


Identifying new quarks and leptons at LHC: the role of multi-lepton signals

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Corfu Summer Institute, September 3rd 2009

Why multi-leptons?

- ① Beyond new physics discovery: **Model discrimination**
 - Jet multiplicity \neq parton multiplicity
 - On the other hand, charged leptons (e, μ) are **clean objects**
 - Most convenient signal classification: lepton multiplicity
 - Leptons  leading role in model discrimination
 - Further classification: # of Z candidates, b jets
- ② Multi-lepton signals may provide early discoveries
 - Smaller backgrounds
 - Need less detector calibration

Why multi-leptons?

③ Multi-leptons originate from cascade decays in most NP models





- MSSM [ATLAS CSC book '09]
- Minimal seesaw I-III [Aguila, JAAS NPB '09]
- Heavy leptons (seesaw or not) [JAAS '09]
- Heavy quarks [JAAS '09]
- ...

What is in this talk

① Pair production of heavy leptons with special attention to seesaw

- Seesaw III, with heavy Majorana (M) or Dirac (D) neutrinos
- Seesaw I (M / D) plus a new Z' boson
- A lepton doublet ($N E$)

② Pair production of heavy quarks coupling to 3rd family

- Isosinglets T  charge $2/3$
- Isosinglets B  charge $-1/3$
- Isodoublets ($T B$)
- Isodoublets ($X T$)  X has charge $5/3$
- Isodoublets ($B Y$)  Y has charge $-4/3$

What is not in this talk

- ① Minimal seesaw I → Paco's talk
- ② Seesaw II → Paco's talk
- ③ $W' + N$ → easy discrimination from other models with new leptons
- ④ 4th generation → easy discrimination from models with vector-like quarks

Why seesaw?

SM neutrinos are massive

Three types of seesaw mechanism

- ① heavy neutrino singlets N
- ② a scalar triplet Δ
- ③ fermion triplets Σ

can yield an effective Majorana mass term for light neutrinos

$$(O_5)_{ij} = \frac{1}{\Lambda} \overline{L_{iL}^c} \tilde{\phi}^* \tilde{\phi}^\dagger L_{jL}$$

upon integration of heavy fields N , Δ or Σ

Seesaw most popular, but alternative mechanisms also possible...

Why LHC?

Large colliders offer the **best hope** to probe the neutrino mass origin

- $\beta\beta 0\nu$ cannot reveal mechanism for ν mass generation
- If $\Lambda \sim \nu$, seesaw messengers N, Δ, Σ could be directly produced at colliders and indirect effects could be seen in dim 6 operators
- If $\Lambda \gg \nu$, indirect effects of seesaw not observed either

 ... and LHC startup is near

A new paradigm for seesaw at LHC

Old paradigm: like-sign dileptons for seesaw

Like-sign dileptons: **smoking gun** for heavy singlet N

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Like-sign dileptons: **smoking gun** for new $Q = 5/3$ quarks

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Like-sign dileptons: **smoking gun** for SUSY, of course!

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Like-sign dileptons: **smoking gun** for new $Q = 5/3$ quarks


Like-sign dileptons: **smoking gun** for SUSY, of course!

 **too much smoke, can't distinguish anything!**

A new paradigm for seesaw at LHC


New paradigm: multi-leptons for seesaw

Not all seesaw models involve heavy Majorana states

 in fact, heavy Dirac states at the TeV scale are often regarded as more natural [Kersten, Smirnov PRD '07]

like-sign dileptons are just a piece in the global puzzle

Signals with 2, 3 and 4 leptons discriminate among several models

 trilepton signals are always produced and in most cases have the highest statistical significance

Trileptons: the golden channel for seesaw at LHC

Lepton doublet production and decay

Heavy lepton isodoublet $L = (N E)^T$

☞ N is a Dirac fermion, mass term $\mathcal{L} = -m_D \bar{L}L$

Three production processes

[Aguila et al. NPB '90]

$$q\bar{q}' \rightarrow W^* \rightarrow E^\pm N$$

$$q\bar{q} \rightarrow Z^* / \gamma^* \rightarrow E^+ E^-$$

$$q\bar{q} \rightarrow Z^* \rightarrow N\bar{N}$$

Decays are different

[$E^- \rightarrow W^- \nu$	-]	100%
	$E^- \rightarrow Z l^-$	50%		
	$E^- \rightarrow H l^-$	50%		

