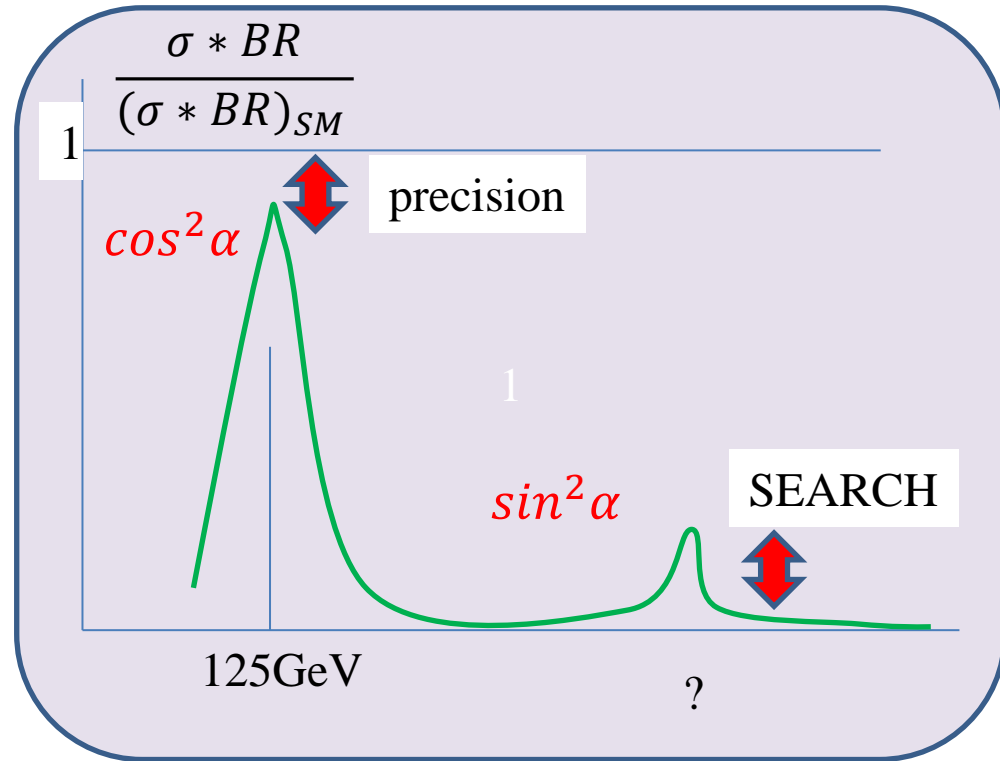
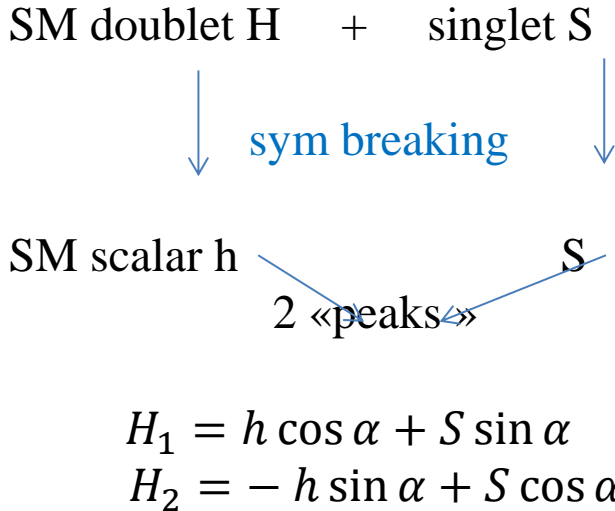


# Precision vs Discovery: a simple benchmark

(A Hill, J van der Bij 1987, .....)



$$H_1 \quad m_1 = 125 \text{ GeV} \quad \sigma * BR_1 = \cos^2 \alpha (\sigma * BR)_{SM,m1}$$

