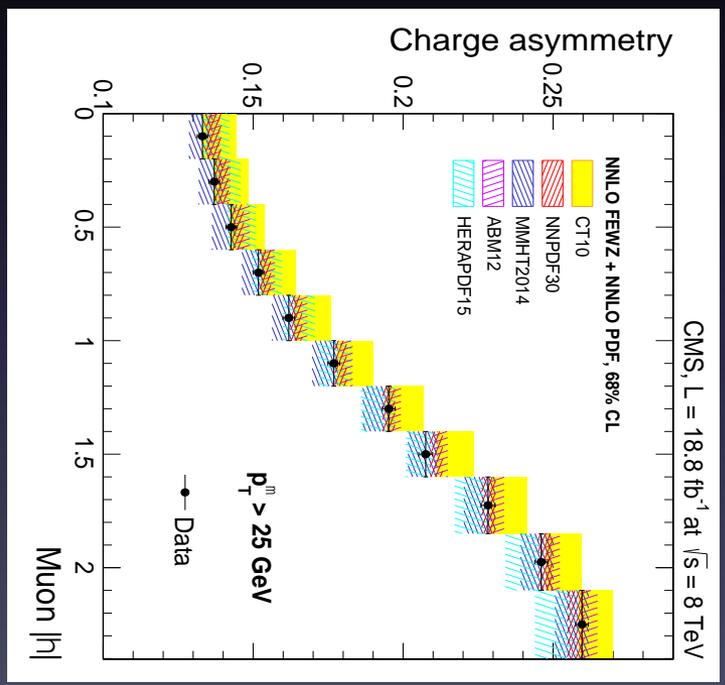


# PDF: W/Z inclusive

- Measuring differential cross sections increases the sensitivity to PDF since it provides more information
  - PDF fitting is using this information
  - Data uncertainties are smaller than PDF uncertainties and will therefore improve PDF uncertainties in new fits



**ABM12 gives the best description of both sets of data**

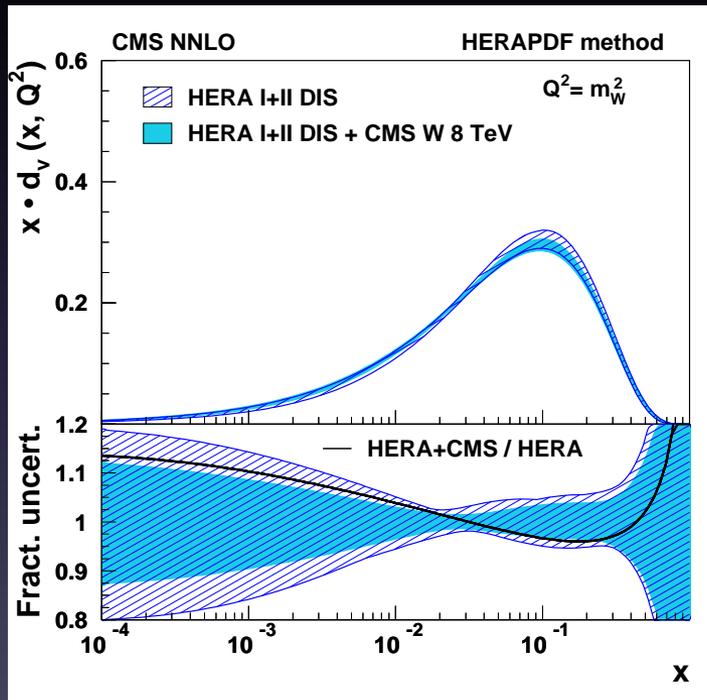


ATLAS W-lepton pseudo-rapidity

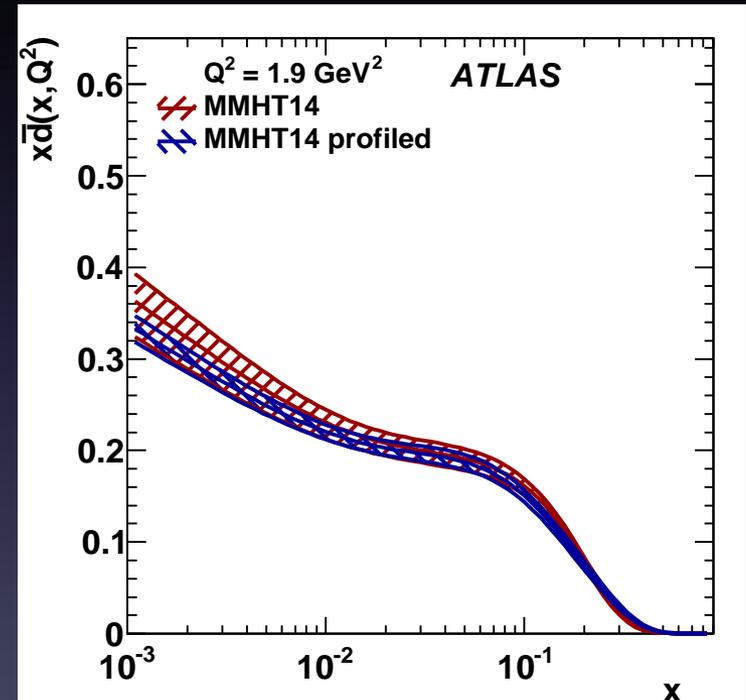
CMS W charge asymmetry

# Impact on valence PDF

- When the latest W/Z inclusive differential cross section measurements are included in the PDF fits, the uncertainties get reduced and the central values shift



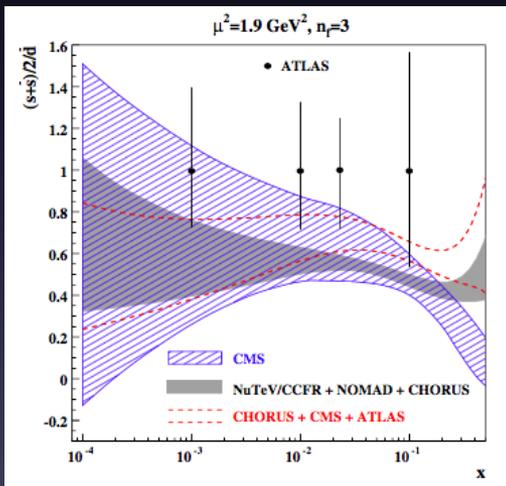
Impact of CMS W 8 TeV data on d-quark HERAPDF



Impact of ATLAS W/Z 8 TeV data on dbar-quark MMHT14

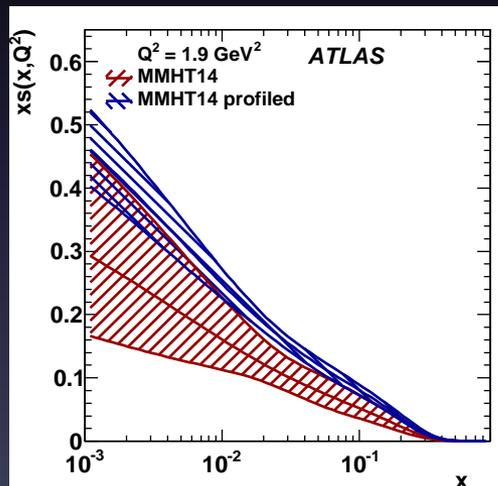
# Impact on s-quark PDF

- 2010 ATLAS results indicated an enhancement of strangeness in PDF compared to neutrino-induced charged-current DIS
  - Poorly known at low-x due to restricted kinematic in fixed-target
  - Nuclear effects make PDF extraction more complicated
- Inclusive W/Z ATLAS data dramatically improve s-quark PDF and confirm strangeness enhancement

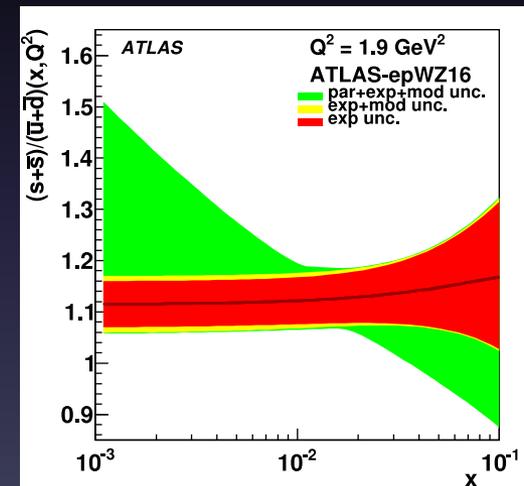


ABM Analysis

[EPJC76\(2016\)471](https://arxiv.org/abs/1605.08046)



Impact of ATLAS W/Z 8 TeV data on s-quark MMHT<sub>14</sub>

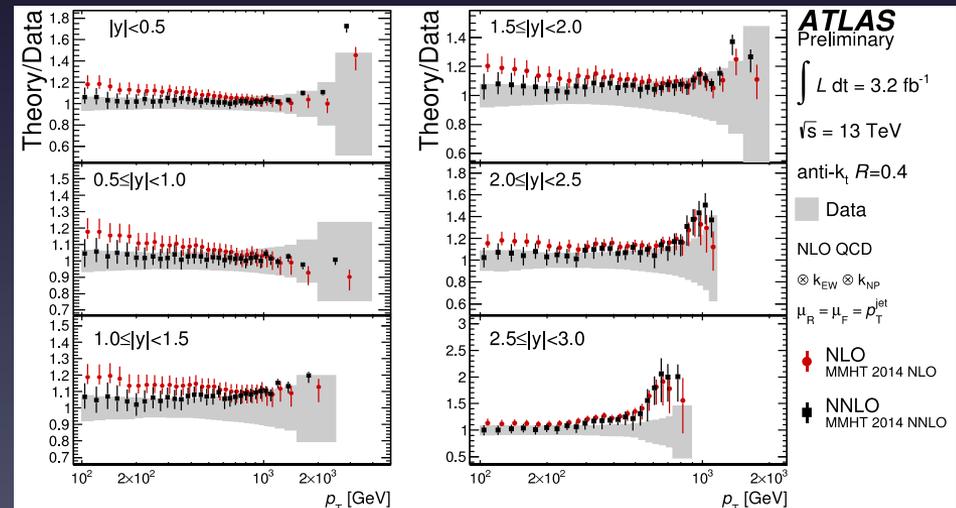
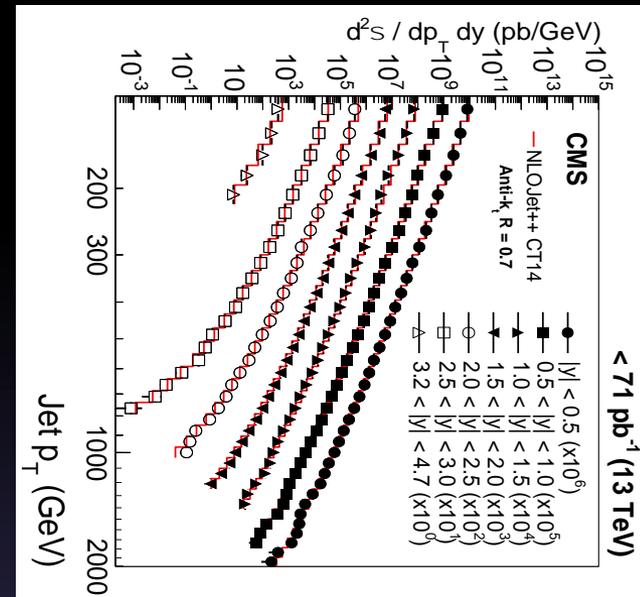


Strangeness ratio favored by ATLAS data

Suggest a restoration of SU(3) flavor symmetry in the sea distribution

# Jet cross sections

- Double differential inclusive  $P_T$  vs  $y$  distribution obtained from pQCD predictions describes generic features of data up to the TeV scale covering many orders of magnitude in cross sections
- Measurement results are probing the new NNLO level predictions
  - Tensions with NLO calculations
  - Can be used in PDF fits



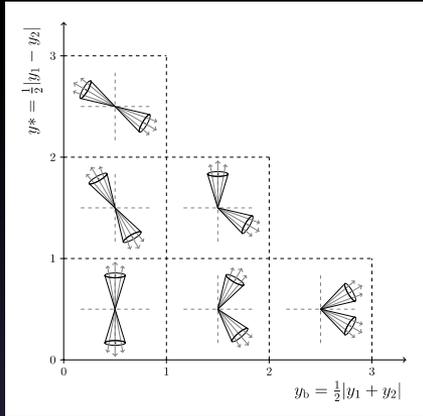
# In-depth Analysis of Jet Production

## 3D differential cross section

$$\frac{d^3\sigma}{dp_{T,avg} dy^* dy_b} = \frac{1}{\epsilon \mathcal{L}_{int}^{eff}} \frac{N}{\Delta p_{T,avg} \Delta y^* \Delta y_b}$$

arXiv:1705.02628

Probe of different topologies and radiation patterns

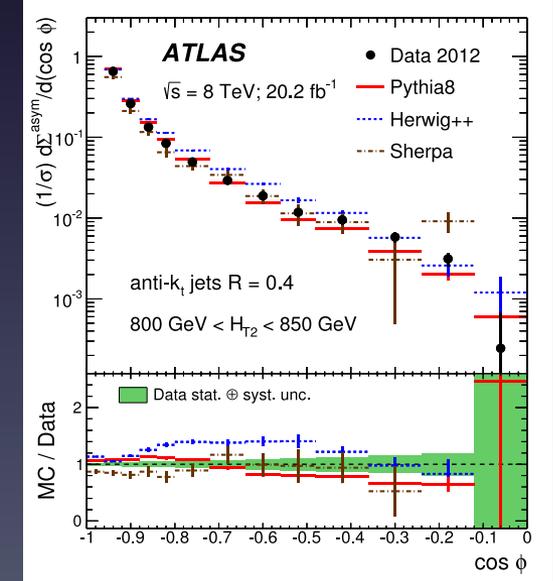
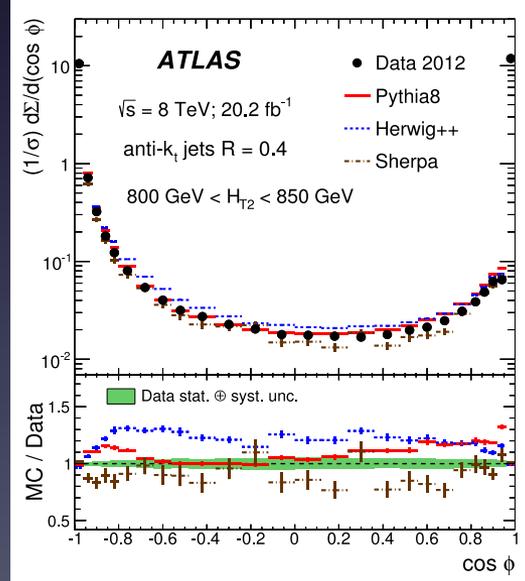
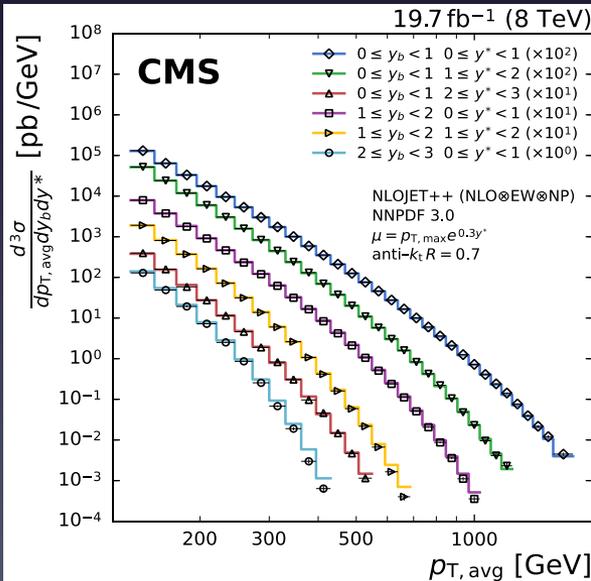


## Jet Correlations

arXiv:1707.02562

Energy-energy-Correlation in transverse plane (TEEC) and its asymmetry (ATEEC)

$$\frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \equiv \frac{1}{N} \sum_{A=1}^N \sum_{ij} \frac{E_{Ti}^A E_{Tj}^A}{\left(\sum_k E_{Tk}^A\right)^2} \delta(\cos \phi - \cos \phi_{ij})$$

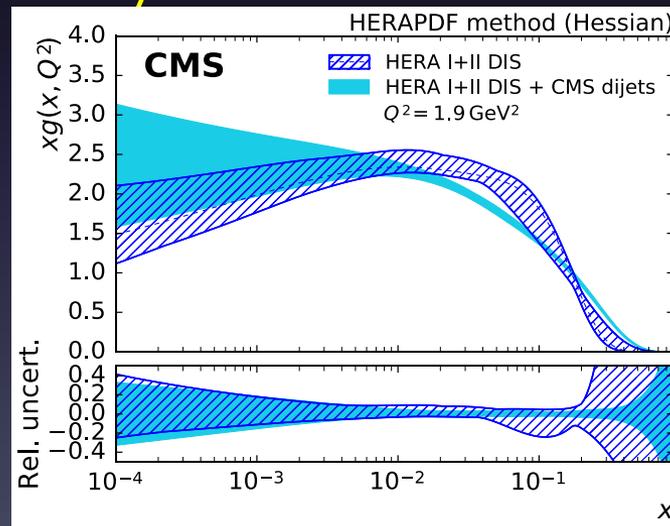
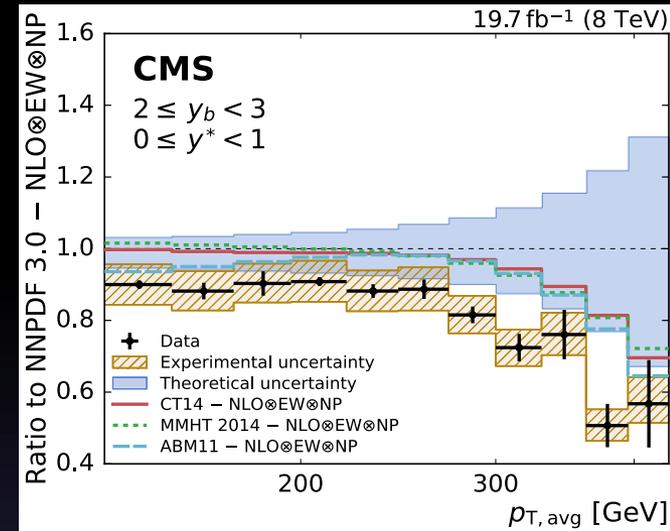


# Constraints to PDFs

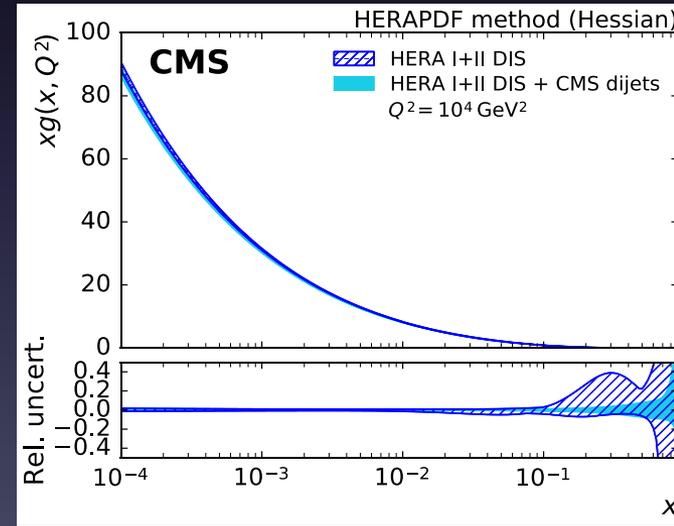
- The exp. uncert. on the CMS 3D differential cross sections is smaller than theoretical uncertainties on predictions
- Tensions with NLO predictions are also observed at high  $p_T$  and high boost

Measurements can be used to constrain the theory!