[$N \rightarrow W^+ l^-$	-]	-
	$N \rightarrow Z \nu$	-		
	$N \rightarrow H \nu$	-		

☞ 6 channels + CC \otimes W, Z, H decays

N singlet pair production with Z'

Heavy Majorana or Dirac singlets N (seesaw I) with a Z'

Leptophobic Z'

[Aguila, JAAS JHEP '07]

but several similar models

[Blanchet et al. '09]

$$q\bar{q} \rightarrow Z' \rightarrow NN$$

M	$\begin{bmatrix} N \rightarrow W^+ l^- & 25\% \\ N \rightarrow W^- l^+ & 25\% \\ N \rightarrow Z \nu & 25\% \\ N \rightarrow H \nu & 25\% \end{bmatrix}$	D	$\begin{bmatrix} N \rightarrow W^+ l^- & 50\% \\ N \rightarrow Z \nu & 25\% \\ N \rightarrow H \nu & 25\% \end{bmatrix}$
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10 / 6 channels + CC \otimes W, Z, H decays

N singlet pair production with Z'

Note that branching ratio for $NN \rightarrow \ell^\pm \ell^\pm \ell^\mp + 2j$

$$(1/2 \times 1/2) \times (2/9 \times 6/9 \times 2) \simeq 0.074$$





is larger than for $NN \rightarrow \ell^\pm \ell^\pm + 4j$ for Majorana N

$$(1/4 \times 1/4 \times 2) \times (6/9 \times 6/9) \simeq 0.056$$

and backgrounds are much smaller!

Model discrimination

Important comments

- ① Several decay channels contribute to each final state:
Complete signal generation crucial  Triada
- ② Different final states tested  model discrimination
- ③ For discovery potential and model discrimination $e = \mu$
 sum e, μ in signals and backgrounds
- ④ Analyses quite generic, small cut optimisation
 adequate for model-independent NP searches
- ⑤ After discovery, separate $N \rightarrow eW, \mu W, \tau W$ and combine with neutrino oscillation data

Results

$$m_N = m_E = 300 \text{ GeV} \quad M_{Z'_\lambda} = 650 \text{ GeV}$$

Signals in many final states with 1 to 6 leptons

Only one triplet Σ / one doublet ($N E$) / one singlet N assumed for these numbers

Discovery luminosities, in fb^{-1}

	$\ell^\pm \ell^\pm \ell^\mp$ (no Z)	$\ell^\pm \ell^\pm \ell^\mp$ (Z)	$\ell^\pm \ell^\pm$ (no \cancel{p}_t)	$\ell^\pm \ell^\pm$ (\cancel{p}_t)	$\ell^+ \ell^+ \ell^- \ell^-$
Σ_M	3.3	25	2.1	3.5	6.6
Σ_D	1.5	17	–	1.8	1.8
EN_d	1.1	–	–	–	3.0
$Z'N_M$	2.1 P	–	2.3 P	13	–
$Z'N_D$	1.1 P	–	–	22	–

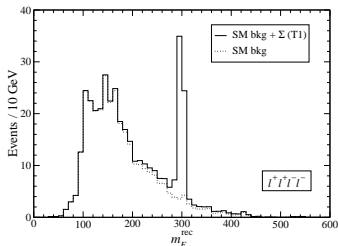
→ Easy model discrimination!