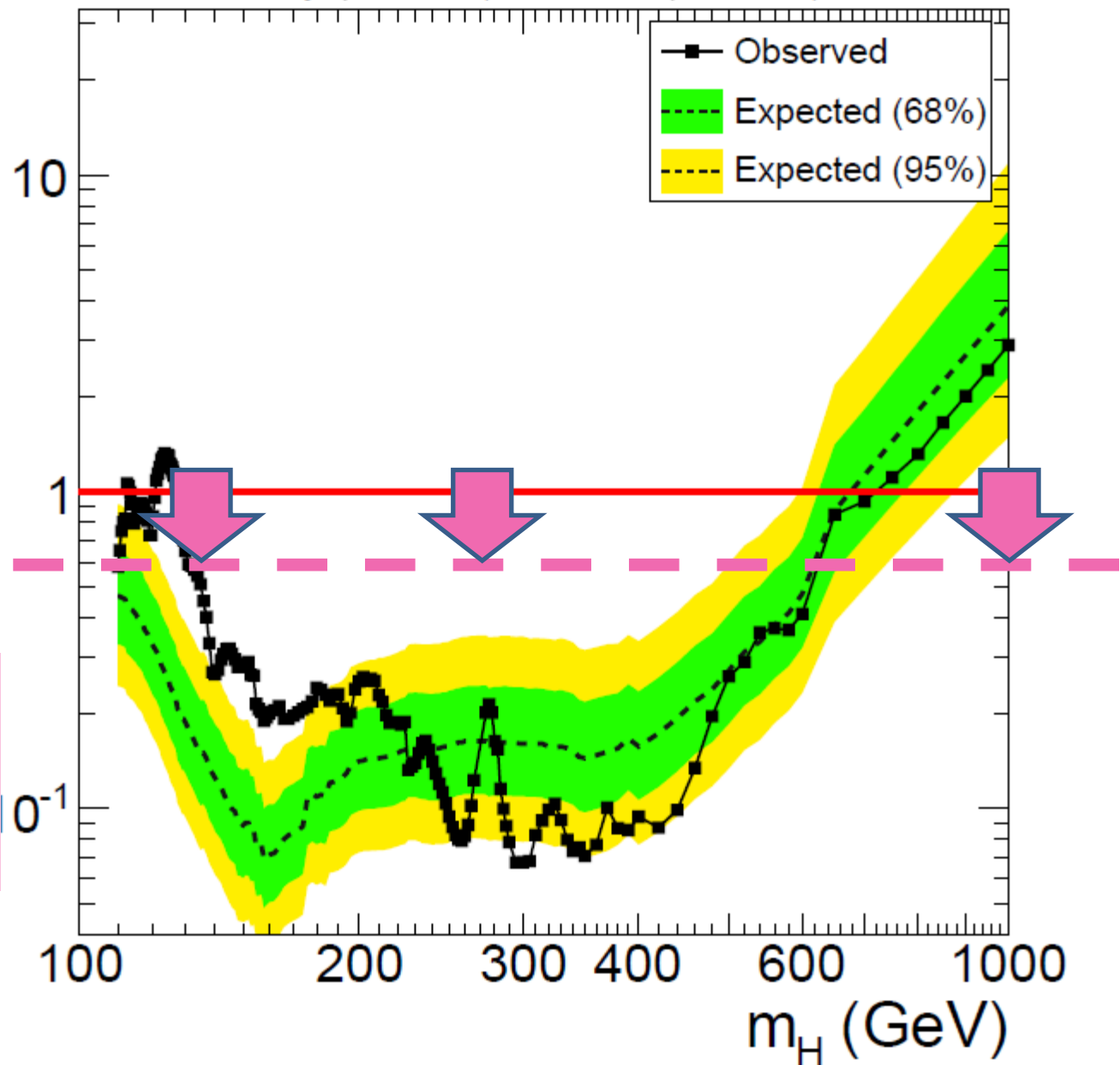
$$H_2 \quad m_2 = ?, \quad \sigma * BR_2 = \sin^2 \alpha (\sigma * BR)_{SM,m2}$$

Based on arXiv:1304.0386 with C. Caillol, B. Clerbaux, S. Mollet

CMS Preliminary  $\sqrt{s} = 7 \text{ TeV}, L = 5.1 \text{ fb}^{-1}$   $\sqrt{s} = 8 \text{ TeV}, L = 12.2 \text{ fb}^{-1}$

search for  
2<sup>nd</sup> peak  
of Extra  
Singlet Model

95% CL limit on  $\sigma/\sigma_{\text{SM}}$



Current limit  
(approx  $2\sigma$ )  
from precision of  
125 GeV peak

Small caveat: BR o'sf 2<sup>nd</sup> peak are the same as SM, but width would be reduced by  $\sin^2 \alpha$