- Fit of free parameters of PDFs models
- HERAFITTER or xFITTER routines
- Need to account for correlations between all syst.



Significant impact on high- $x$  gluon PDF at low- $Q_2$

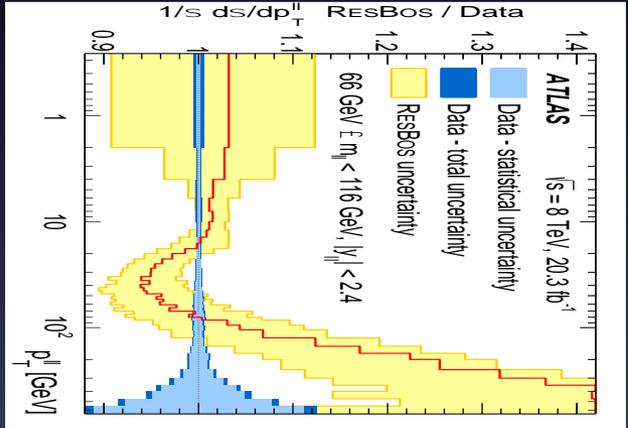
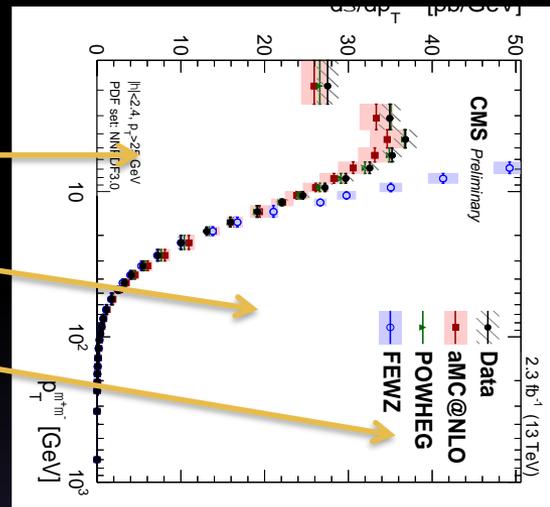


Significant impact on high- $x$  gluon PDF at high- $Q_2$

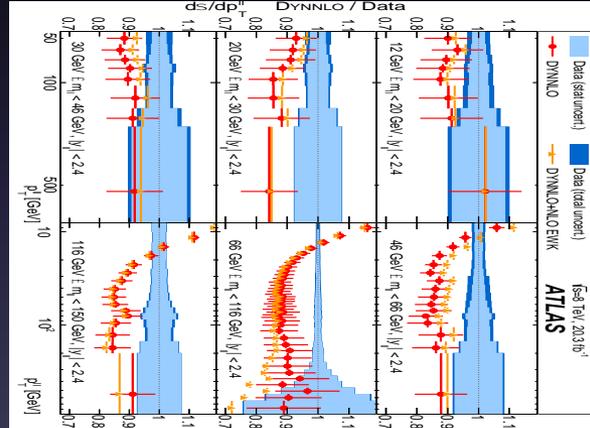
# Soft Parton Radiation (QCD Bremsstrahlung)

# Vector Boson $P_T$

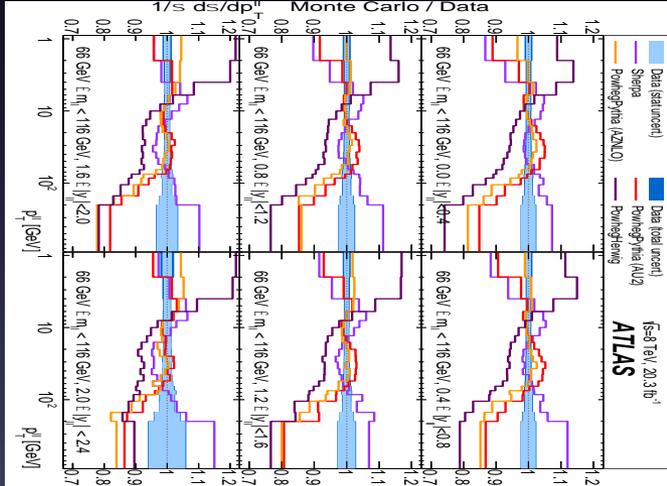
- Test multiple aspects of QCD predictions
  - Intrinsic- $K_T$
  - Low- $p_T$  (W,Z): logarithmic resummations
  - High- $p_T$  (W,Z): (N)NLO perturbative QCD
  - Important test of parton shower tuning



NNLL soft-gluon Resummation:  
(including GNW npQCD corr.)  
Good description at low and average  $P_T$ , but not when hard gluon emission dominates



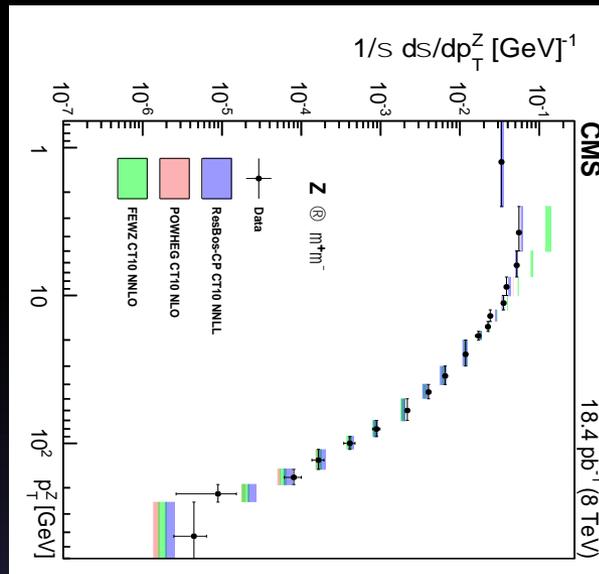
NNLO Fixed order (DYNNLO):  
Cannot describe low  $P_T$ , but still does poorly at average  $P_T$



PS and tuning more important than NLO ME:  
variations on predictions are very large

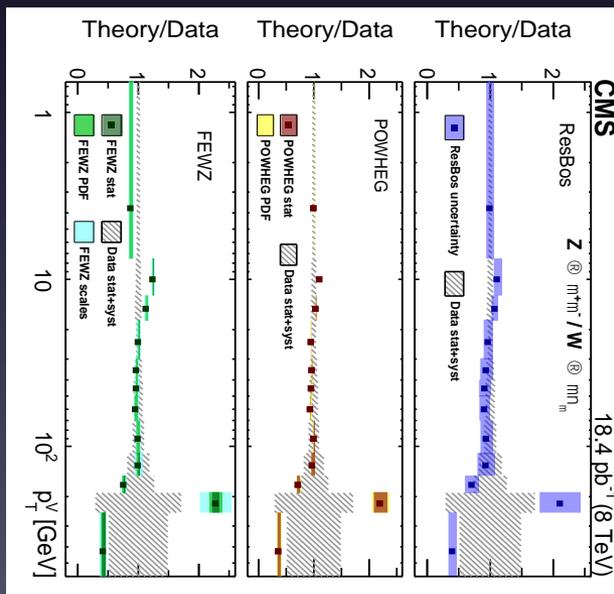
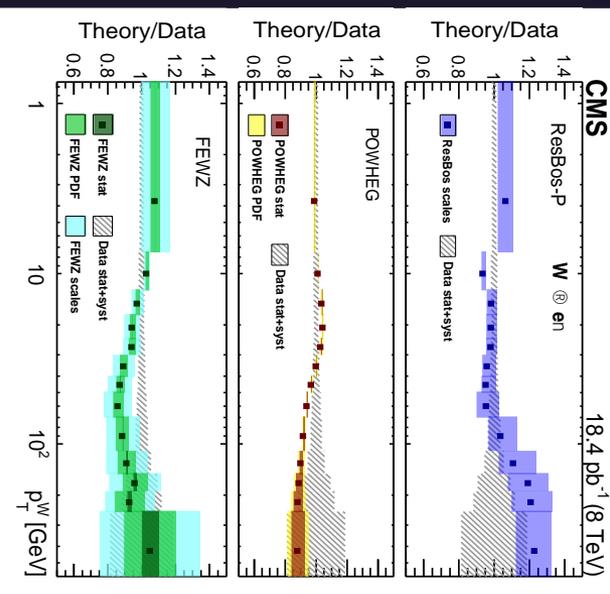
# Vector Boson $P_T$

- CMS produced the measurement in a dedicated low luminosity run
  - Limit the impact of pile-up affecting non perturbative effects at low  $P_T$
  - Also performed W  $P_T$  measurement
  - Measured the ratio of W  $P_T$ / Z  $P_T$  accounting for all correlations



## NNLO Fixed order (FEWZ):

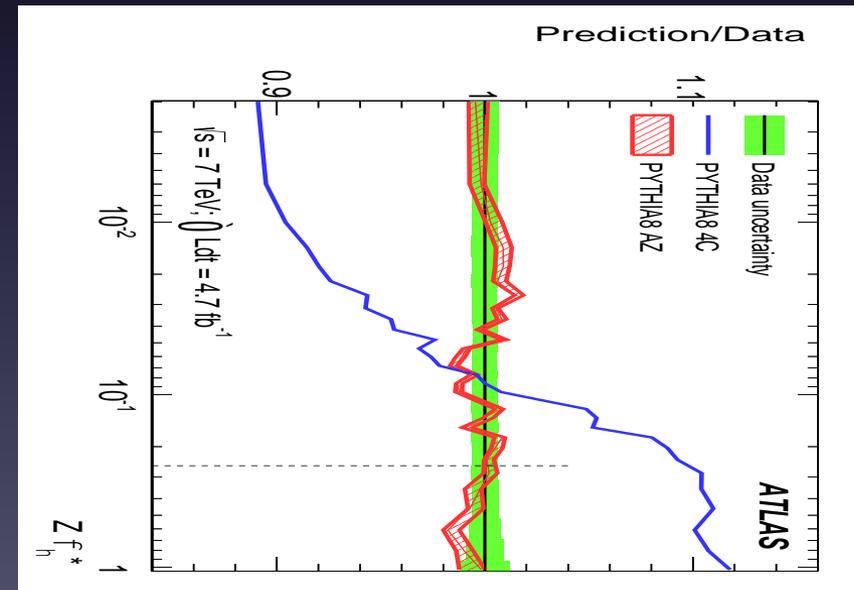
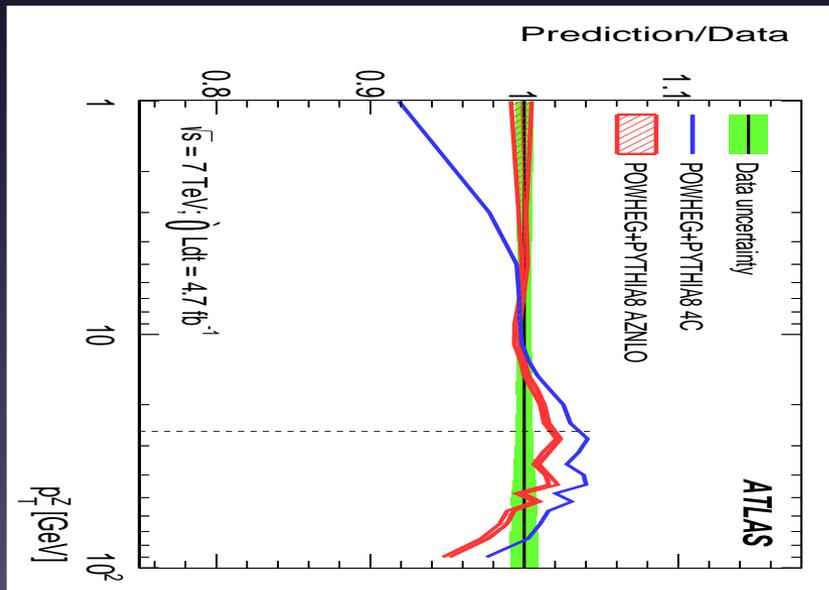
- Still does rather poorly at average  $P_T$
- Normalizing on  $\sigma$  improves the first bin
- Lack of resolution in the very wide first bin
- Soft radiation not modeled the same in W and in Z



# Need for tuning

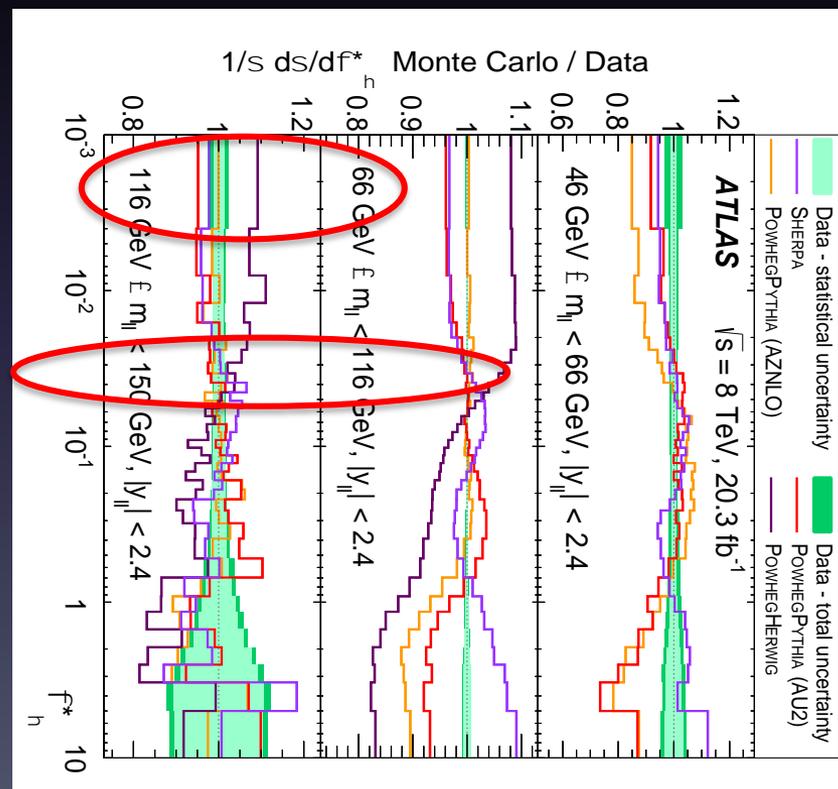
- Huge advantage of PS tuning over more accurate ME predictions for low and average  $P_T$  region, less critical for high  $Z$   $P_T$  values
  - True for both  $Z$   $P_T$  and  $\phi^*$
  - Tuning effects larger for LO than NLO, but end point comparable

Parameter	Variation Range	Variation Range
	PYTHIA8 tune	PYTHIA8+POWHEG tune
Primordial $k_T$ [GeV]	1.0–2.5	0.5–2.5
ISR $\alpha_S^{\text{ISR}}(m_Z)$	0.120–0.140	0.118
ISR cut-off [GeV]	0.5–2.5	0.5–3.0
ISR $\alpha_S$ order	LO	NLO
PYTHIA8 base tune	tune 4C	tune 4C
POWHEG cut-off [GeV <sup>2</sup> ]	-	4.0



# Limitations of tuning

- Tuning provides a better description of data with similar event topology
  - The AZNLO tune has been obtained from the 7 TeV ATLAS Z  $P_T$  and  $\phi^*$  measurements for  $66 \text{ GeV} < m_{\parallel} < 116 \text{ GeV}$
  - It performs very well in the same phase space for 8 TeV data
  
- A tune will however often be sub-optimal in some other phase space regions.
  
- Tuning cannot be the solution to all QCD emission mis-modeling issues for future predictions
  - But it can be a useful tool for reweighting



# $k_T$ -Splitting

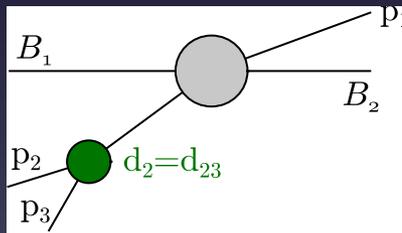
- Parton radiation is intimately related to jet clustering algorithms:
  - sequential  $k_T$ -type jet algorithms produce infrared- and collinear-safe branching history of partons.
  - Each step of the  $k_T$  algorithm identifies the pair of partons which would most like proceed from QCD emission or splitting
  - Used to determine when a branching occur in CKKW for example

Criteria for combining partons  $i$  and  $j$ :

$$d_{ij} = \min(p_{Ti}^2, p_{Tj}^2) \frac{\Delta R_{ij}^2}{R^2} \approx \min(E_i, E_j) \theta_{ij}$$

Splitting prob. for branching in partons  $i$  and  $j$  in the soft and collinear limit:

$$\frac{dP_{ij \rightarrow i,j}}{dE_i d\theta_{ij}} \sim \frac{1}{\min(E_i, E_j) \theta_{ij}}$$

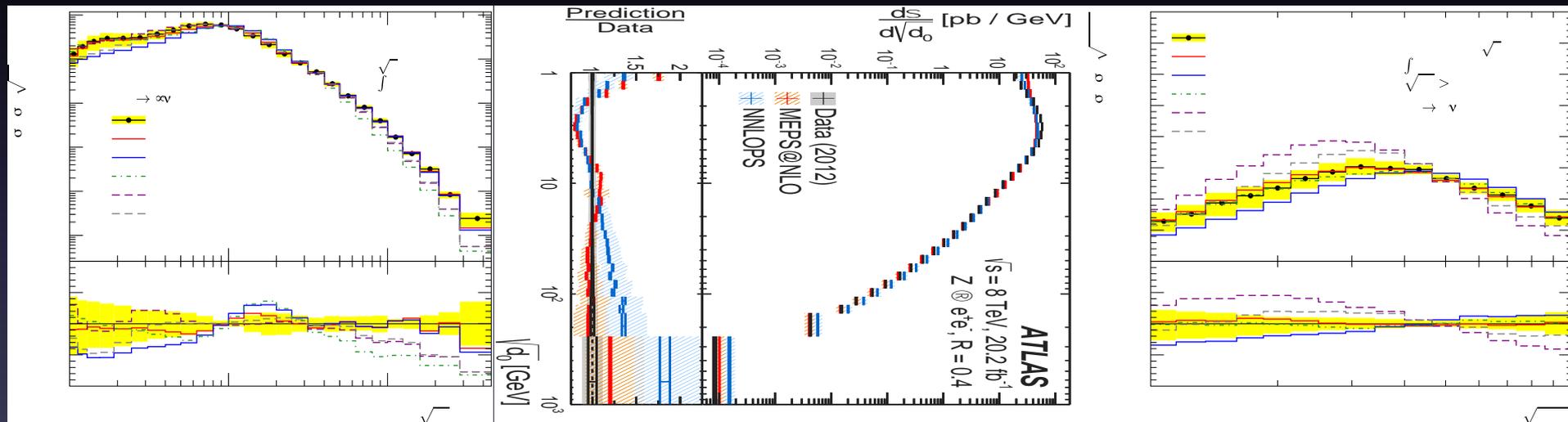


Measuring the  $k_T$ -splitting scales at different steps of the iteration would allow to test branching modeling at different scales therefore testing resummation, parton shower, ME, etc.