Results

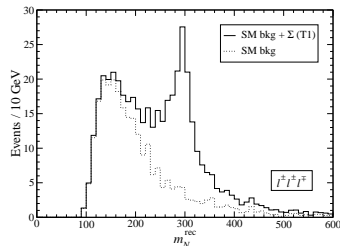
$m_{E,N} = 300 \text{ GeV}$

Synergy between channels for E, N discovery

$$\ell^+ \ell^+ \ell^- \ell^- \rightarrow m(\ell^+ \ell^- \ell^\pm) = m_E$$



$$\ell^\pm \ell^\pm \ell^\mp \rightarrow m(\ell^+ \ell^- p) = m_N$$



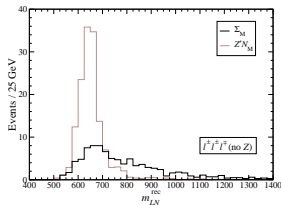
$\ell^+ \ell^+ \ell^- \ell^- \rightarrow$ Evidence of E production (resonance with charge ± 1)

$\ell^\pm \ell^\pm \ell^\mp \rightarrow$ Evidence of N production (resonance with charge 0)

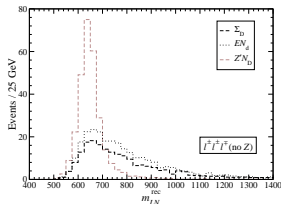
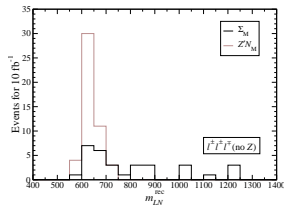
$\ell^\pm \ell^\pm \rightarrow$ N is Majorana (signal) or Dirac (no signal)

Results

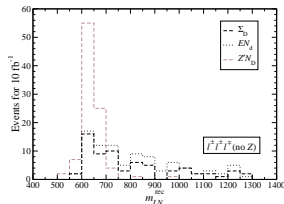
$$m_N = 300 \text{ GeV}, \quad M_{Z'_\lambda} = 650 \text{ GeV}$$

 Z' mass reconstruction ($l^\pm l^\pm l^\mp$)


10 fb⁻¹ →



10 fb⁻¹ →



Conclusions I

- ① Strategy designed for discovery of seesaw messengers and **model discrimination**
- ② Trilepton signals are the golden mode for seesaw searches but model identification relies on other multi-lepton signals
- ③ Approximate mass reach in trilepton channel for 100 fb^{-1} [▶ More](#)
 - Δ : 700 GeV (900 GeV) for NH (IH)
 - Lepton triplets: 675 (800) GeV for Σ_M (Σ_D)
 - Lepton doublets: 850 GeV
 - $Z' + N$: 850 GeV (1 TeV) for $Z'N_M$ ($Z'N_D$)

Heavy vector-like quark pair production

New quarks coupling to 3rd family can appear in many SM extensions and many $SU(2)_L \times U(1)_Y$ representations:

- vector-like singlets and doublets



$$T_{L,R} \quad B_{L,R} \quad (T B)_{L,R} \quad (X T)_{L,R} \quad (B Y)_{L,R}$$

- chiral (4th family)
- higher representations (triplets)

The discrimination among these possibilities is very easy at the Lagrangian level but Lagrangians are not directly observed at LHC

Heavy quark identification

Important comments

- ① All quarks produced by QCD, distinguished by decays
 single production $\propto V_{\text{mix}}^2$ ignored here
- ② Each decay must be identified in a suitable final state and distinguished from similar signals from other quarks
- ③ Quark charges determined in suitable decays
(*e.g.* with Z bosons)
- ④ 12 different final states tested for model discrimination
 four examples shown here

Heavy vector-like quark pair decays

$T_{L,R} , (T B)_{L,R}$

$$T \rightarrow W^+ b$$

$$T \rightarrow Z t \rightarrow Z W^+ b$$

$$T \rightarrow H t \rightarrow H W^+ b$$

$(X T)_{L,R}$

$$T \rightarrow Z t \rightarrow Z W^+ b$$

$$T \rightarrow H t \rightarrow H W^+ b$$

$(X T)_{L,R}$

$$X \rightarrow W^+ t \rightarrow W^+ W^+ b$$

$(B Y)_{L,R}$

$$Y \rightarrow W^- b$$

$(B Y)_{L,R}$

$$B \rightarrow Z b$$

$$B \rightarrow H b$$

$B_{L,R} , (T B)_{L,R}$

$$B \rightarrow W^- t \rightarrow W^- W^+ b$$

$$B \rightarrow Z b$$

$$B \rightarrow H b$$

$T\bar{T}, B\bar{B}, X\bar{X}, Y\bar{Y}$ production  signatures often similar

Quark identification

Each decay must be identified in a suitable final state and distinguished from similar signals from other quarks