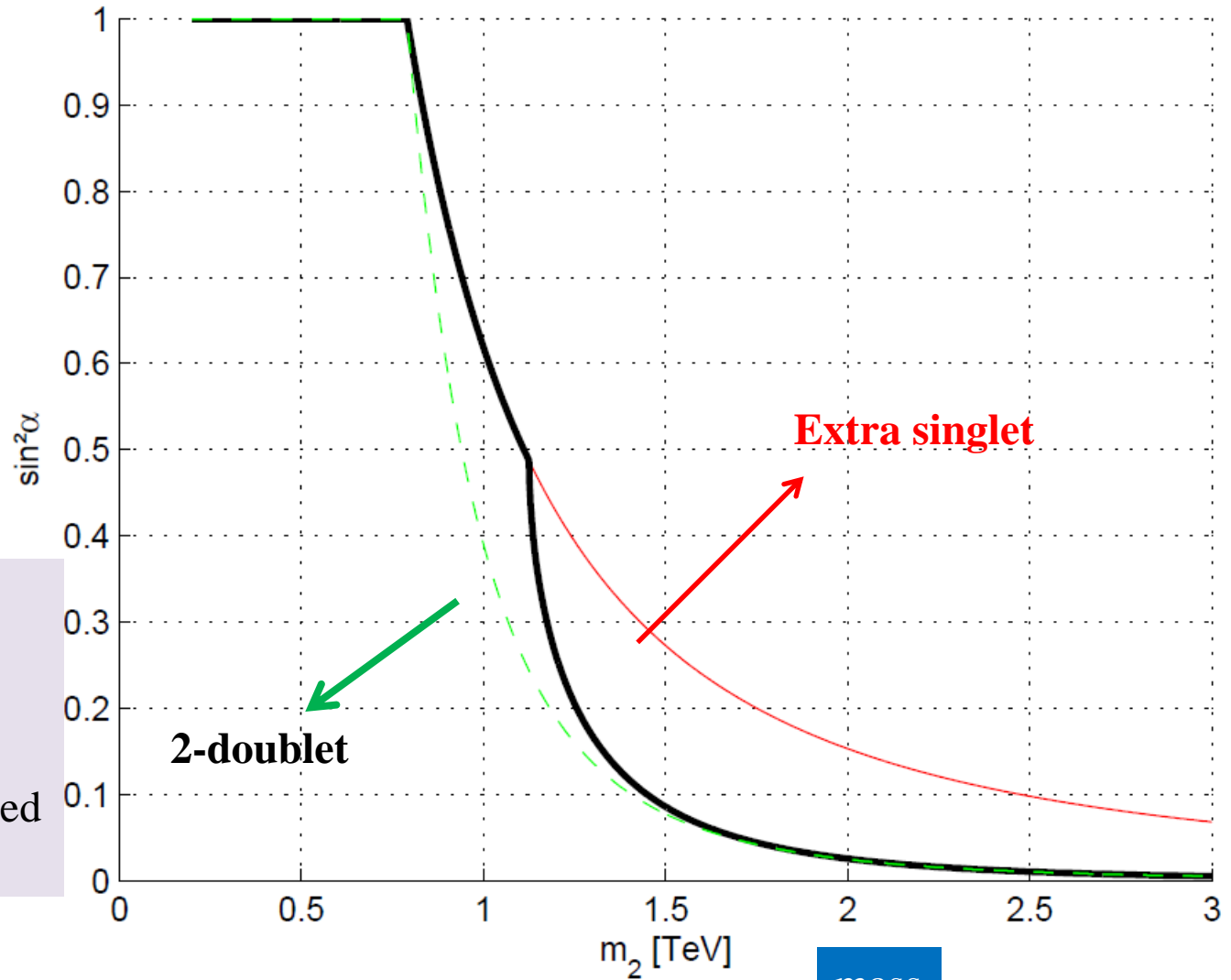
# Which mass range for which mixing?