# $k_T$ -Splitting

- $\sqrt{d}_k$ :  $k_T$ -splitting scales where number of input drops from  $k+1$  to  $k$ 
  - Large  $k$  and low  $\sqrt{d}_k$  values are sensitive to soft emission and non-perturbative effects; low  $k$  and high  $\sqrt{d}_k$  is sensitive to hard radiation
  - Can be used for tuning

$$\sqrt{d}_k = \sqrt{\min(d_{ij}, d_{iB})}$$



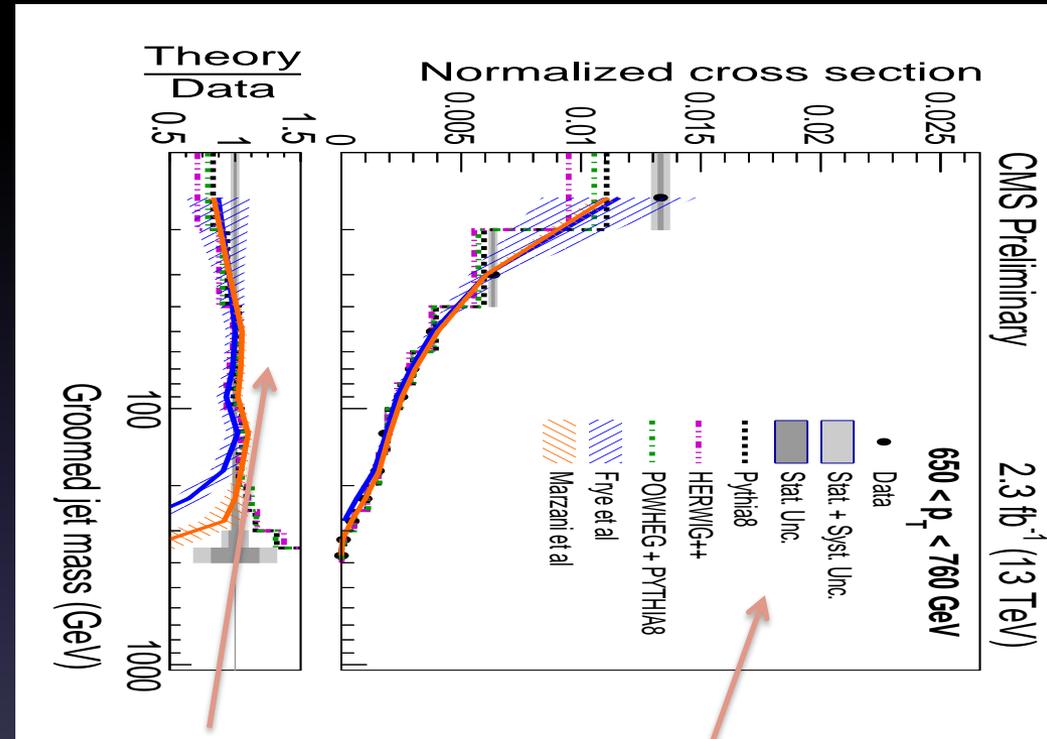
Low  $\sqrt{d}_0$  is sensitive to PS and npQCD; high  $\sqrt{d}_0$  is not sensitive to soft effects, but favors high-multiplicity LO over low-multiplicity at NLO

- Use tracks for more precision
- Improvements at high  $\sqrt{d}_0$ : Sherpa 2 uses NLO+tree-level+PS.
- NNLOPS is NNLO for Drell-Yan only, so ME up to 2 jets.

Ratio of scale is more precise. The  $\sqrt{(d_1/d_0)}$  probes NLO to PS matching. The MC@NLO matching is better than the Powheg approach.

# Soft drop groomed jet mass

- Soft drop is a jet grooming procedure that yields NNLL resummed jet observables.
  - Discard soft gluon emission until a sufficiently hard branching is found
  - PS and NNLL resummed predictions are in agreement with data showing a suppression of Sudakov corrections



Sensitive to  
npQCD effects

Sensitive to HO  
ME corrections

- Soft drop grooming stripped soft-radiation from the jet, suppressing the Sudakov peak → good test of ME calculations

# Hard Parton emissions

# Hard radiation: V+jets

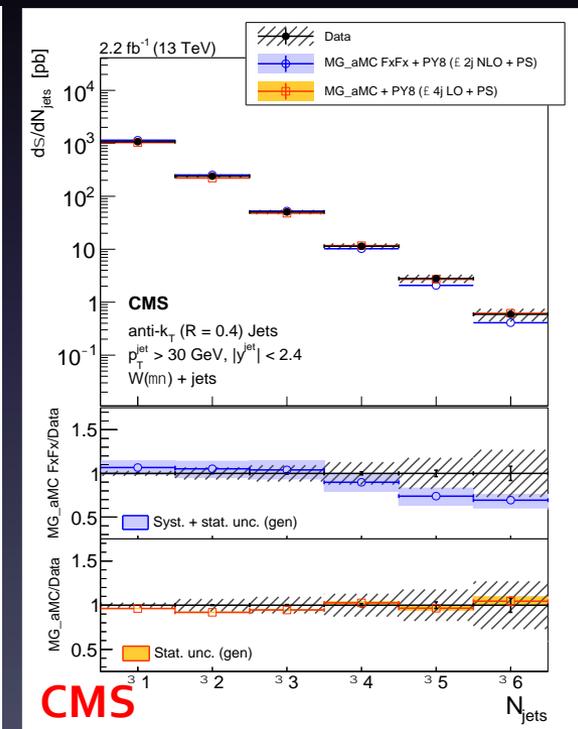
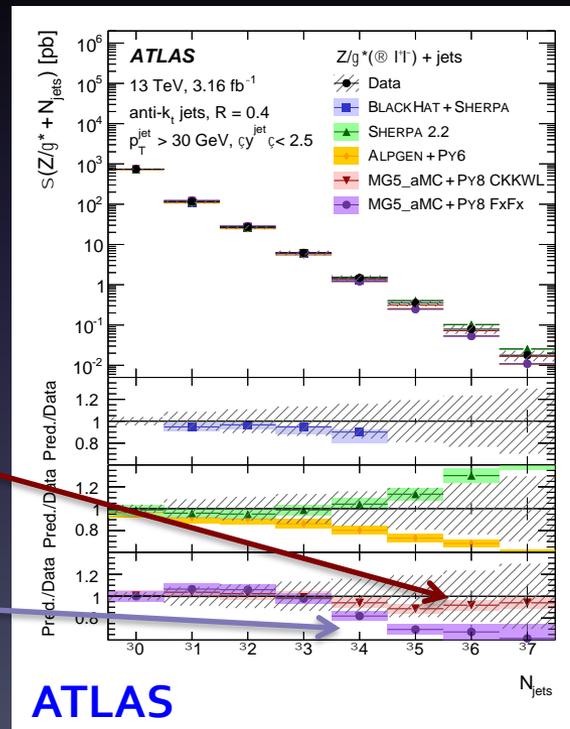
arXiv:1707.05979

Eur. Phys. J. C77 (2017) 361

- Test pQCD in more exclusive final states
  - Large phase space for QCD bremsstrahlung: room for hard radiation
  - Both ISR and FSR are entangled
  - Multiple scales in each event force more sophisticated predictions
  - Direct study of SM in regions where new physics is often predicted

- Multiplicities in good agreement with ME when jets are hard

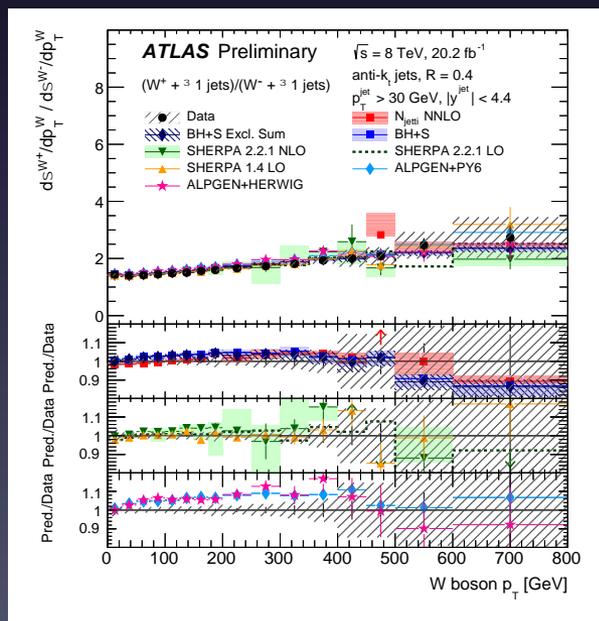
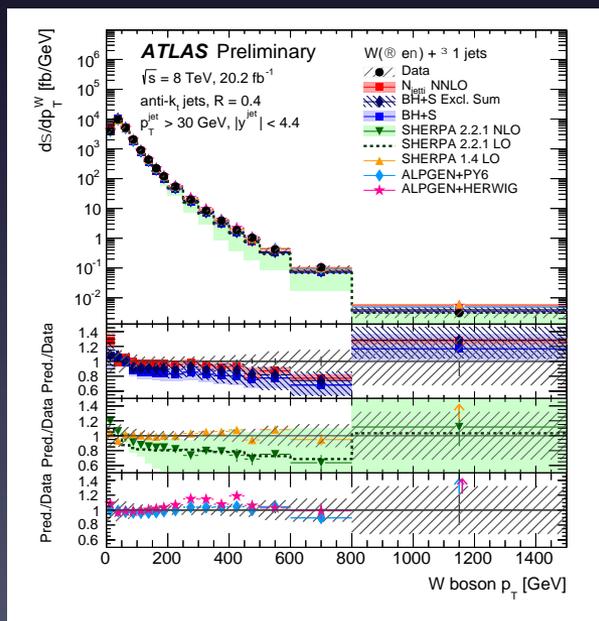
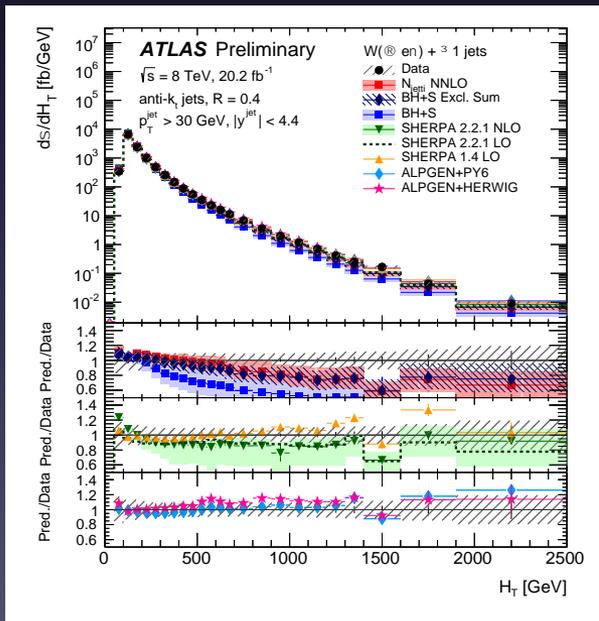
- PS lacks of large angle hard emission
- More jets at LO ME is better than fewer jets at NLO
- PS and merging matters at high  $N_{\text{jets}}$



13 TeV data

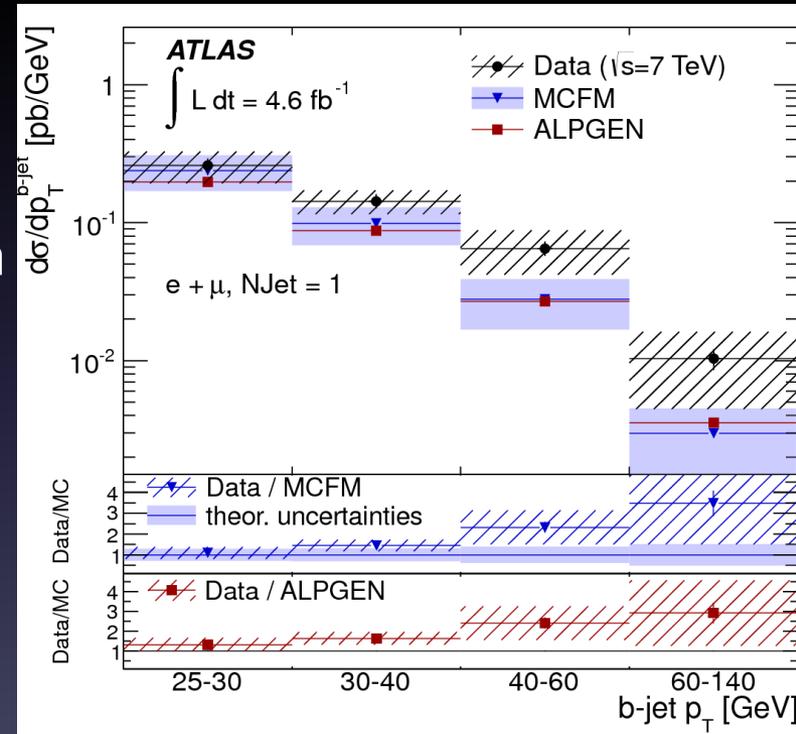
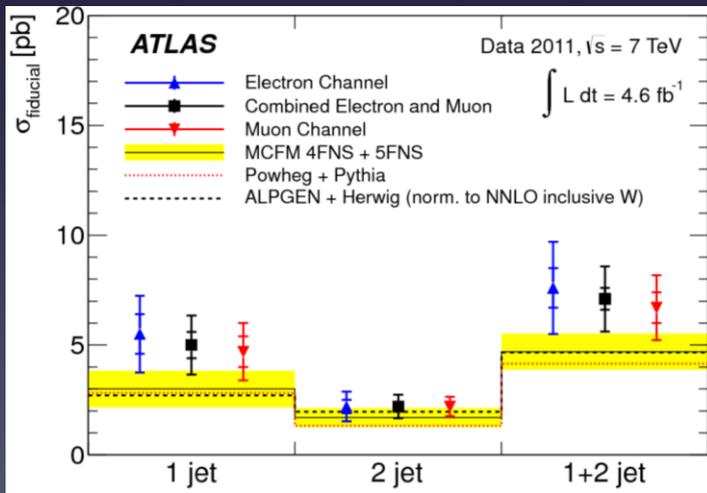
# Hard radiation: V+jets

- Lack of PS is detrimental to jet momentum modeling
  - Exclusive sum and NNLO not sufficient to restore agreement in  $H_T$
  - Adding virtual corrections does not improve on exclusive sum with no matching procedure
- No significant sensitivity to the choice of PS (Alp+Pyt~ Alp+Her)
- Alpgen ME+MLM merging cannot describe  $W^+ / W^-$
- Is there a big issue with MEPS@NLO matching prescription?



# Heavy Flavor: W+b-jets

- Further theoretical uncertainties for heavy flavor jets:
  - Heavy flavor content of PDF
  - Gluon splitting pushed in the limit of invalidity when  $m_q$  is large
  - Mass effects in ME calculation
- 4FNS vs 5FNS:
  - b-quark from gluon splitting vs DGLAP (PDF)
- Tension between predictions and data
  - Systematically increasing with  $P_T$
  - Experimentally very challenging



➔ Not yet significant

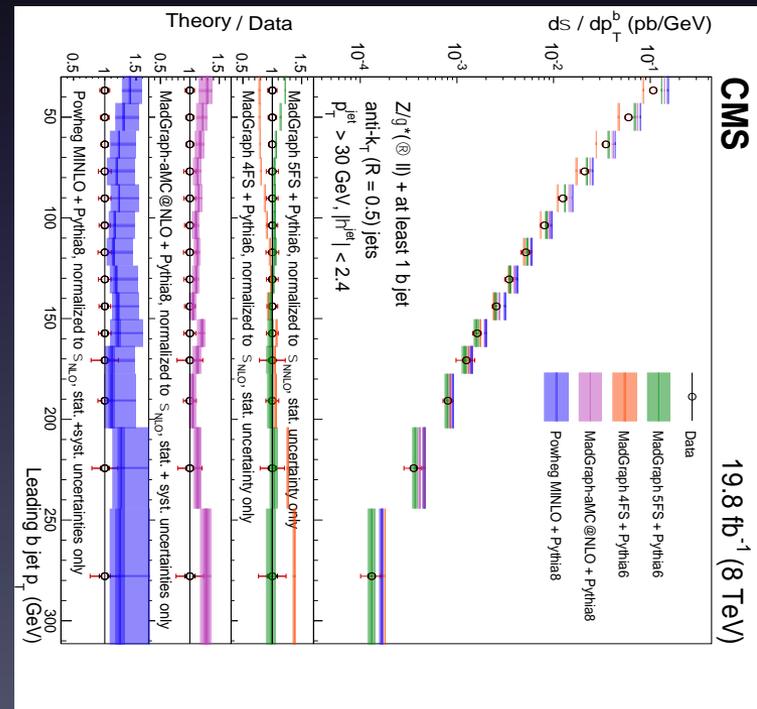
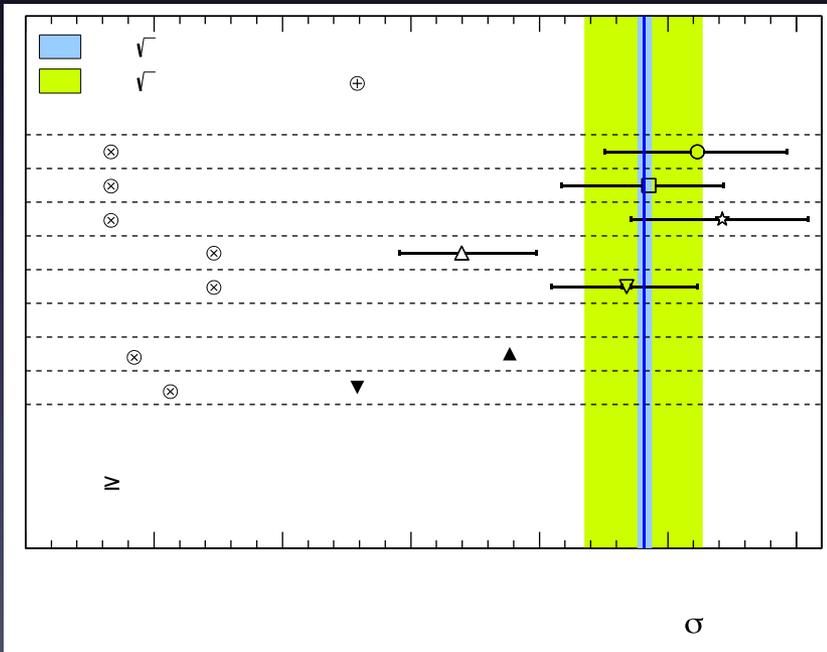
➔ Need more precision to conclude...