Example: T, B singlets and $(T B)$ doublet in $\ell^\pm \ell^\pm \ell^\mp$ (Z) final state

$$\begin{aligned}
 T\bar{T} &\rightarrow Zt W^- \bar{b} \rightarrow ZW^+ b W^- \bar{b} & Z &\rightarrow \ell^+ \ell^-, WW \rightarrow \ell\nu q\bar{q}' \\
 T\bar{T} &\rightarrow Zt V\bar{t} \rightarrow ZW^+ b VW^- \bar{b} & Z &\rightarrow \ell^+ \ell^-, WW \rightarrow \ell\nu q\bar{q}', V \rightarrow q\bar{q}/\nu\bar{\nu} \\
 B\bar{B} &\rightarrow Zb W^+ \bar{t} \rightarrow Zb W^+ W^- \bar{b} & Z &\rightarrow \ell^+ \ell^-, WW \rightarrow \ell\nu q\bar{q}'
 \end{aligned}$$

(almost) same final state but different invariant mass peaks



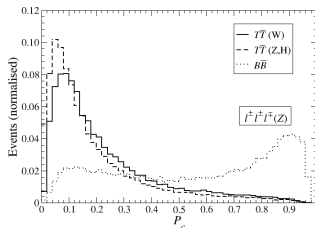
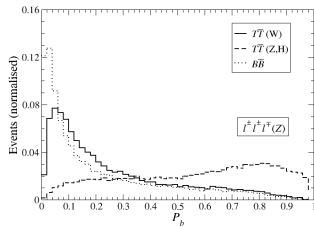
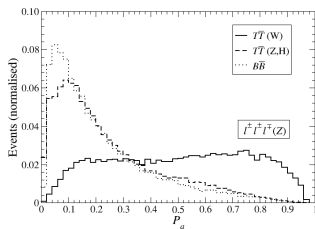
must use a probabilistic method based on kinematics to classify signals as $T\bar{T}$ or $B\bar{B}$ efficiently

[▶ More](#)

(the same for $\ell^+ \ell^-$ (Z) final state, with $WW \rightarrow q\bar{q}' q\bar{q}'$)

T, B quark identification

$$l^\pm l^\pm l^\mp (Z)$$



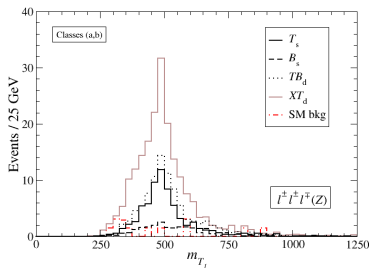
Classification

Class	$P_a >$	$P_b >$	$P_c >$
(a)	0.61	0.24	0.15
(b)	0.19	0.69	0.12
(c)	0.15	0.20	0.65

T, B quark identification

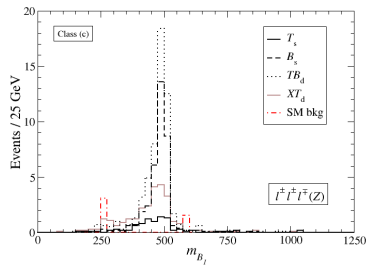
$$l^\pm l^\pm l^\mp (Z)$$

events classified as $T\bar{T}$



$T \rightarrow Zt$ established
 T has charge $2/3$

events classified as $B\bar{B}$

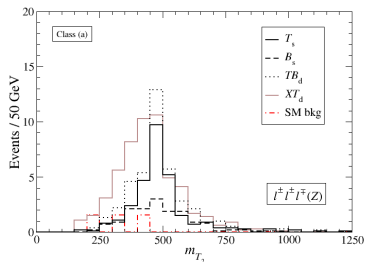


$B \rightarrow Zb$ established
 B has charge $-1/3$

T, B quark identification

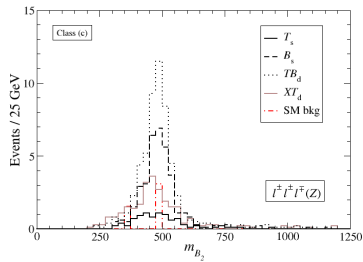
$$\ell^\pm \ell^\pm \ell^\mp (Z)$$

events classified as $T\bar{T}$ (a)