Decoupling implies that mixing disappears when the mass of the new particles  $\rightarrow \infty$

Accuracy .....  $\sin^2 \alpha$

mixing

The extra singlet seems a bit unusual, as the limits on mixing fall off very slowly for instance when compared to 2 DM



mass

Constraints on  $\sigma^*BR(\text{Extra Singlet Model}) / \text{SM}$

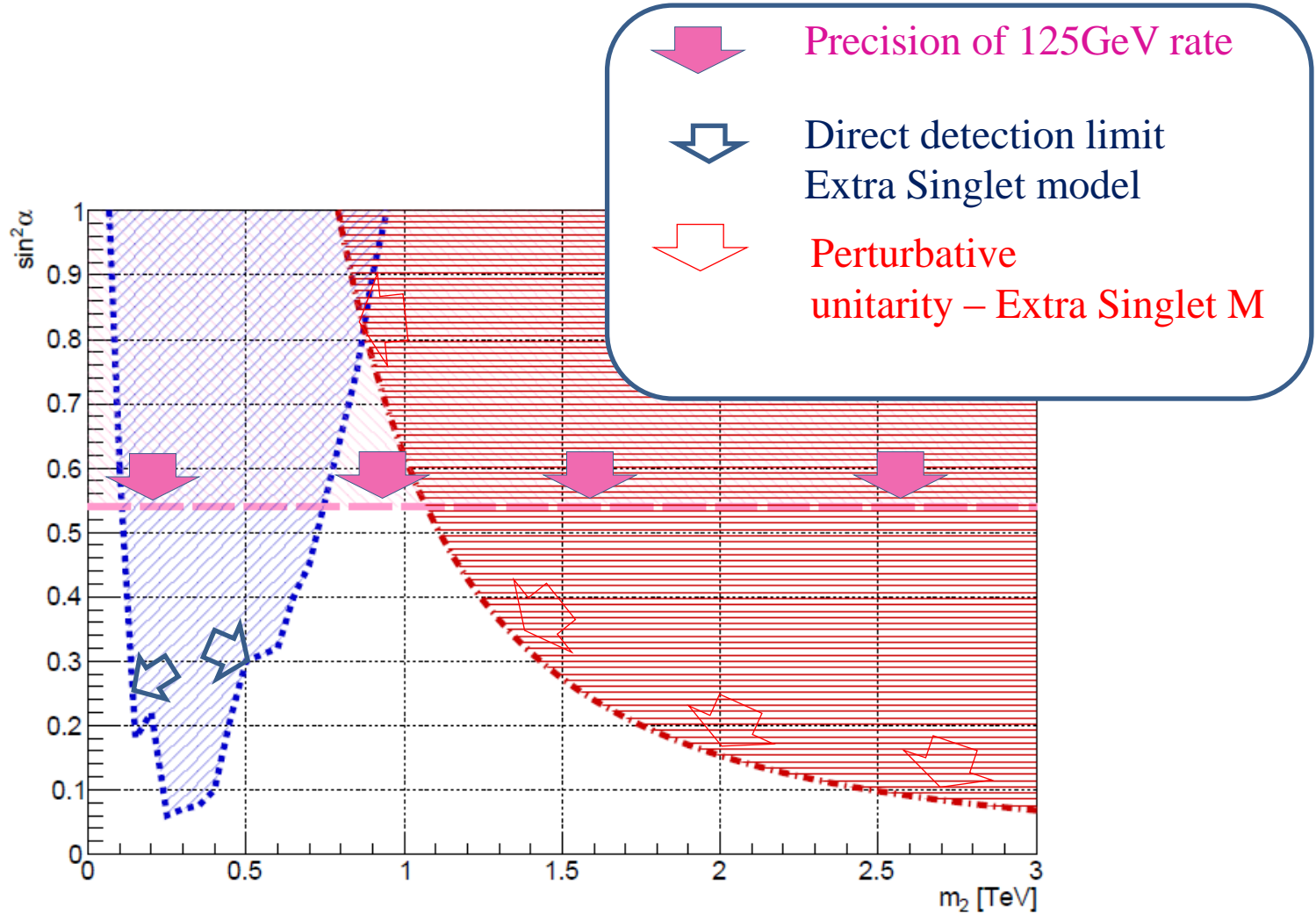
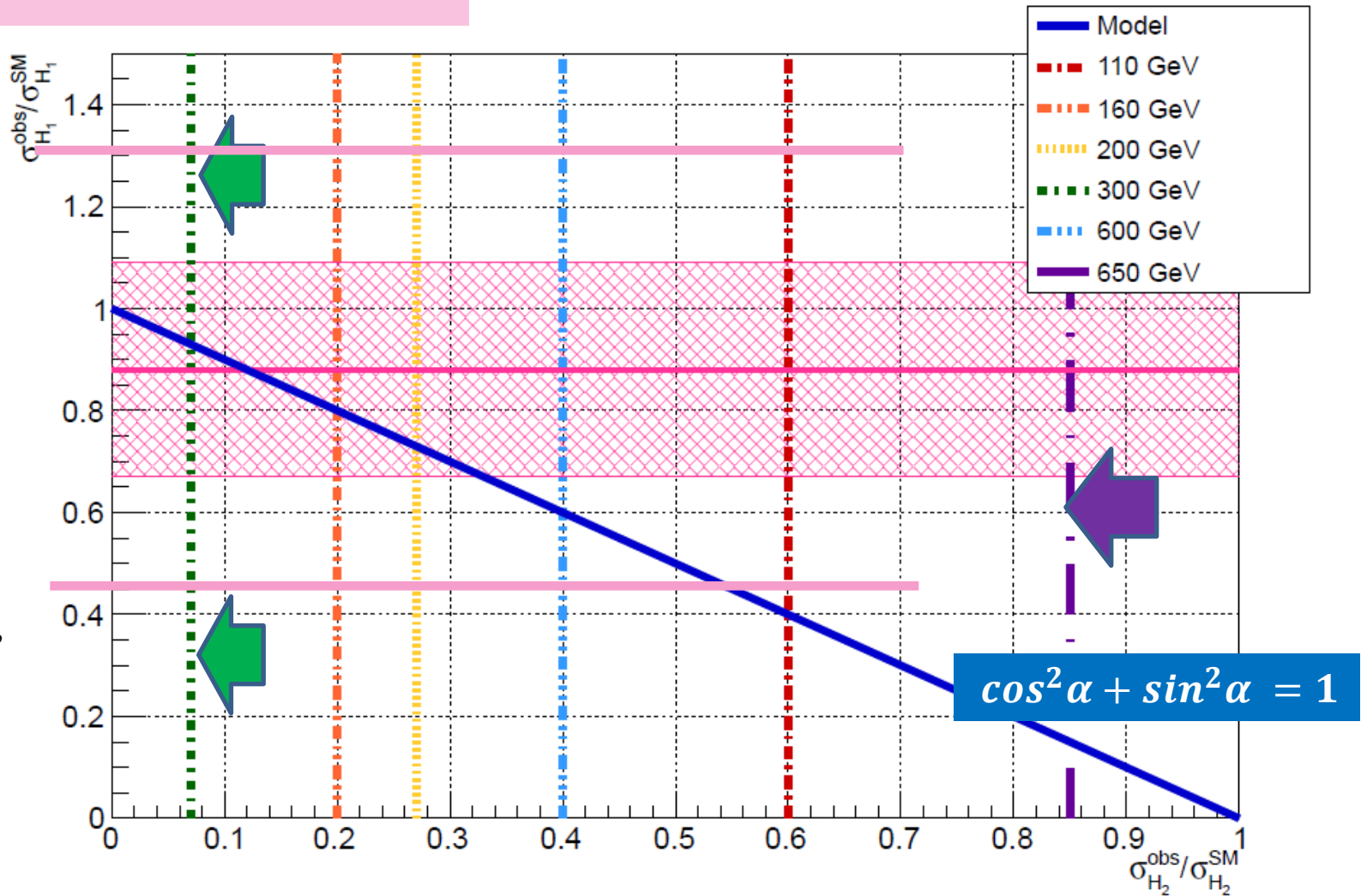


Figure 4: Comparison of the constraints on the mixing  $\sin^2 \alpha$  as a function of  $m_2$  in the ESM case. The graph shows the constraints from "perturbative unitarity" as discussed above, combined with "precision" constraints stemming from the 125GeV peak and "direct search" constraints, both inferred at "2  $\sigma$ ".

# Constraining the simplest model

Precision (measure of 125 GeV peak)  
 $\cos^2 \alpha$



CMS data;  
125 GeV  $1 \sigma$ ,  
limits at  $2\sigma$

For the moment, direct search wins,  
Except  $< 110 \text{ GeV}$  and  $> 600 \text{ GeV}$

Search for 2<sup>nd</sup> peak  $\sin^2 \alpha$