# Heavy flavor: Z+b-jets

JHEP 10 (2014) 141

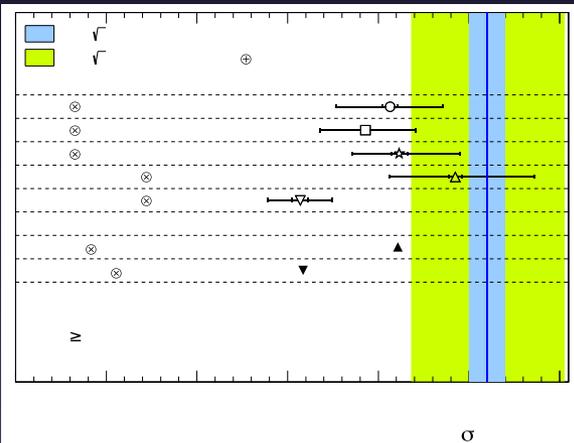
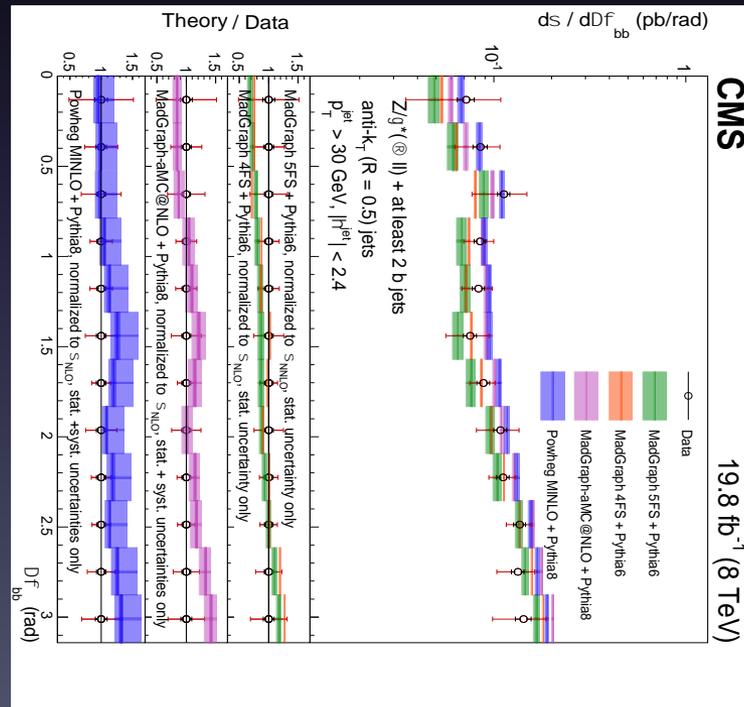
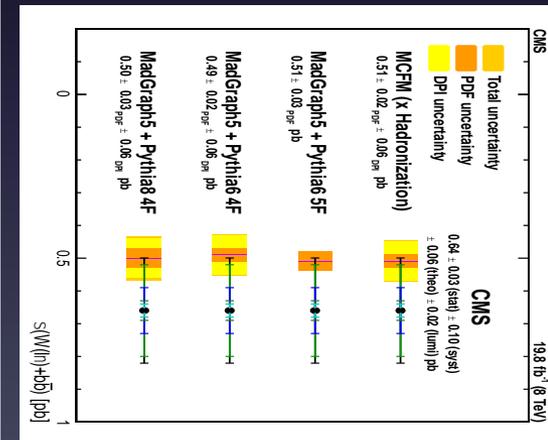
arXiv:1611.06507

- Data favor scheme where the b-quark is taken from PDF ( $5FNS$ )
  - Low  $p_T$  regime is not well-described by both approaches
  - LO+PS generators are underestimating the cross section
  - It is not clear if  $5FNS$  is reliable for NLO predictions: disagreement is large at low  $p_T$  and predictions are systematically off at any  $p_T$ .



# Heavy flavor: V+bb

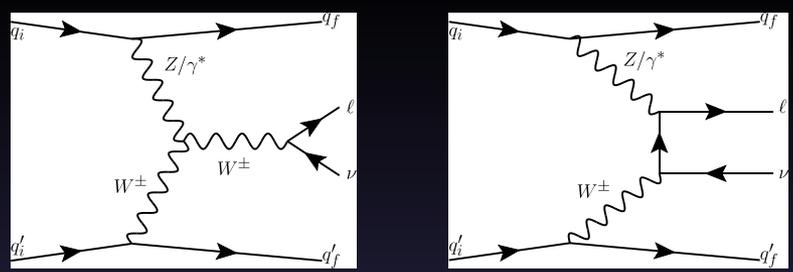
- The flavor scheme seems not to matter much in cases where 2 b-quarks are in the final state
  - 4 and 5 FNS cross sections in Wbb and shapes in Zbb are very similar
  - Mostly come from gluon splitting in all cases
- Gluon splitting seems not to be very well understood in the collinear regime at LO, but NLO Powheg describes data well



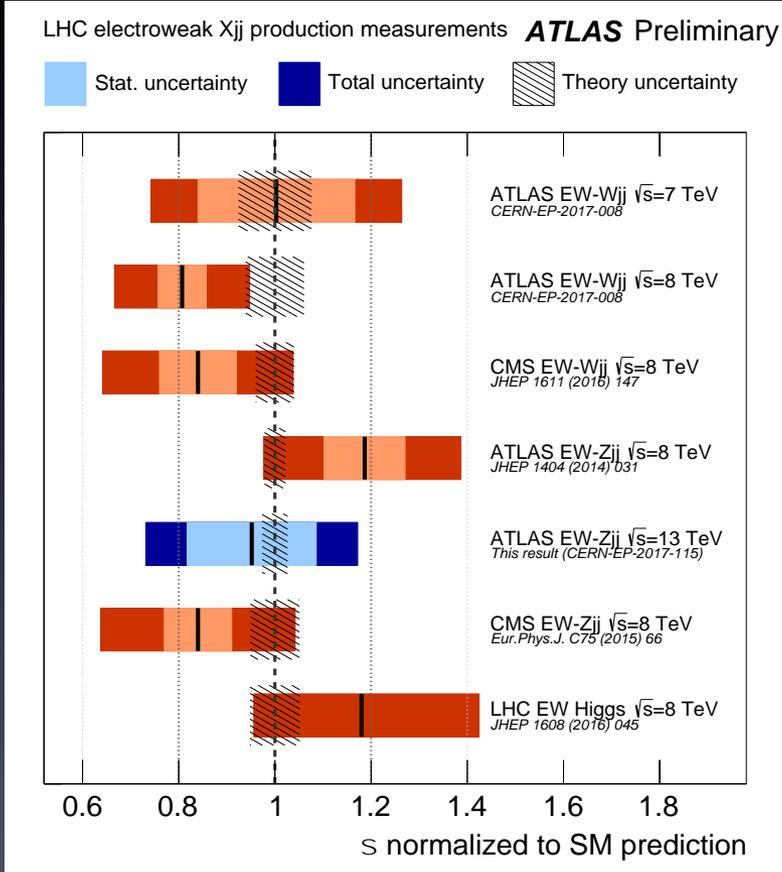
# Measurement of various electroweak-dominated processes

# Vector Boson Fusion

- Lepton+jets production in VBF processes are important backgrounds to many Higgs measurements or searches for new physics
  - 2 forward jets with large rapidity separation

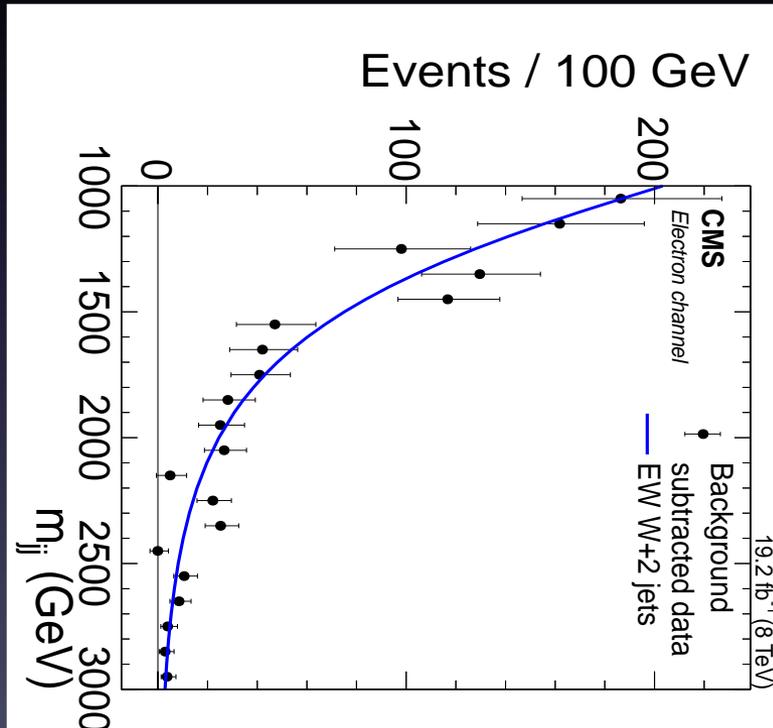


- Both ATLAS and CMS data are in globally good agreement with predictions
  - Processes observed at  $\geq 5\sigma$
  - Experimental uncertainties are significantly larger than theory uncertainty

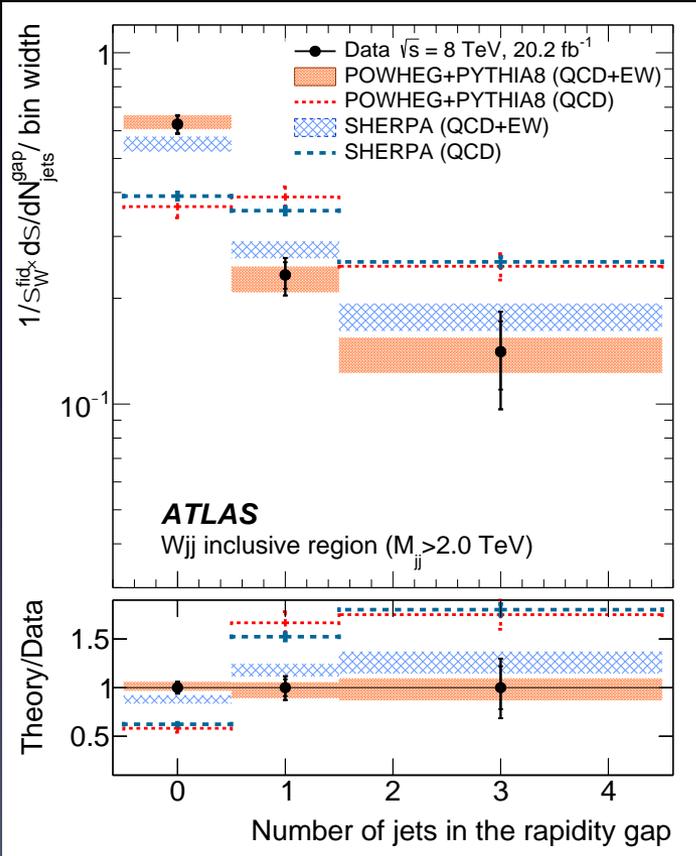


- The measurements non-ambiguously probed electroweak contribution to  $W+2$ -jets, despite a large QCD-related contribution

CMS EWK-extracted contribution to  $W_{jj}$  using the  $M_{jj}$  observable

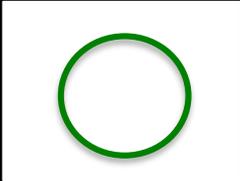


ATLAS clear test of EWK contribution using the number of jets in the rapidity gap





# Diboson measurement results are challenging NLO predictions and mostly in excellent agreement with NNLO calculations

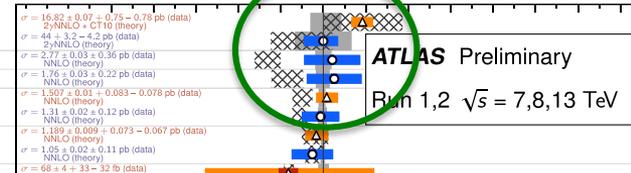


Data agree with the large shift in NNLO vs NLO  
or  
Comparable or more precise results than NLO predictions

## Diboson Cross Section Measurements

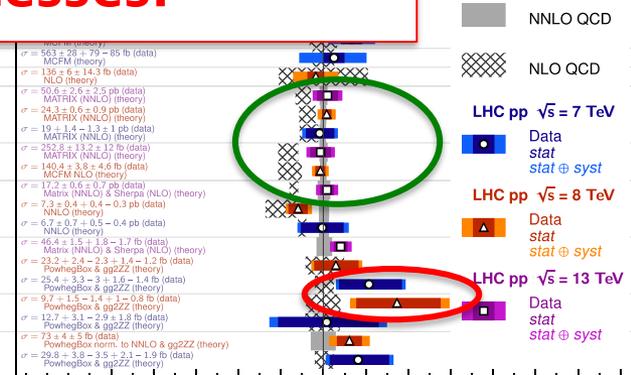
Status: July 2017

March 2017  
 $\gamma\gamma$   
 $W\gamma \rightarrow \ell\nu\gamma$   
 $-\ [n_{jet} = 0]$   
 $Z\gamma \rightarrow \ell\ell\gamma$   
 $-\ [n_{jet} = 0]$



Differential cross section measurements are also available for many of these processes!

March 2017  
 $-\ WW \rightarrow e\mu, [n_{jet} \geq 0]$   
 $-\ WW \rightarrow e\mu, [n_{jet} = 1]$   
 WZ  
 $-\ WZ \rightarrow \ell\nu\ell\ell$   
 ZZ  
 $-\ ZZ \rightarrow 4\ell$   
 $-\ ZZ \rightarrow \ell\ell\nu\nu$   
 $-\ ZZ^* \rightarrow 4\ell$



0.2 0.4 0.6 0.8 1.0 1.2 1.4 1.6 1.8 2.0 2.2 2.4  
ratio to best theory

<http://ceem.chg.lbl.gov/p17>

Process	CMS measurement (stat, syst)	vs. NNLO (NLO) theory
$gg$	$1.06 \pm 0.01 \pm 0.12$	$5.0 \text{ fb}^{-1}$
$W\gamma, (\text{NLO th.})$	$1.16 \pm 0.03 \pm 0.13$	$5.0 \text{ fb}^{-1}$
$Z\gamma, (\text{NLO th.})$	$0.98 \pm 0.01 \pm 0.05$	$5.0 \text{ fb}^{-1}$
$Z\gamma, (\text{NLO th.})$	$0.98 \pm 0.01 \pm 0.05$	$19.5 \text{ fb}^{-1}$
$WW+MWZ$	$1.01 \pm 0.13 \pm 0.14$	$4.9 \text{ fb}^{-1}$
$WW$	$1.07 \pm 0.04 \pm 0.09$	$4.9 \text{ fb}^{-1}$
$WW$	$1.00 \pm 0.02 \pm 0.08$	$19.4 \text{ fb}^{-1}$
$WW$	$0.96 \pm 0.05 \pm 0.08$	$2.3 \text{ fb}^{-1}$
$WZ$	$1.05 \pm 0.07 \pm 0.06$	$4.9 \text{ fb}^{-1}$
$WZ$	$1.02 \pm 0.04 \pm 0.07$	$19.6 \text{ fb}^{-1}$
$WZ$	$0.80 \pm 0.05 \pm 0.07$	$2.3 \text{ fb}^{-1}$
$ZZ$	$0.97 \pm 0.13 \pm 0.07$	$4.9 \text{ fb}^{-1}$
$ZZ$	$0.97 \pm 0.06 \pm 0.08$	$19.6 \text{ fb}^{-1}$
$ZZ$	$1.10 \pm 0.04 \pm 0.05$	$35.9 \text{ fb}^{-1}$

CMS Preliminary



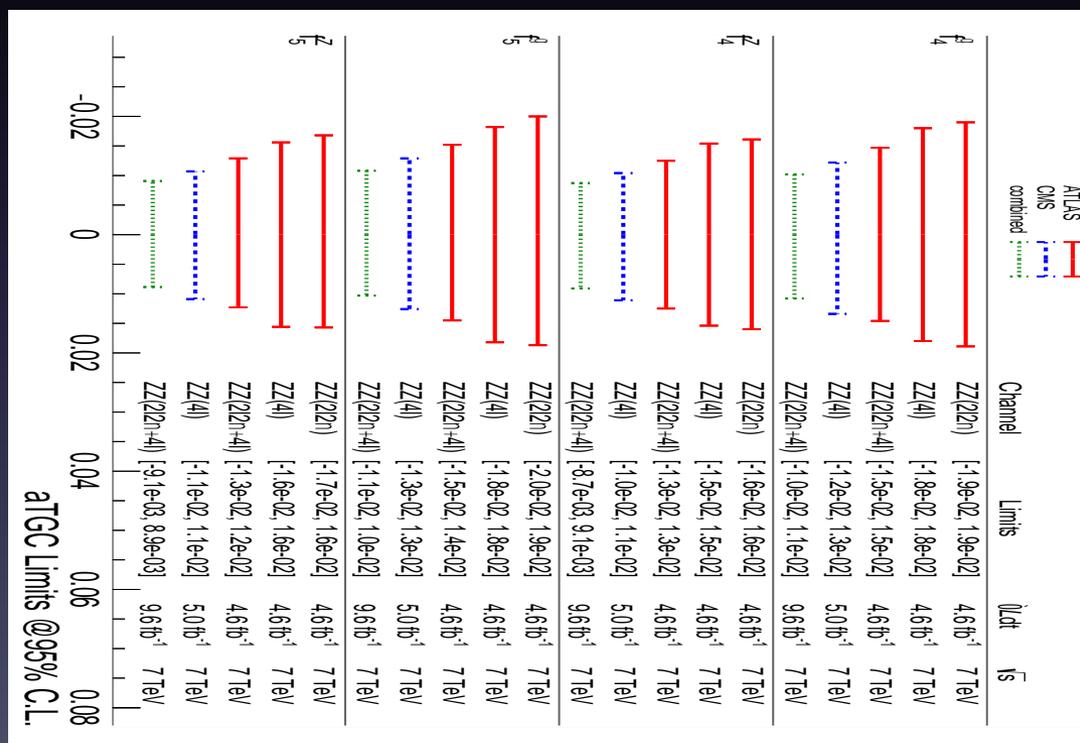
Tensions between predictions and data

# Anomalous Triple Gauge Coupling

ATLAS-CONF-2016-036

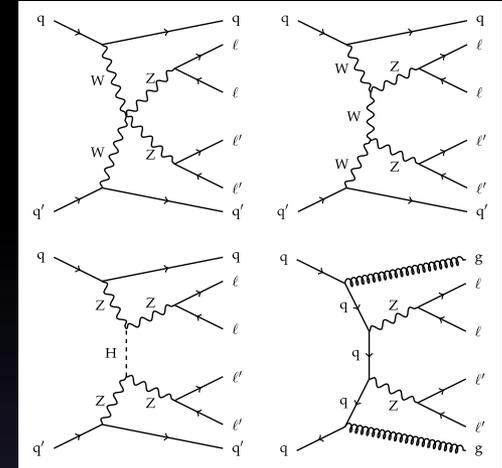
- Multiple coupling parameters to be constrained, depending on the higher-order effective operator considered
- Combined limits from ATLAS and CMS in the ZZ channel