$T \rightarrow Wb$ established
 but better in ℓ^\pm (2b)

events classified as $B\bar{B}$

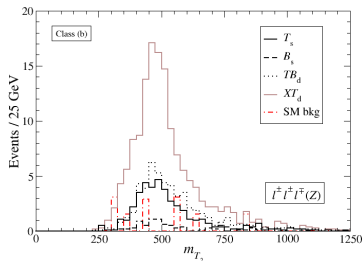


$B \rightarrow Wt$ established
 not ($B Y$)

T, B quark identification

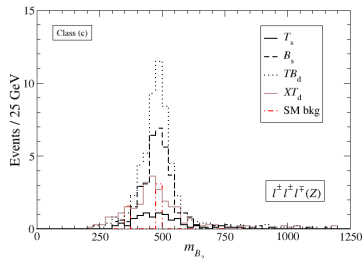
$$l^\pm l^\pm l^\mp (Z)$$

events classified as $T\bar{T}$ (b)



$T \rightarrow Vt$ ambiguous:
 need other channels


events classified as $B\bar{B}$



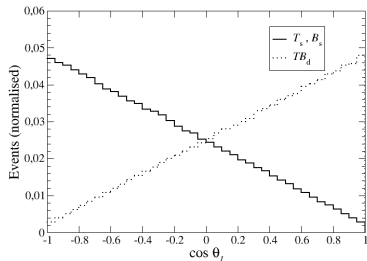
$B \rightarrow Wt$ established
 not ($B Y$)

T, B quark identification

$$\ell^\pm \ell^\pm \ell^\mp (Z)$$

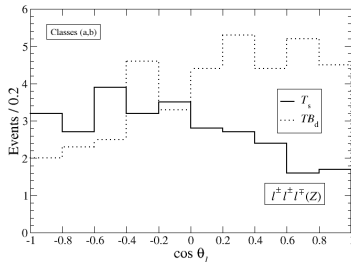
T, B or $(T B)$?  ℓ distribution in t rest frame

Theoretical



$P = \pm 0.91$, helicity axis

events classified as $T\bar{T}$

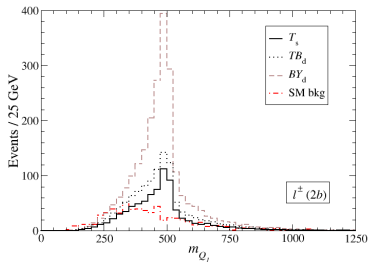


2.4 σ difference in A_{FB} for 30 fb $^{-1}$

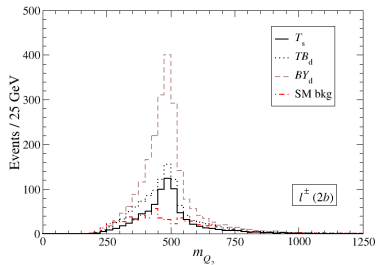
T, B, Y quark identification

$\ell^\pm (2b)$

$Q \rightarrow Wb, W$ hadronic



$Q \rightarrow Wb, W$ leptonic




Note: small signal for B and ($X T$)
 and much larger for ($B Y$)

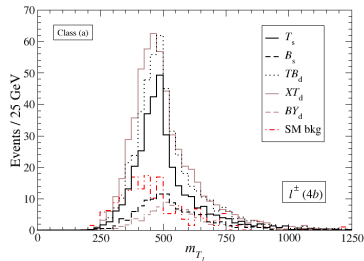
$Q \rightarrow Wb$ established
 Q charge $2/3, -4/3$