Coupling	Parameter	Channel
WW $\gamma$	$\lambda_{\gamma i} \Delta \kappa_{\gamma}$	WW, W $\gamma$
WWZ	$\lambda_{Zi} \Delta \kappa_{Zi} \Delta \gamma_1^Z$	WW, WZ
ZZ $\gamma$	$h_3^Z, h_4^Z$	Z $\gamma$
Z $\gamma\gamma$	$h_3^\gamma, h_4^\gamma$	Z $\gamma$
Z $\gamma$ Z	$f_4^Z, f_5^Z$	ZZ
ZZZ	$f_4^\gamma, f_5^\gamma$	ZZ

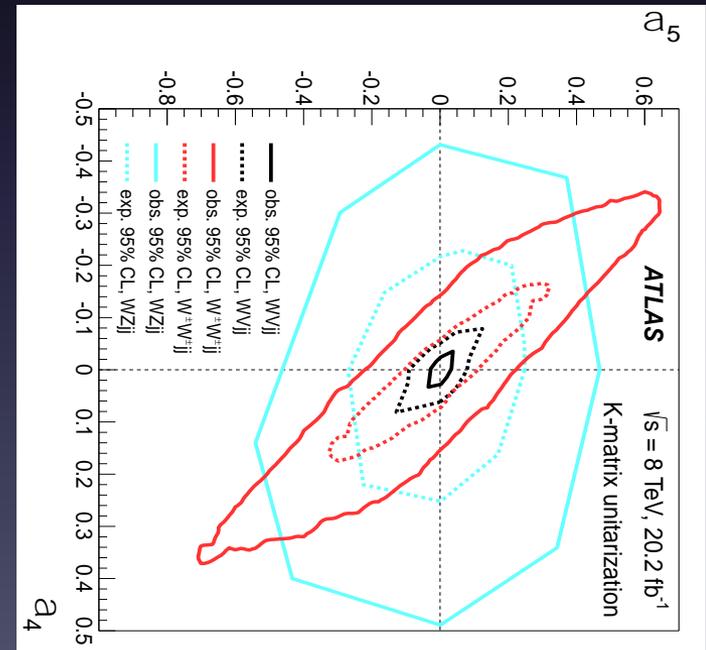


# Vector Boson Scattering

- It is a VBF process with a diboson final state
- It provides a unitarity test of the EWK sector
- No observation of a significant SM signal yet, but we are close to an observation
- BSM models enhance the signal with an anomalous aQGC
- Can be used to put limits on aQGC



Coupling	Exp. lower	Exp. upper	Obs. lower	Obs. upper	Unitarity bound
$f_{T0}/\Lambda^4$	-0.53	0.51	-0.46	0.44	2.5
$f_{T1}/\Lambda^4$	-0.72	0.71	-0.61	0.61	2.3
$f_{T2}/\Lambda^4$	-1.4	1.4	-1.2	1.2	2.4
$f_{T8}/\Lambda^4$	-0.99	0.99	-0.84	0.84	2.8
$f_{T9}/\Lambda^4$	-2.1	2.1	-1.8	1.8	2.9



arXiv:1708.02812

Phys. Rev. D95 (2017) 032001

Phys. Rev. D96 (2017) 012007

Phys. Rev. D93 (2016) 092004

# Measurements of EWK parameters

# Weak mixing angle

$$A_{FB} = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B}$$

- $\sin^2\theta_W$  is measured using Forward-Backward asymmetry in Z events

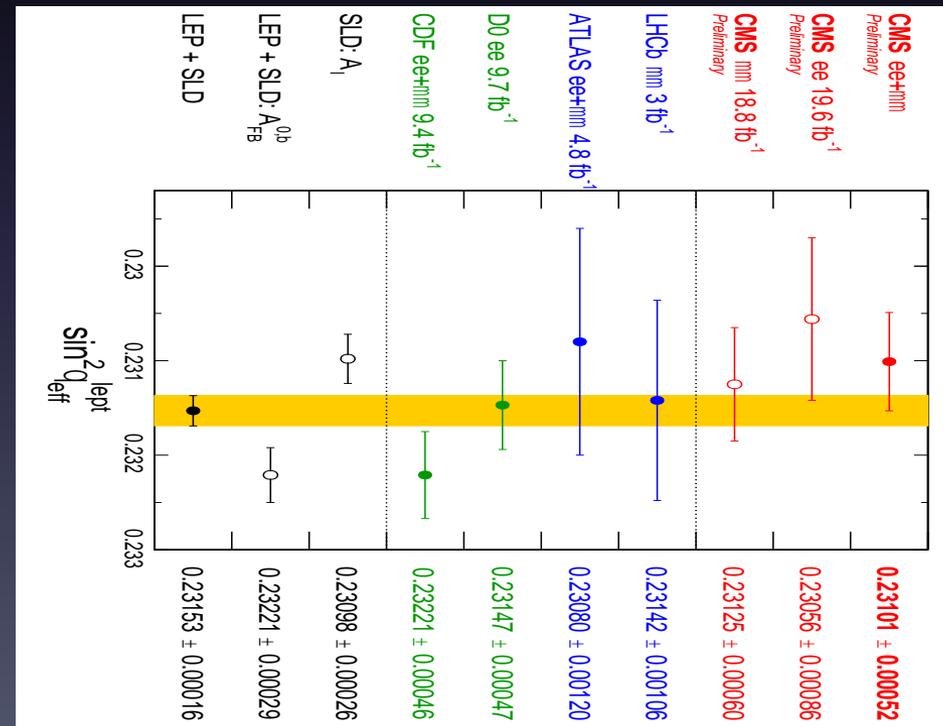
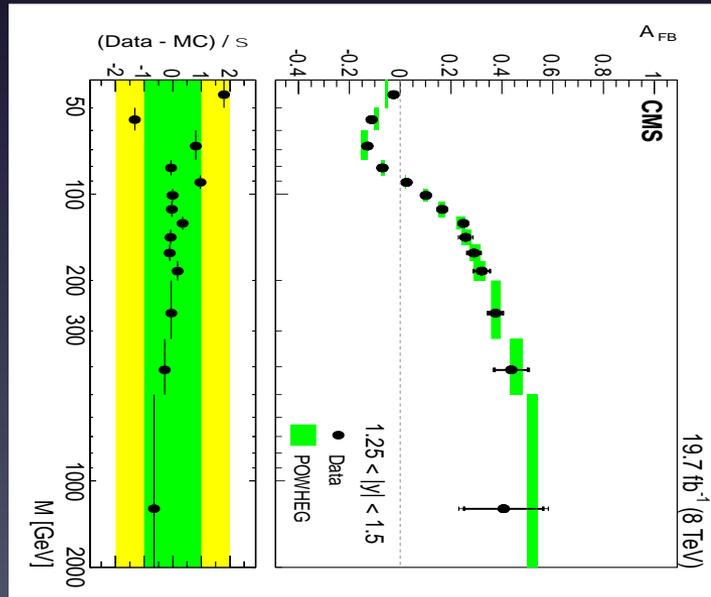
- Forward or backward events are defined in the Collins-Soper frame by:

$$\cos\theta^* = \frac{2(p_1^+ p_2^- - p_1^- p_2^+)}{\sqrt{M^2(M^2 + P_T^2)}} \times \frac{P_Z}{|P_Z|}$$

- The weak mixing angle is extracted using  $m_{ll}$  templates where the vector couplings of leptons to the Z boson are varied

$$v_f = T_3^f - 2Q_f \sin^2\theta_W$$

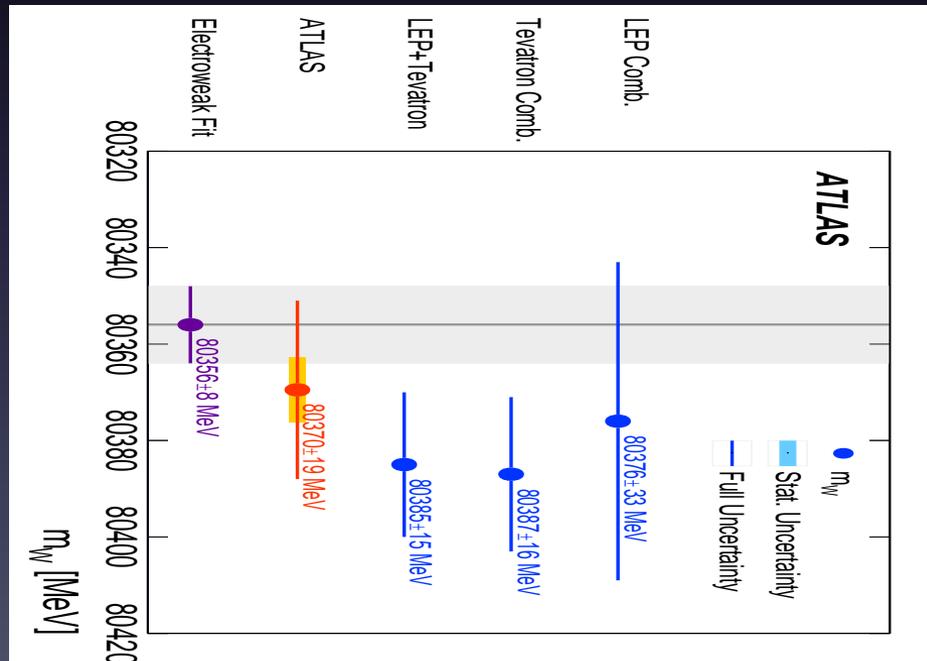
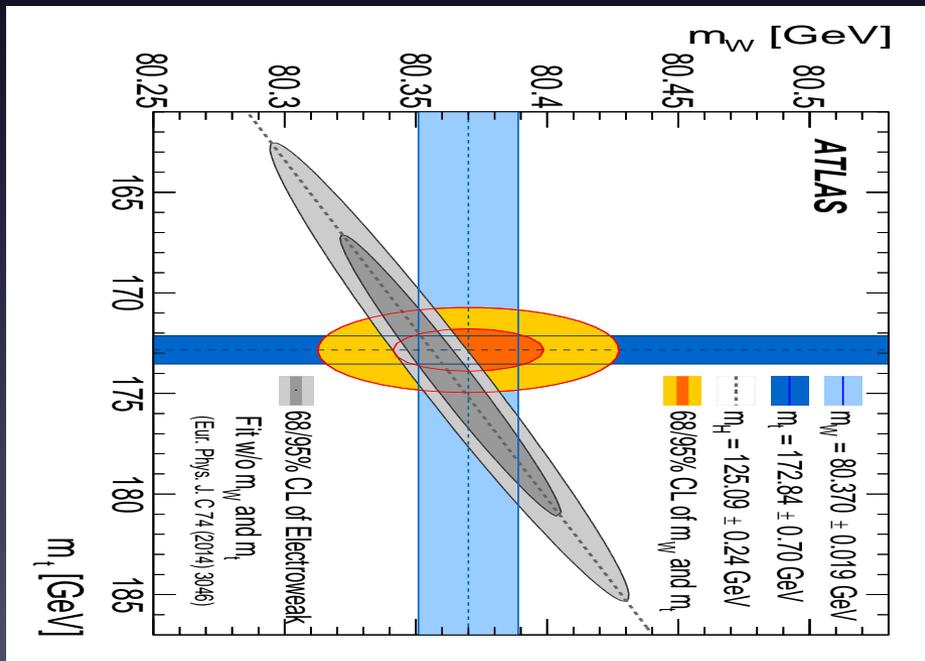
$A_{FB}$  agrees well with predictions



# W mass measurement

- First LHC W mass measurement
  - Comparable in precision to CDF; better than any other measurements
  - Need several ancillary measurements to pin down the systematics
    - V pT, PDF, EWK, etc.
  - Will be more challenging at higher pile-up  $\delta m_W/m_W = 0.024\%$

$m_W = 80370 \pm 7$  (stat)  $\pm 11$  (exp. syst.)  $\pm 14$  (modeling syst.) MeV



# Conclusion

# Conclusions

QCD and EWK are pervasive elements of particle physics:

- Subject of a variety of challenging experimental measurements... only a small subset has been shown
- Each measurement usually delivers an important message to the experimental and theoretical communities
- Comparison against state-of-the-art theory predictions
  - Tensions with predictions indicate where theoretical improvements are needed
  - Improved understanding of the proton, of soft and hard radiation, of gauge structure, and of anomalous couplings
- These measurements help reducing uncertainties, which improves search sensitivity to new physics

*Mastering QCD and EWK is both essential for the future of the LHC program and for the advancement of our knowledge*

# Back-up slides

# Focus of the presentation

- SM measurements focus on understanding the interactions rather than measuring the particle properties or explicitly looking for evidences for specific BSM scenarios
  - A model-independent approach to new physics
- It seeks maximal precision
  - Powerful approach to new physics when the background is large
- Multiple QCD phenomena:
  - PDF
  - Soft and hard parton emission
- Electroweak Measurements:
  - Gauge structure of EWK sector
    - Triple and quartic gauge couplings (and anomalous couplings)
  - Consistency test of SM

# General measurement approach

- For such data to prediction comparison to be meaningful:
  - Background must be subtracted
  - Detector effects must be unfolded from data
- The objective of such SM measurements is precision:
  - Measurement designed to minimize experimental errors
  - Dependence of measurement results on theory input is minimal
    - Fiducial cross section measurements
  - Well-defined quantities and final states
    - Define b-jets from B-hadrons and not b-quarks
- All systematic uncertainties with correlations must be assigned properly and taken into account in fits or in data-to-MC comparisons

$$\frac{d\sigma}{d\mathbf{O}} = \frac{N_{\text{data}} - N_{\text{bkg}}}{L} U(\mathbf{O})$$

More substantial introduction to  
theoretical QCD issues and needs  
for measurements

# Issues with QCD (I)

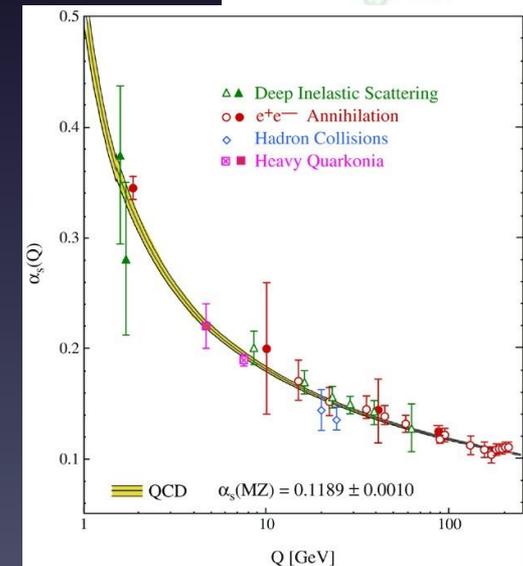
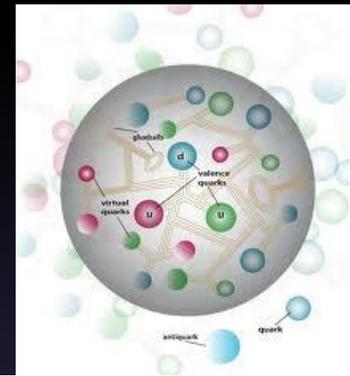
In quantum field theory, transition probabilities between initial and final states of interest can only be calculated perturbatively

Q: Is this a problem for the strong interaction given that hadrons / nucleons are strongly-coupled bound states ?

- Renormalization group equations tells how physics systems change when viewed at different scales
- For QCD,  $\alpha_s$  evolves from being strong at low energy to be not so strong at high energy

A: For distance scales probed at the LHC, quarks and gluons can be considered as free particles and physics processes involving them can be calculated using perturbation theory.

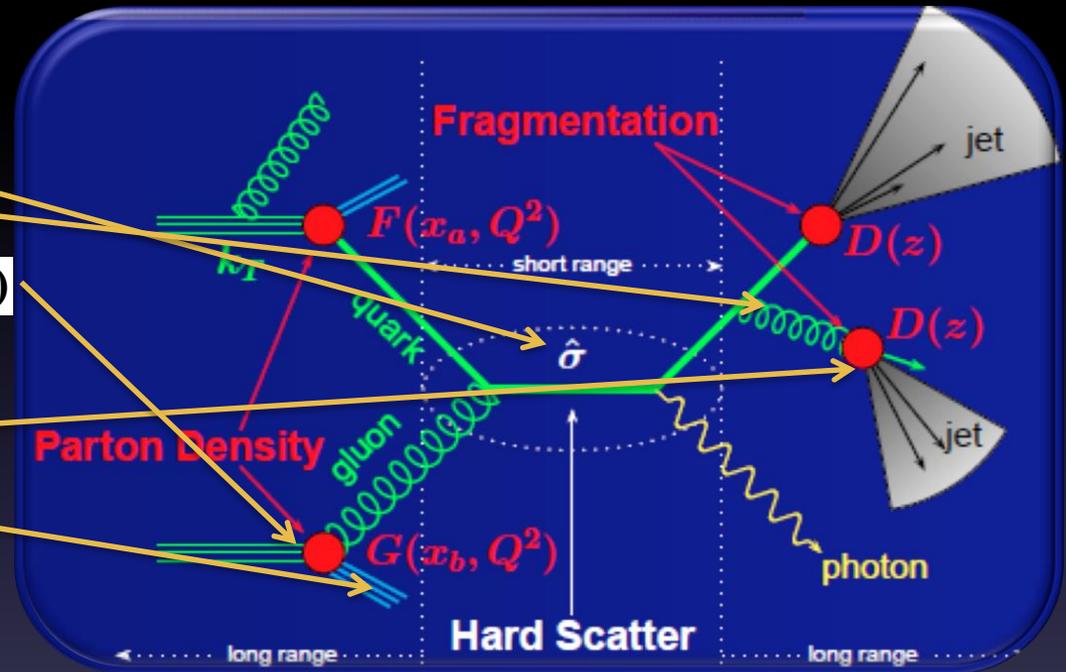
**QCD predictions at very high energy are theoretically under control at the LHC**



# Issues with QCD (II)

The strong interaction intervenes in various ways and at various scales in an event

- Hard scatter
- QCD bremsstrahlung
- Parton density function  $(F, G)$
- Fragmentation and hadronization  $(D(z))$
- Multiple interactions



- Mo
- PD
- dis

**Multiple scales are probed in any single events at the LHC!**

**Multiple scales are probed in any single events at the LHC!**

# Issues with QCD (III)

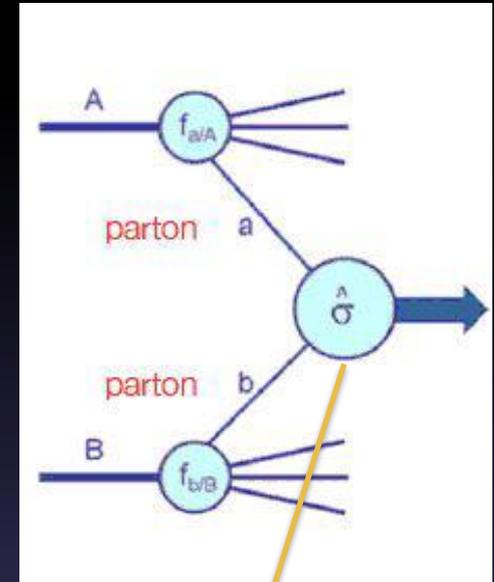
There must be a solution, otherwise we wouldn't be doing HEP at hadron colliders since so long...

## Factorization theorem:

Long distance and short-distance processes are incoherent: their probability amplitude factorize.

Low energy divergent behavior can be embedded into the factors describing large-distance physics

Predictions can be obtained from the convolution of short distance physics and a **universal** non-perturbative regime obtainable from data



$$\sigma(P_1, P_2) = \sum_{i,j} \int dx_1 dx_2 f_i(x_1, \mu_F) f_j(x_2, \mu_F) \hat{\sigma}_{ij}(p_1, p_2, \alpha_S(\mu_R), Q^2, \mu_R, \mu_F)$$

Allows for calculable predictions for many observables

# Need for higher order corrections (I)

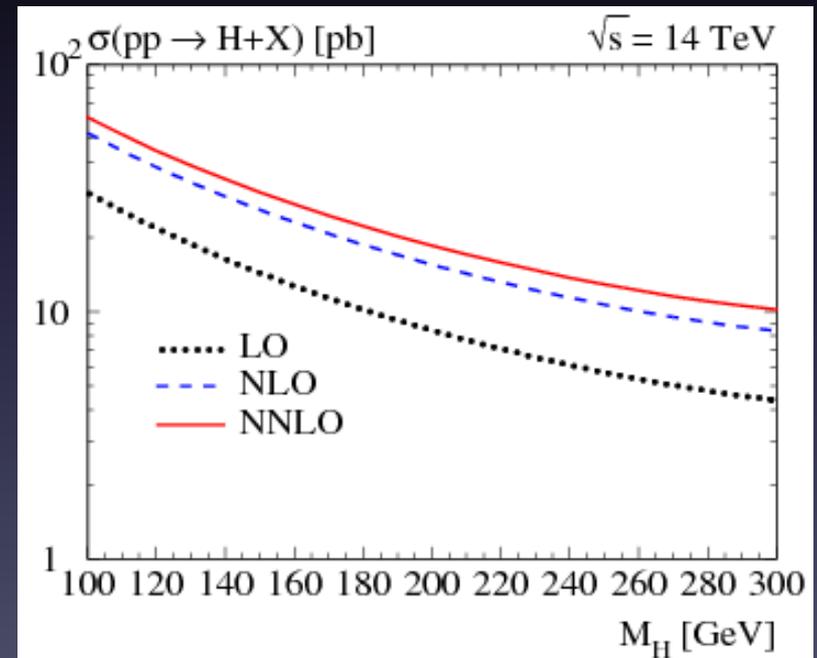
- The key to make a discovery is to control systematic uncertainties and errors to maximize the sensitivity to the physics of interest and get convinced of the validity of a discovery.

Example:

Inclusive Higgs production cross section at 14 TeV

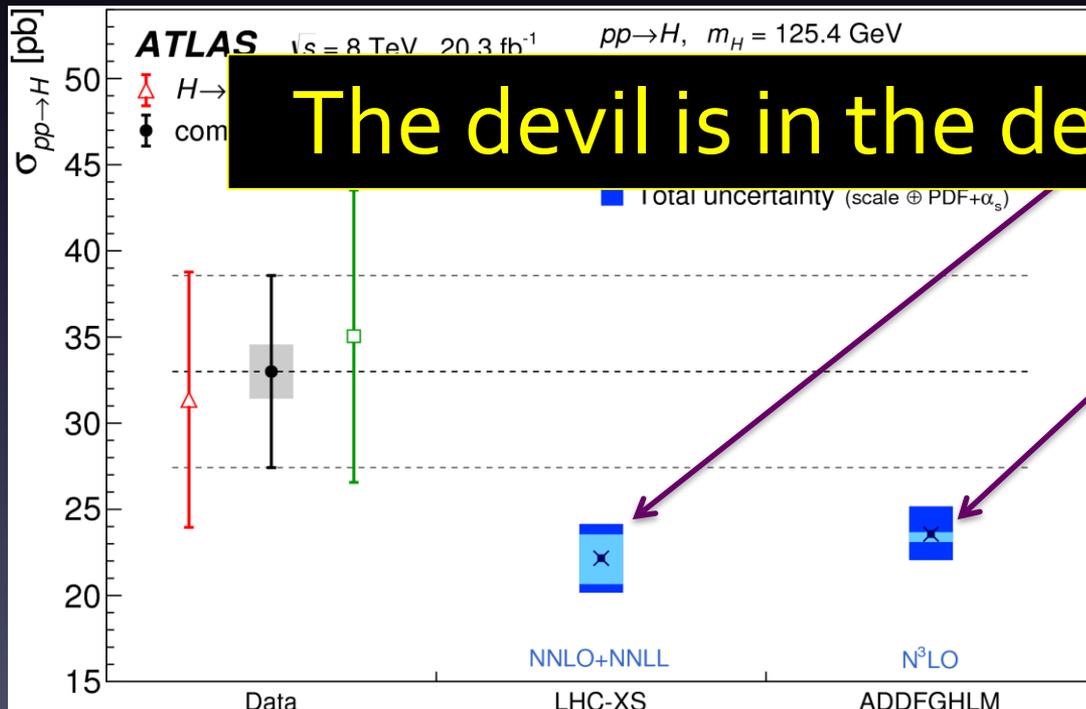
- Higher order perturbative QCD corrections are very large for many Standard Model processes
  - Selections might promote a correction to be the main process of interest
  - Needed to be able to make claims for a new physics discovery

$\alpha_s$  is small at  $m_H$ , yet quantum corrections are large (NLO~75%, NNLO~30%)



# Need for higher order corrections (II)

- Higher order perturbative QCD corrections also contribute to significantly reduce the dependence of the predictions on the choice of factorization ( $\mu_F$ ) and renormalization ( $\mu_R$ ) scales
  - Largest uncertainties on cross section predictions



10% uncertainty  
indicated by  $\mu_R/\mu_F$

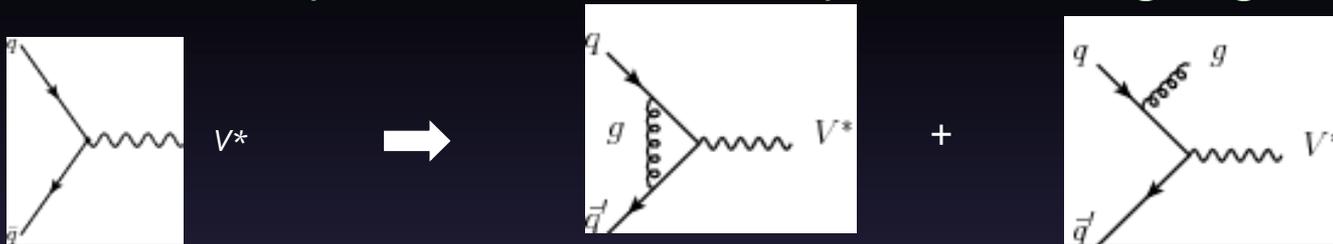
N<sup>3</sup>LO: 7% uncertainty  
dominated by PDF

In this example, the experimental uncertainties are larger than the theoretical ones, but they will be reduced, and most SM predictions are at most NLO

# Potential problems (I)

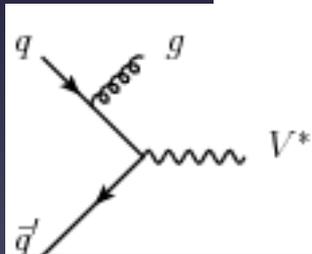
- When selections are applied to optimize sensitivity to new physics or when distributions are being measured, higher order predictions in  $\alpha_s$  are not necessarily the only key to precision

A schematic example: Consider Drell-Yan process when going from LO to NLO



$$\left(\frac{d\sigma}{d\Omega}\right)_{NLO} \sim \left(\frac{d\sigma}{d\Omega}\right) \left[ 1 - \frac{\alpha_s}{\pi} f(Q^2) \log^2\left(\frac{Q^2}{\mu^2}\right) + \mathcal{O}(\alpha_s^2) \right]$$

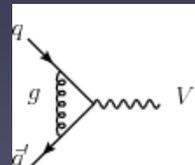
Finite prediction



$$|m^{u\bar{d} \rightarrow Wg}|^2 \sim \left( \frac{\hat{t}^2 + \hat{u}^2 + 2Q^2\hat{s}}{\hat{t}\hat{u}} \right)$$

Diverges when  $E_g=0$  or  $\theta=0$   
( $Q^2$  is the virtuality of the W)

The exact same divergence occur in



but with opposite sign

# Potential problems (II)

- From this calculation: fixed order calculations are of the form:

$$\frac{d\sigma}{dO} = \frac{d\sigma(W+0j)}{dO} \left[ \alpha_s \log^2 \left( \frac{Q^2}{\mu^2} \right) A_1 + \alpha_s^2 \log^4 \left( \frac{Q^2}{\mu^2} \right) A_2 + \dots \right]$$

→ The expansion is not anymore in  $a_s$ , but in  $\alpha_s L^2$

- If  $\mu^2$  and  $Q^2$ , are very different, as expected if we separate large and short distance scales, the logs will be large and the perturbative expansion and unitarity will be compromised

- However, this is just an artifact of using fixed order calculation:

At higher order, processes such as  $W+1j$ ,  $W+2j$ , etc., will follow the same rule, and the full sum at all orders should behave well:

$$d\sigma = d\sigma_0 \left[ 1 + \alpha_s (a_{12} L^2 + a_{11} L + a_{10}) + \alpha_s^2 (a_{24} L^4 + a_{23} L^3 + a_{22} L^2 + a_{21} L + a_{20}) + \dots \right]$$

# Solution: resummation

- We can shuffle the terms and express the differential cross section as:

$$\begin{aligned}
 d\sigma &= d\sigma_0 \left[ 1 + \alpha_s L^2 a_{12} + (\alpha_s L)^2 a_{24} + \alpha_s L a_{11} \left( 1 + \alpha_s L^2 \frac{a_{23}}{a_{11}} + \dots \right) + \dots \right] \\
 &= d\sigma_0 \exp \left[ \underbrace{L g_1(\alpha_s L)}_{\text{LL}} + \underbrace{g_2(\alpha_s L)}_{\text{NLL}} + \underbrace{\alpha g_3(\alpha_s L)}_{\text{NNLL}} + \dots \right]
 \end{aligned}$$

- This procedure, called **resummation**, corresponds to an all-order evolution from large to small distance scales restoring the predictive power of pQCD and unitarity, similarly to the running of couplings
  - Equation used to evolve PDF : DGLAP equations
  - Another resummation technique is used for cross sections
  - Parton shower resummation is used to yield final state
  - Resummation at high-energy/small-x regime: BFKL approach

QCD contains all ingredients to address predictability issues at the LHC

# A QCD program at the LHC (I)

- Huge theoretical progresses on QCD over the last decade
  - NLO revolution
    - Up to 5 partons in V+jets final states
    - Approximate NNLO for V+j; approximate N<sup>3</sup>LO for Drell-Yan
  - NNLL resummation
  - NLO ME+PS matching/merging
  - NNLO PDF and lattice QCD
- However, the above QCD calculations cannot be exact, but involve assumptions, approximations, and phenomenological modeling impacting predictions
- The sources of uncertainty related to the modeling of various QCD effects
  - PDF
  - Parton shower and matching
  - Infrared sensitive predictions
  - Electroweak corrections

The QCD prediction tools need some “tuning” or adaption in order to address concerns in broader range of situations

# A QCD program at the LHC (II)

Below are a few examples of QCD modeling impacting differential cross section and specific event selection predictions

Parton showers model parton evolution through gluon emission and splitting, while resummation is limited to specific predictions:

- Soft and collinear approximations (where QCD radiation is enhanced)
- Leading order kernel functions
- Choice of ordering parameter

Parton distribution function (PDF):

- Uncertainties on measurements used to extract structure functions
- Modeling of structure functions at  $Q_0$

$$F(x, Q_0) = A_1 x^{A_1} (1-x)^{A_2} P(x; A_3)$$

Fragmentation function:

- Gaussian modeling of  $D(x, s)$  at small  $x$
- Supplemented by hadronization model

$$D(x, s) \propto \exp\left[-\frac{1}{2\sigma^2} (\xi - \xi_p)\right]$$

$$\xi \equiv \ln\left(\frac{1}{x}\right), \quad \xi_p \equiv \frac{1}{4} \ln\left(\frac{s}{\Lambda^2}\right),$$

$$\sigma \propto \left[\ln\left(\frac{s}{\Lambda^2}\right)\right]^{3/4}$$

# A QCD program at the LHC (III)

- While for some predictions the above QCD modeling can be accurate enough for a successful LHC physics program, there are event selections used in BSM searches in which they could be questioned:
  - Very high jet multiplicity
  - Multiple scales in the same event, such as very different jet  $p_T$  selections
    - Require sophisticated interplay between matrix element and resummation
  - Selections based on observables sensitive to soft radiation
    - E.g. Variables used to obtain Vector Boson Fusion –like final states
  - Gluons splitting in heavy-flavor quarks
- We can use LHC data to constrain QCD calculations. Measuring observables sensitive to the various effects pointed above allows to:
  - Determine best model/calculations for predictions
  - Tune fragmentation and parton shower parameters

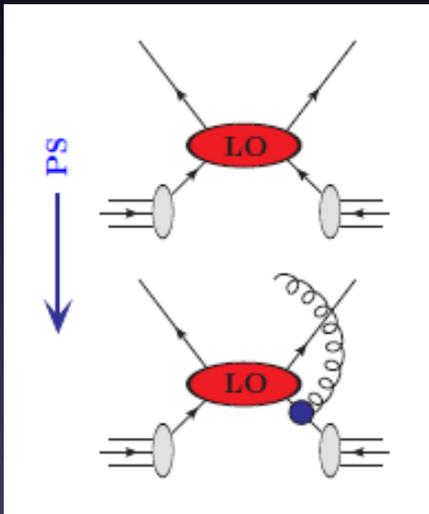
# Various level of predictions (I)

MC generators are the test benches of the various progresses made on the modeling of the different QCD effects over the past years

LO ME +PS



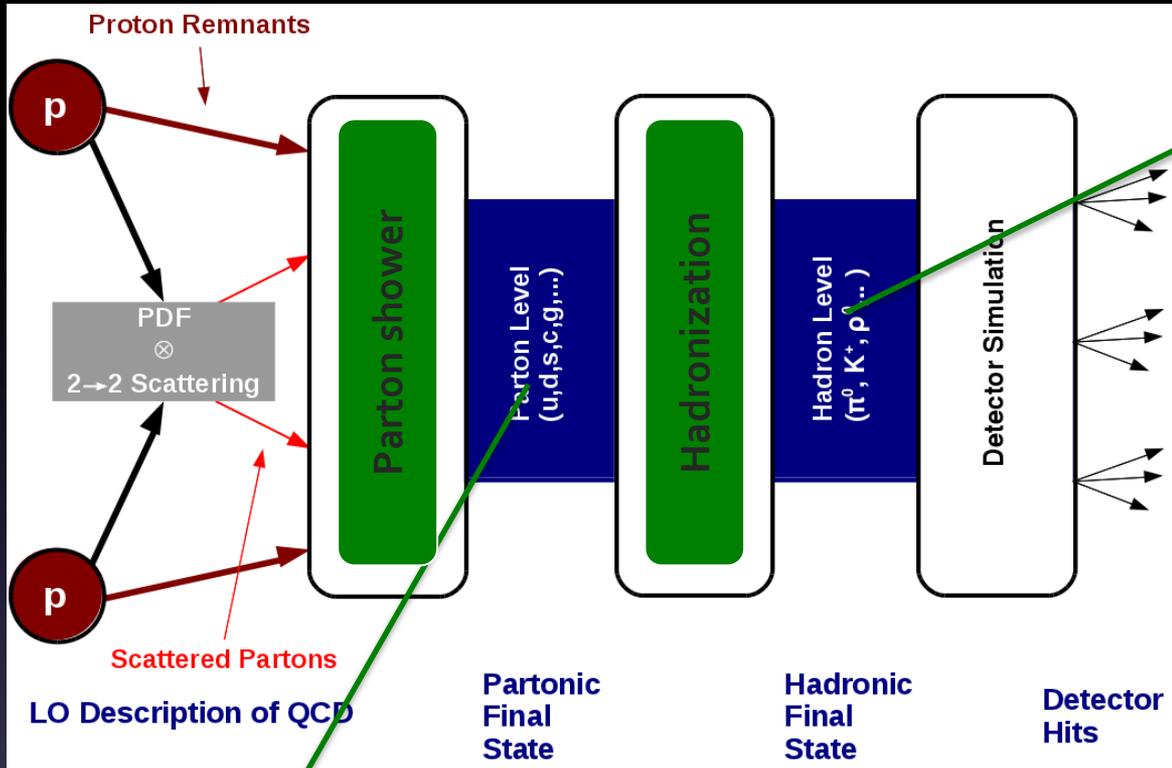
Pythia (6, 8), Herwig



These generators incorporate different modeling of QCD corrections

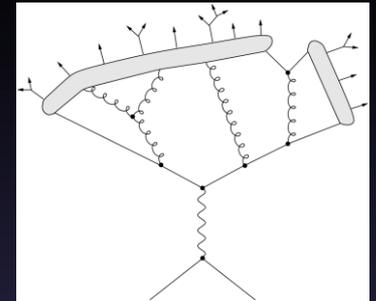
- Leading Order Matrix Element calculations
- Soft and collinear emission corrections integrated in a parton shower model
- Fragmentation and hadronization
- Underlying event

# Pythia (8.175) vs Herwig++ (2.63)

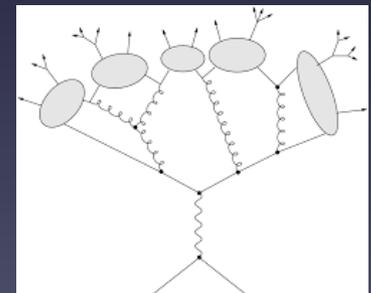


## Hadronization:

Pythia: Lund string (linear confinement)



Herwig: Cluster (preconfinement)