Discovery of $T \rightarrow Ht, B \rightarrow Hb$

$\ell^\pm (4b)$

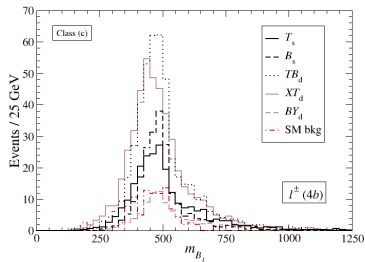
$T\bar{T}$ or $B\bar{B}$?  signal classification by kinematics

events classified as $T\bar{T}$ (a)



peak in $m(tH)$
 $T \rightarrow Ht$ established

events classified as $B\bar{B}$

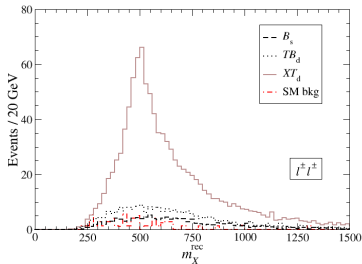


peak in $m(bH)$
 $B \rightarrow Hb$ established

X quark identification

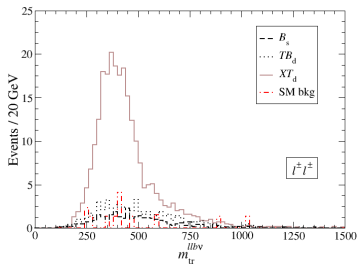
$l^\pm l^\pm$

$X \rightarrow Wt \rightarrow WWb$
 WW hadronic



X charge $-1/3, 5/3$

$X \rightarrow Wt \rightarrow WWb$
 WW leptonic



\bar{X} charge $-5/3, -7/3$

Summary: final states analysed

Discovery luminosities in fb^{-1}		$m_Q = 500 \text{ GeV}$				
		T_s	B_s	TB_d	XT_d	BY_d
$\ell^+\ell^+\ell^-\ell^-$	(ZZ)	–	24	18	23	10
$\ell^+\ell^+\ell^-\ell^-$	(Z)	11	14	5.7	3.3	50
$\ell^+\ell^+\ell^-\ell^-$	(no Z)	35	25	11	3.5	–
$\ell^\pm\ell^\pm\ell^\mp$	(Z)	3.4	3.4	1.1	0.72	26
$\ell^\pm\ell^\pm\ell^\mp$	(no Z)	11	3.5	1.1	0.25	–
$\ell^\pm\ell^\pm$		17	4.1	1.5	0.23	–
$\ell^+\ell^-$	(Z)	22	4.5	2.4	4.4	1.8
$\ell^+\ell^-$	(Z, 4b)	–	–	30	–	9.2
$\ell^+\ell^-$	(no Z)	2.7	9.3	0.83	1.1	0.87
ℓ^\pm	(2b)	1.1	–	0.60	–	0.18
ℓ^\pm	(4b)	0.70	1.9	0.25	0.16	6.2
ℓ^\pm	(6b)	11	–	9.4	2.7	–

Summary: roadmap to quark identification

- ★ T singlet and $T \in (T B)$
 - discovered in ℓ^\pm (4b)
 - identified in ℓ^\pm (2b) and $\ell^\pm \ell^\pm \ell^\mp$ (Z)
- ★ $T \in (X T)$
 - discovered in ℓ^\pm (4b), enhanced signal
 - no signal in ℓ^\pm (2b)
 - enhanced signal in $\ell^\pm \ell^\pm \ell^\mp$ (Z)
- ★ $X \in (X T)$
 - discovered in $\ell^\pm \ell^\pm$ and $\ell^\pm \ell^\pm \ell^\mp$ (no Z)
 - also visible in $\ell^+ \ell^+ \ell^- \ell^-$ (no Z)