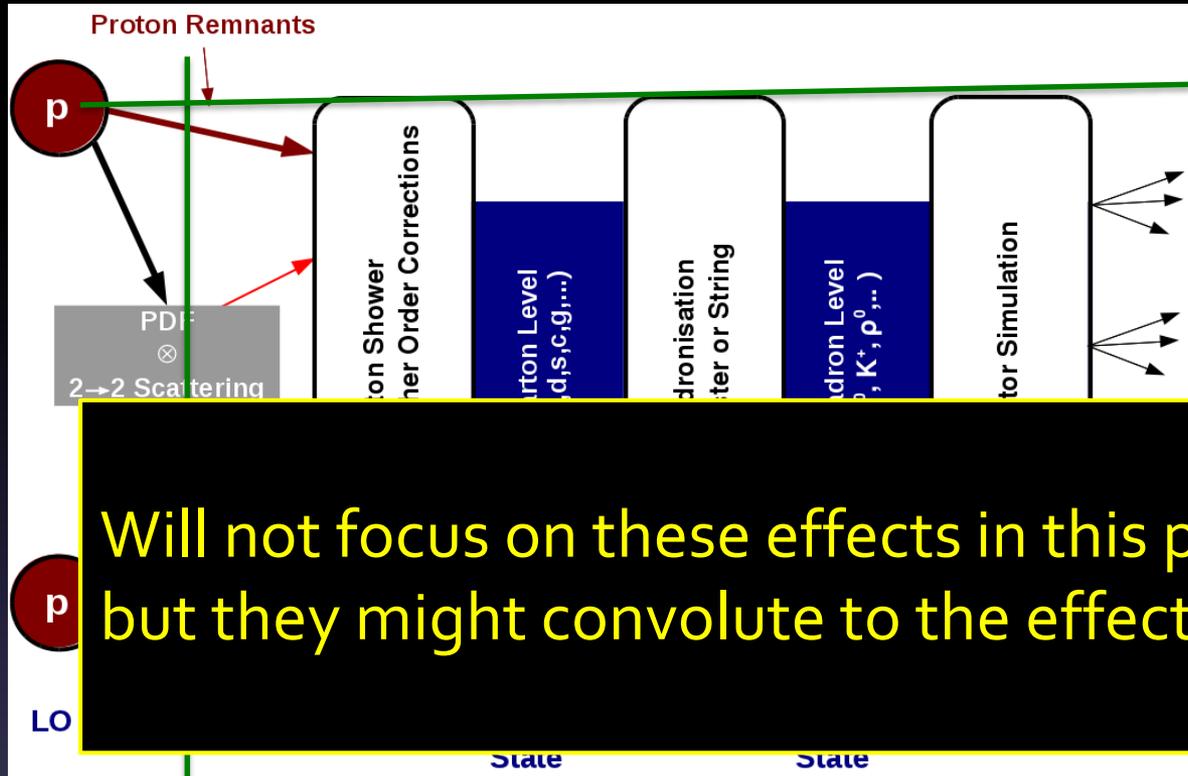


**Showers ordering:**  
(nLL resummation)

Pythia:  $p_T$  ordering  
(natural for a shower partly based on dipole approach)

Herwig: angular ordering  
(deal with quantum interference)

# Pythia (8.175) vs Herwig++ (2.63)



## PDF:

Different PDFs can be used in generators, but there is the question of the compatibility

Will not focus on these effects in this presentation, but they might convolute to the effects of interest

**Multiple interactions:**  
(Each generator is tuned for different PDF on Run-1 ATLAS data)

Pythia: AU2 & A14 tunes  
(Many parameters)

Herwig: EE3-EE5 tunes  
(Fewer parameters)

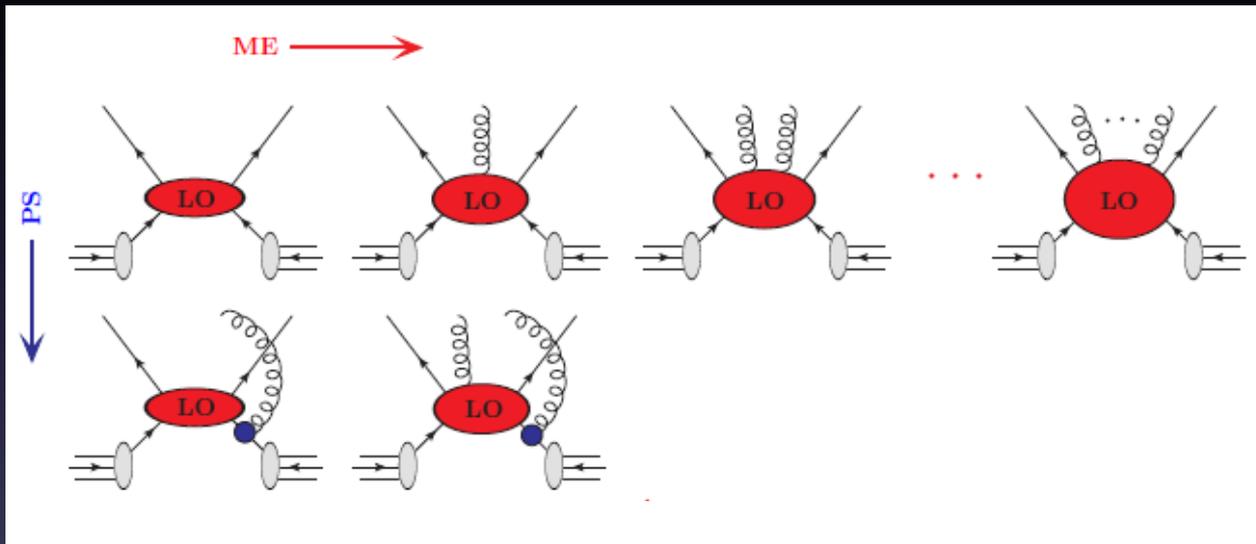
# Various level of predictions (II)

MC generators are the test bench of the various progresses made on the modeling of the different QCD effects over the past years

Tree-level multiple parton  
ME +PS



Alpgen, Sherpa 1.4,  
MadGraph



Again, different modelings  
of QCD corrections

- A **matching** procedure is needed to avoid the double counting of ME and PS partons
  - E.g.: MLM cone vs CKKW
- Alpgen and MadGraph interfaced to Pythia or Herwig
- Sherpa has its own PS+Had

# Various level of predictions (III)

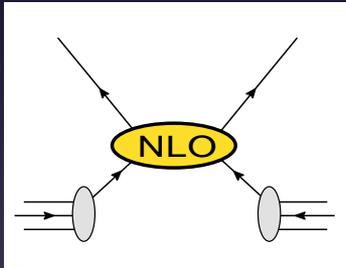
MC generators are the test bench of the various progresses made on the modeling of the different QCD effects over the past years

NLO multi-parton ME



MCFM, BlackHat

## Differences in the matrix element calculations



- An NLO cross section for  $N=1, \dots, 5$  partons
- Different calculation techniques
  - Feynman graphs: MCFM (up to 2 partons)
  - Unitarity: BlackHat (up to 5 partons)
- **No PS, had, or UE corrections**
- Need some kind of sum rules for inclusive final states
- NNLO:
  - Drell-Yan = FEWZ, DYNNLO
  - $N_{\text{jetti}}$  NNLO: Z+jets, Loopsim: Approximate V+j

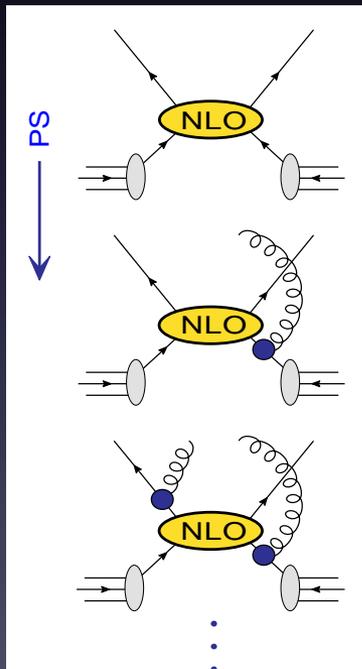
# Various level of predictions (IV)

MC generators are the test bench of the various progresses made on the modeling of the different QCD effects over the past years

NLO ME for lowest multiplicity +PS



POWHEG, MC@NLO  
MadGraph



- Different merging procedures
- Interfaced to Pythia or Herwig for PS, had and UE
- MadGraph goes up to 2-jets at NLO

These generators incorporate different modeling of QCD corrections

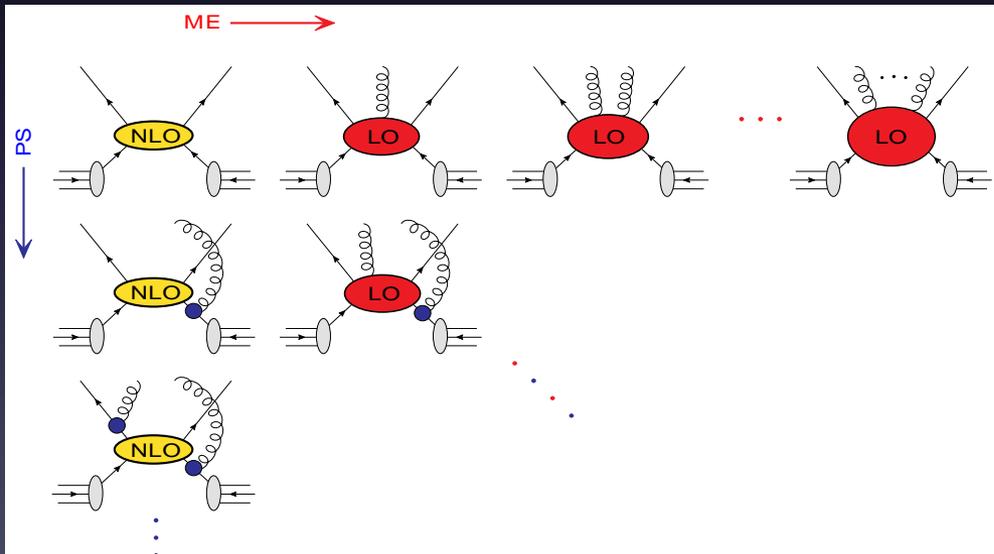
# Various level of predictions (V)

MC generators are the test bench of the various progresses made on the modeling of the different QCD effects over the past years

NLO ME for low multiplicity,  
LO for others + PS



Sherpa 2.1 (MEPS@NLO),



- **ME<sub>n</sub>loPS:**
  - NLO inclusive cross section
  - Normalization at NLO accuracy
- **MEPS@NLO:**
  - NLO for 1 and 2 partons
  - LO + PS for higher multiplicity
  - State of the art for V+jets

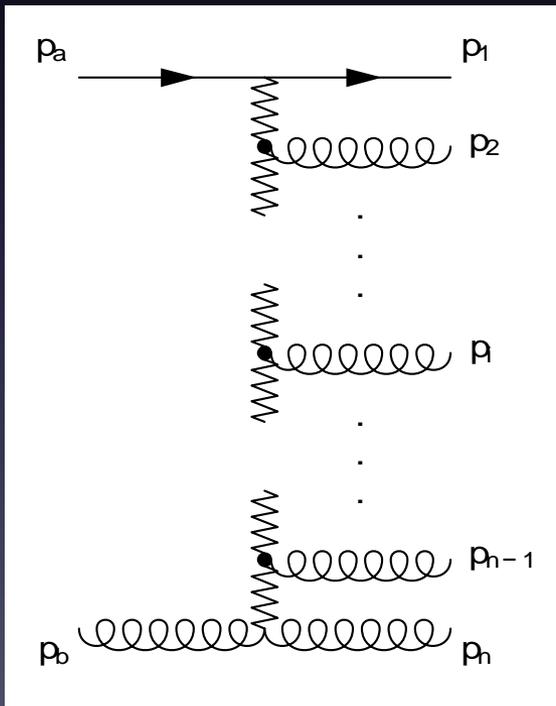
# Various level of predictions (VI)

MC generators are the test bench of the various progresses made on the modeling of the different QCD effects over the past years

Resummation



Resbos, HEJ



- Resum large logs at all orders in  $\alpha_s$ 
  - Extend validity of perturbation theory
  - Improve normalization and shape
  - Analytical functions for Leading Logs, etc
- Low energy regime: **Resbos** (NNLL)
  - Logs from IR and collinear parton emission
- High Energy Regime: **HEJ**
  - Large invariant mass between jets
  - Approximation which captures hard wide-angle emission
  - BFKL-inspired

# Generators used and tested

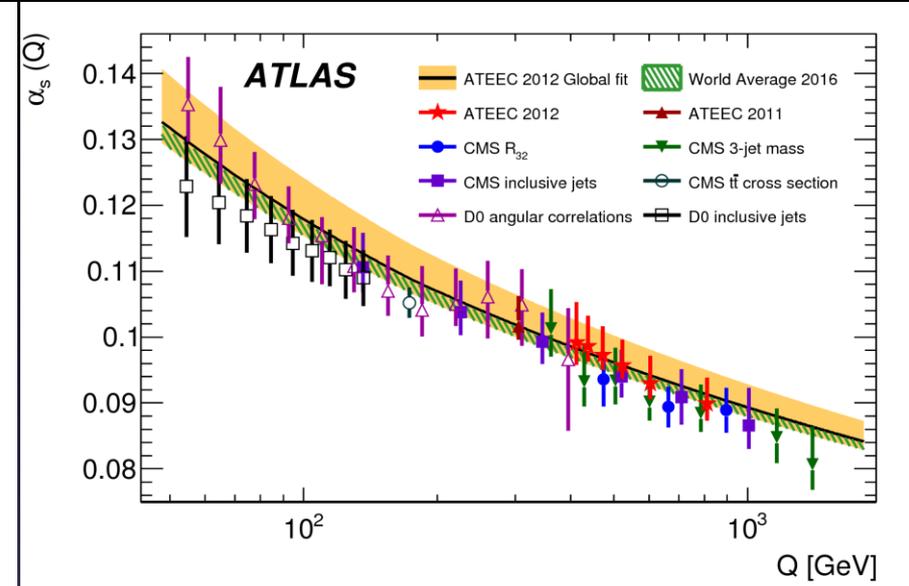
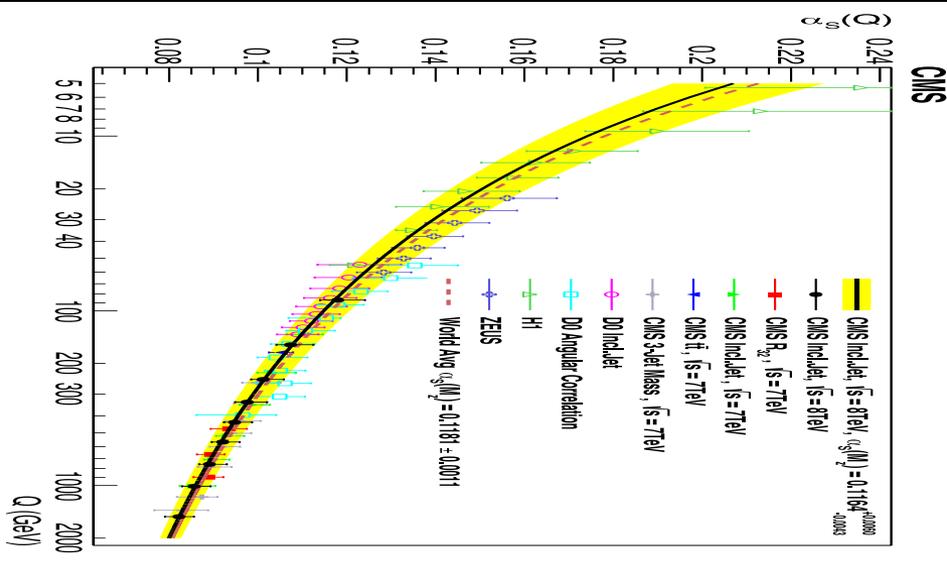
**Non exhaustive list**

Generator	Interfaces	Comments
ALPGEN	HERWIG+ JIMMY, PHOTOS, CTEQ6L1, AUET <sub>2</sub> tune	mP- ME up to 5 parton, MLM matching
SHERPA	CTEQ6L1, Default UE tune	mP-ME up to 5 parton, CKKW matching; also NLO
PYTHIA	PHOTOS, MRST 2007 LO	LO ME+PS+Hadronization
MadGraph	Pythia 8.2 , NNPDF <sub>23</sub> NLO	4-jet tree-level +PS or 2-jet NLO+PS, CKKW matching/FxFx merging, A <sub>14</sub> PS tune
BLACKHAT*+SHERPA	CTEQ6.6M	NLO up to 5-jets (unitarity)
POWHEG	PYTHIA	NLO+PS (1-jet)
MC@NLO	HERWIG	NLO+PS
DYNNLO*		NNLO Drell-Yan
LOOPSIM*		nNLO W/Z+jets

# Complements on measurement results

# Measurements of $\alpha_s$

- Precision on  $\alpha_s$  impact all pQCD predictions from ME to PS and PDF
  - Test of Renormalization Group Equation at large scales
  - Can be precisely measured in multijet events at different scales



Analysis		$\alpha_s(M_Z)$	Exp. error	Theo. error
Inclusive jets	CMS	0.1164	+/- 0.0015	+0.0059 / -0.0040
3D jet x-sec.	CMS	0.1199	+/- 0.0015	+0.0031 / -0.0020
TEEC	ATLAS	0.1162	+/- 0.0011	+0.0076 / -0.0061
ATEEC	ATLAS	0.1196	+/- 0.0013	+0.0061 / -0.0013

# Vector Boson $\phi^*$

Complementary physics can be obtained by measuring  $Z \phi^*$

- Finer resolution (bin) at low  $P_T^Z$
- Smaller systematic
  - From 0.1% to 0.6%
  - 2% to 6% for theory

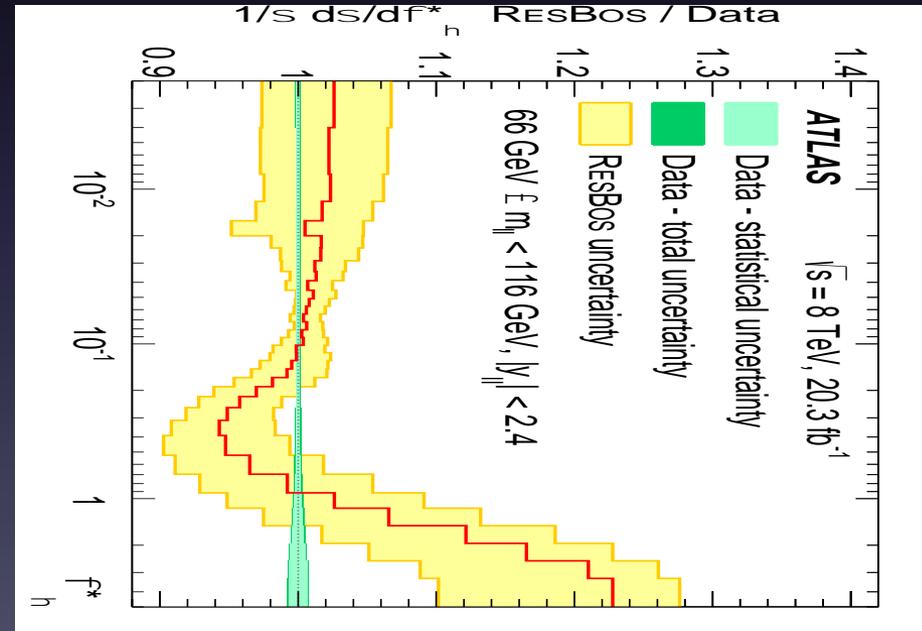
- Depend solely on angle of two leptons
- Highly correlated to  $P_T^Z/M_{ll}$ 
  - $0 < \phi^* < 1 \Leftrightarrow P_T^Z < 100 \text{ GeV}$

Soft-gluon resummation (RESBOS) again provides a very good description of data in regimes where hard parton emission is not significant

- Smaller uncertainties
- Finer resolution
- $\phi^*$  is ideal for tuning

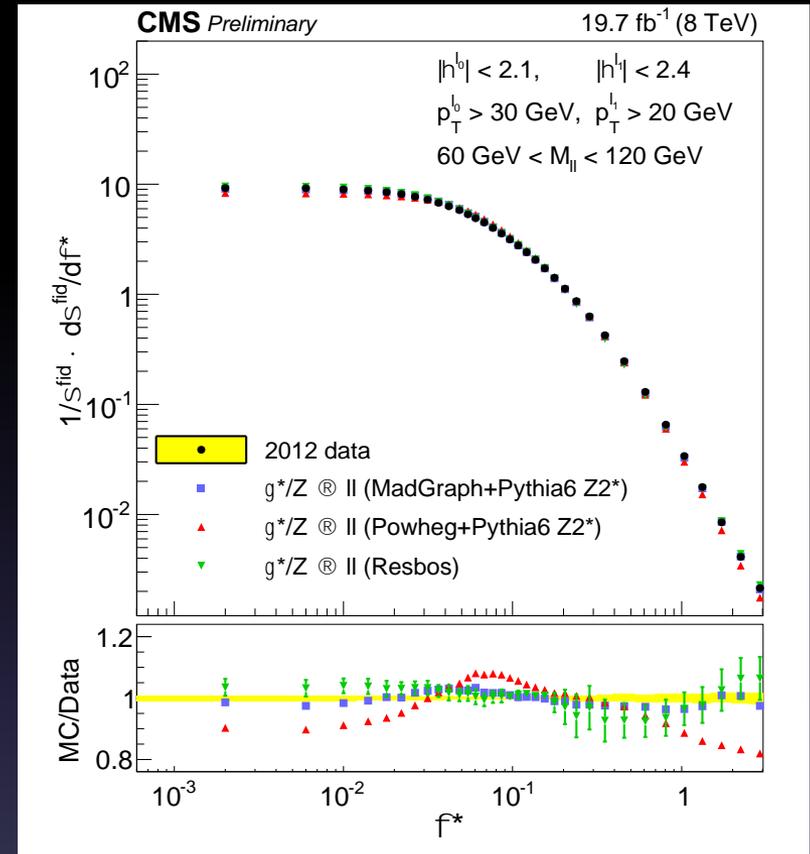
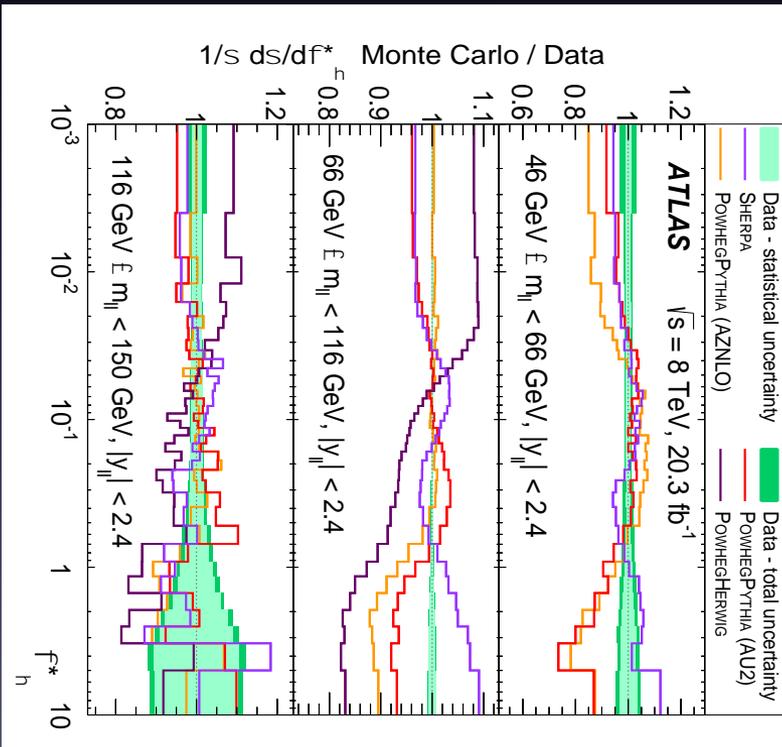
$$\phi^* = \tan\left(\frac{\pi - \Delta\phi}{2}\right) \sin(\theta_{\eta^*})$$

$$\cos(\theta_{\eta^*}) = \tanh\left(\frac{\eta^- - \eta^+}{2}\right)$$



# Vector Boson $\phi^*$

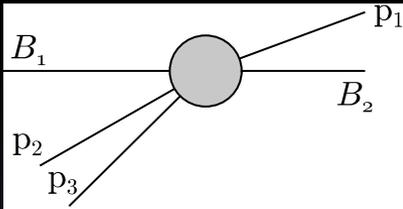
- Parton shower approach to soft radiation can also provides a good description of low to average  $\phi^*$  values
  - But high sensitivity to PS model or tuning



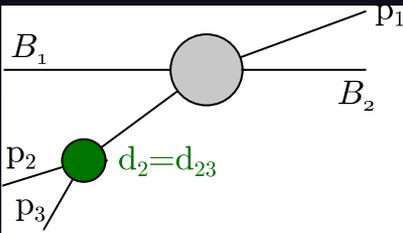
- ME hard parton emission better describes large  $\phi^*$  or  $P_T$  values
- Sensitivity to merging or matching of ME to PS

# $k_T$ steps

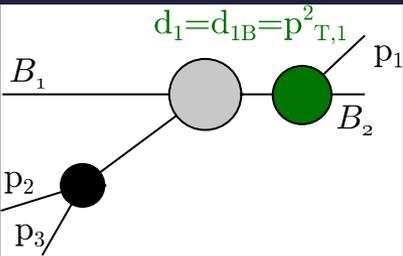
Illustration of the  $k_T$  clustering sequence starting from the original input configuration (three objects  $p_1, p_2, p_3$ , and beams  $B_1, B_2$ ). At each step,  $k+1$  objects are merged to  $k$



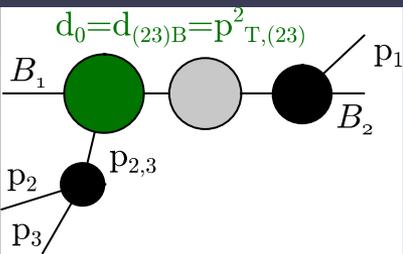
Initial situation



The  $\min(d_{ij}, d_{ib})$  is between  $p_2$  and  $p_3$ :  
The two particles are merged and the new object is the sum of the two 4-vectors



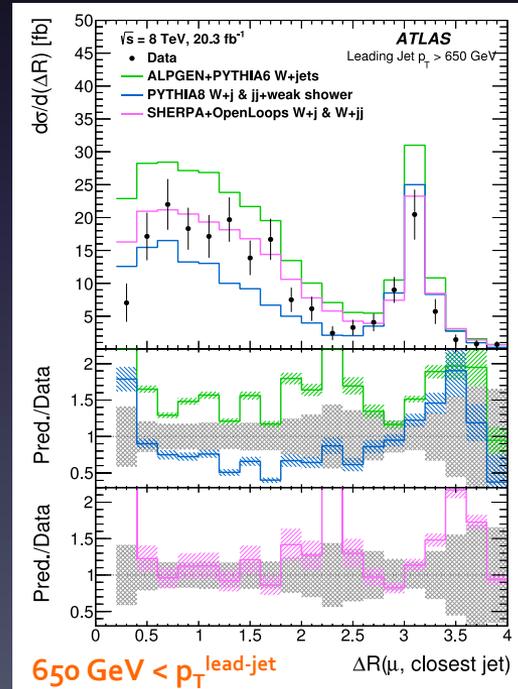
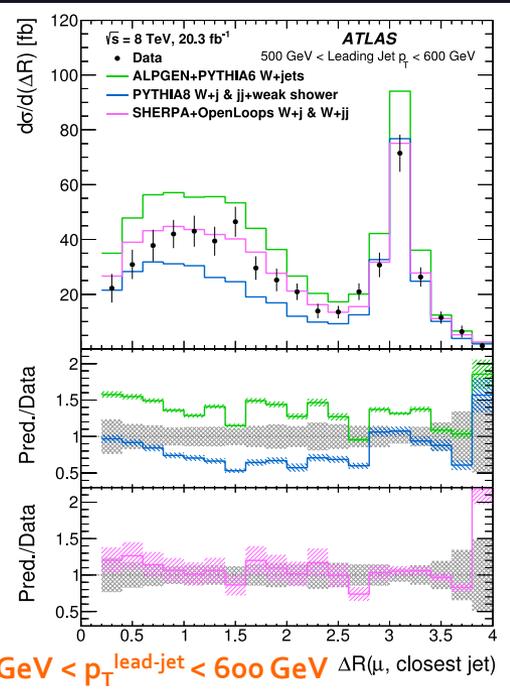
The  $\min(d_{ij}, d_{ib})$  is between  $p_1$  and  $B_2$ :  
 $p_1$  is defined as a jet



The  $\min(d_{ij}, d_{ib})$  is between  $p_{23}$  and  $B_1$ :  
 $p_{23}$  is defined as a jet

# EWK radiation corrections

- At large momentum, dijet real emission of  $W$  is expected to have a large contribution to  $W+2$ -jets events when  $W$  and jets are collinear
  - Contribution scales as  $O(\alpha \ln^2(p_{T,j}/m_W))$
- EWK predictions can be tested with a  $\Delta R(\mu\text{on-jet})$  measurement
  - Pythia 8.21: Both  $W+1$ -jet ME and dijet+EWK PS, all at tree level
  - Sherpa incorporates both NLO QCD and EWK corrections



## Results:

- Collinear emission enhanced at large  $p_{T,j}$
- Tree-level  $W$ +jets doesn't model normalization, and shape at low  $\Delta R$
- EWK PS is not enough
- Important to get QCD right
- Not clear if EWK is well-modeled

# TEEC and ATEEC

- Energy dependence of event shape variables (thrust, sphericity) have high sensitivity to pQCD effects widely studied at LEP
- Energy-Energy Correlations (EEC) consist in the energy-weighted angular distribution of hadron pairs, and are infrared safe.
  - At hadron colliders, only the transverse energy-weighted angular distribution (TEEC) can be measured
  - The asymmetry between the forward and backward part of TEEC can also be measured (ATEEC).
  - The observables are suitable for precise tests of pQCD
    - With a quadratic dependence at NLO on  $\alpha_s$  TEEC and ATEEC can be used to measure at different scale and RGE can be used to run it to  $M_Z$ .

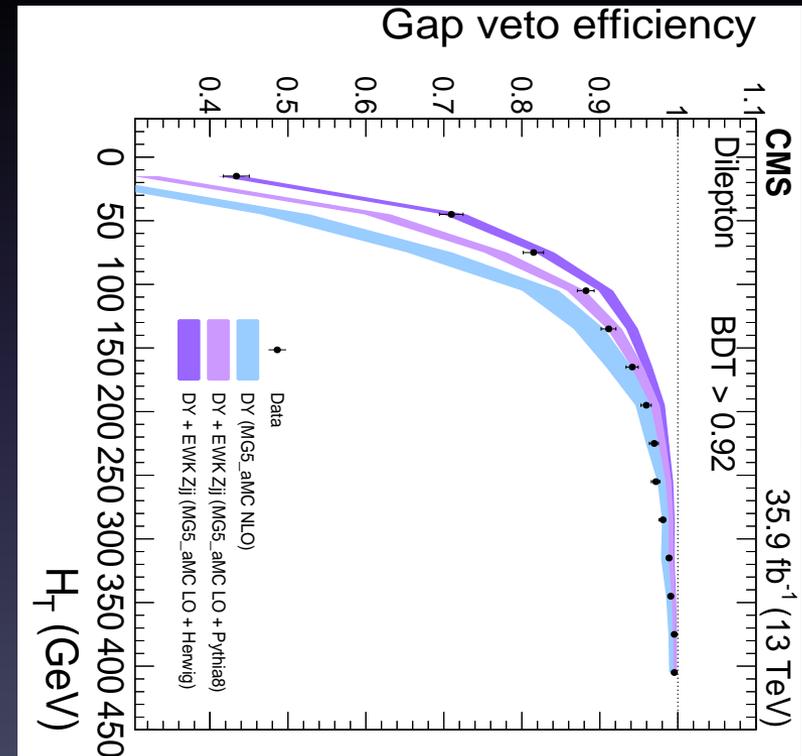
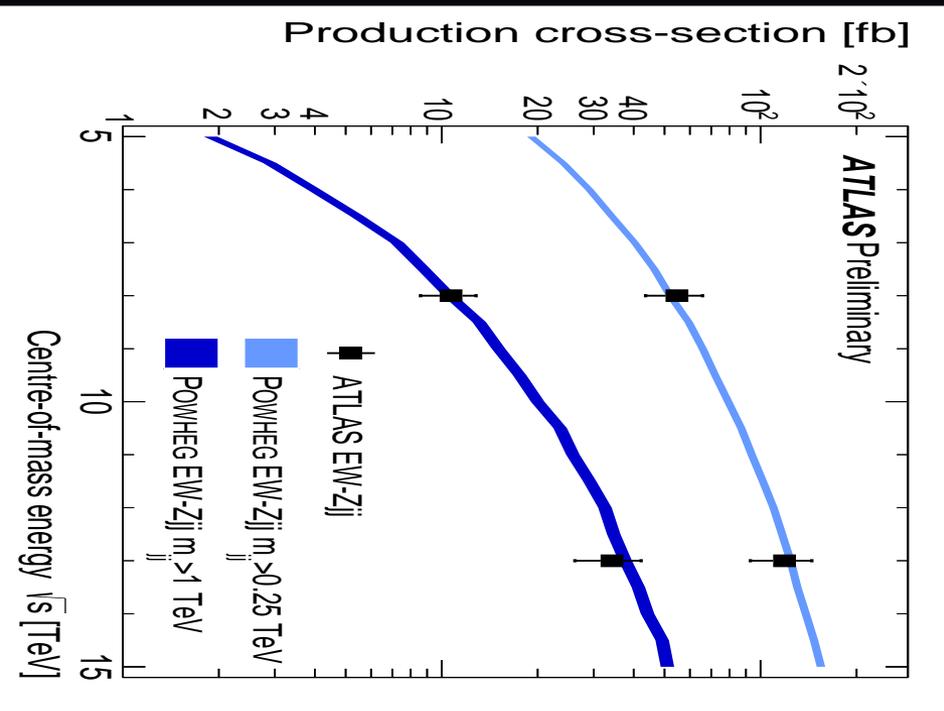
TEEC: 
$$\frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \equiv \frac{1}{N} \sum_{A=1}^N \sum_{ij} \frac{E_{Ti}^A E_{Tj}^A}{(\sum_k E_{Tk}^A)^2} \delta(\cos \phi - \cos \phi_{ij})$$

ATEEC: 
$$\frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \Big|_{\phi} - \frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \Big|_{\phi-\pi}$$

N: events in a  $\cos \phi$  bin,  
 ij :jet pairs,  $\phi_{ij}$  is  $\phi_j - \phi_i$

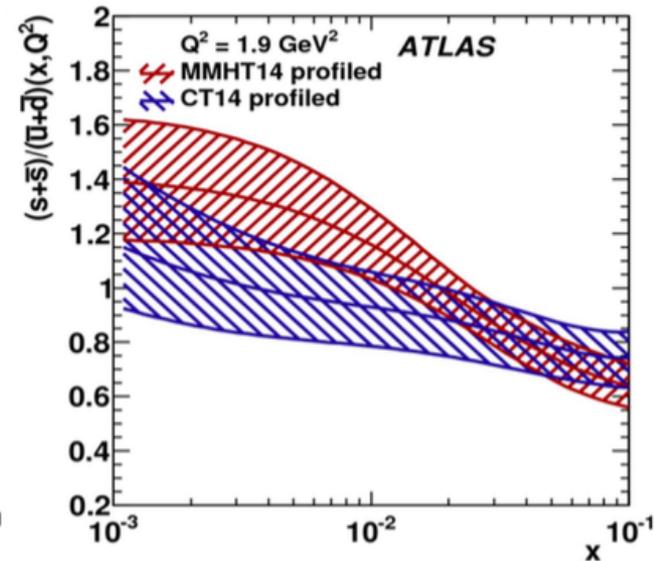
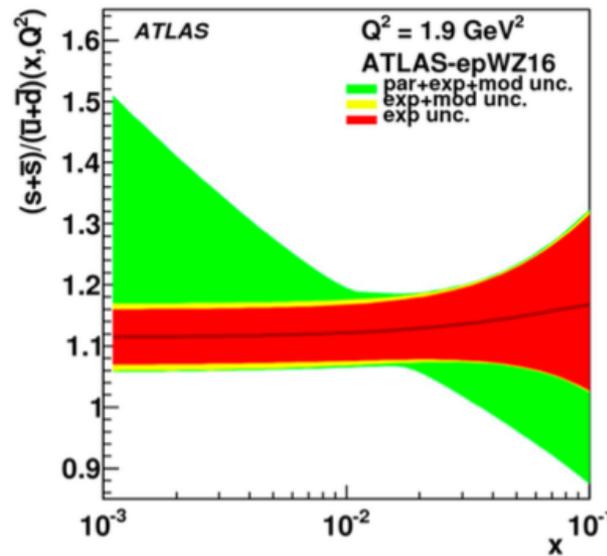
# New Z VFB results

- EWK processes have also been probed in Zjj events in both ATLAS and CMS



# On s-quark PDF fit (I)

- Is that the ATLAS interpretation of the enhanced strangeness an artefact of a too restrictive parametrisation of the ATLAS PDF Set?



- Several Cross-Checks are already published in the 7 TeV W/Z high precision analysis (<https://arxiv.org/abs/1612.03016>):
  - We relaxed our parameterization and tested several variations, e.g. by freeing the low-x strange parameter  $B_{s\bar{s}}$ ; this leads to the green band (leftplot), still showing enhanced strangeness at  $x=0.01$
  - We profiled other PDF-sets (MMHT14, CT14) with different parameterization assumptions to the ATLAS W/Z 7 TeV Data. Both profiled PDF-Sets lead also to an enhanced strangeness (right plot).

# On the s-quark PDF fit (II)

- Moreover, we tested
  - the sensitivity to the assumptions on the low-x behavior of light-sea quarks
  - the impact of adding measurement of the E866-experiment at  $x=0.1$  to the ATLAS fitboth tests lead to a consistent result of enhanced strangeness
  
- The W/Z precision measurement at 7 TeV is not the only measurement that suggests an enhanced strangeness
  - The ATLAS measurement of W+c production at 7 TeV (<https://arxiv.org/abs/1402.6263>) predicts a strange to down-sea quark ratio of 0.96 (see plot)
  - It should be noted that this is a fully independent measurement