Summary: roadmap to quark identification

- ★ B singlet and $B \in (T B)$
 - discovered in ℓ^\pm ($4b$)
 - identified in $\ell^\pm \ell^\pm \ell^\mp$ (Z)
 - further evidence from $\ell^\pm \ell^\pm \ell^\mp$ (no Z)
- ★ $B \in (B Y)$
 - discovered in $\ell^+ \ell^-$ (Z), enhanced signal
 - does not give $\ell^\pm \ell^\pm \ell^\mp$ (Z , no Z)
 - enhanced $\ell^+ \ell^+ \ell^- \ell^-$ (ZZ)
- ★ $Y \in (B Y)$
 - discovered in ℓ^\pm ($2b$), enhanced signal
 - further evidence from enhanced $\ell^+ \ell^-$ (no Z)
 - signals with Z absent

Conclusions II

- ① Strategy designed for identification of top partners: vector-like quarks coupling to the third generation
- ② Single lepton signals are best for discovery
but quark identification requires multi-lepton signals
- ③ Approximate mass reach for 100 fb^{-1}
 - 800 GeV for T
 - 720 GeV for B
 - 850 GeV for $(T B)$
 - 900 GeV for $(X T)$
 - 820 GeV for $(B Y)$

▶ More

Final remarks

- ① Discovering event excesses at LHC is not enough:
we want to identify the new physics giving the signals
- ② Identifying a model is much harder than discovering a signal
in one's favourite channel
- ③ With LHC start approaching, a strategy is necessary to extract
the best of data as soon as possible
 - a guide to identify particles
 - a list of their possible signatures
 - a guide of final states to examine if some signal is seen
- ④ The usefulness of this analysis is to provide such guide
for new quarks and leptons

Minimal seesaw III

The Lagrangian

Triplets Σ_i contain a charged lepton E_i^- and a Majorana N_i

They have Yukawa interactions with SM leptons

$$-Y_{ij} \bar{L}'_{iL} (\vec{\Sigma}_j \cdot \vec{\tau}) \tilde{\phi} \xrightarrow{\langle \phi^0 \rangle = v/\sqrt{2}} -\frac{v}{\sqrt{2}} Y_{ij} \bar{\nu}'_{iL} N'_{jR}$$

and a Majorana mass term

$$-\frac{1}{2} M_{ij} \overline{\Sigma}_i^c \cdot \vec{\Sigma}_j \longrightarrow -\frac{1}{2} M_{ij} \overline{N}'_{iR} N'_{jR}$$

E, N have small mixing $\sim 10^{-6}$ with the SM leptons l, ν

but unsuppressed gauge interactions with W, Z, γ

◀ Back

Dirac variant of seesaw III

The Lagrangian

Alternative: degenerate triplets Σ_1, Σ_2 form (quasi-)Dirac triplet and lepton number is (approximately) conserved

two (quasi-)degenerate neutrinos N_1, N_2 with $Y_{IN_2} = iY_{IN_1}$
opposite CP parities

$$\left\{ N_{1R}, N_{2R} \right\} \longrightarrow N_L \equiv \frac{1}{\sqrt{2}}(N_{1R}^c + iN_{2R}^c) \quad N_R \equiv \frac{1}{\sqrt{2}}(N_{1R} + iN_{2R})$$
$$\left\{ \begin{array}{l} E_{1L}, E_{1R} \\ E_{2L}, E_{2R} \end{array} \right\} \longrightarrow \begin{array}{ll} E_{1L}^- \equiv \frac{1}{\sqrt{2}}(E_{1L} + iE_{2L}) & E_{1R}^- \equiv \frac{1}{\sqrt{2}}(E_{1R} + iE_{2R}) \\ E_{2L}^+ \equiv \frac{1}{\sqrt{2}}(E_{1R}^c + iE_{2R}^c) & E_{2R}^+ \equiv \frac{1}{\sqrt{2}}(E_{1L}^c + iE_{2L}^c) \end{array}$$

N neutral; E_1^- and E_2^+ charged Dirac fermions

◀ Back

The Lagrangian – weak basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \bar{u}'_{Li} \gamma^\mu d'_{Li} W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} [\bar{u}'_{Li} \gamma^\mu u'_{Li} - 2s_W^2 J_{EM}^\mu] Z_\mu$$

$$\mathcal{L}_Y = -Y_{i\beta}^u \bar{q}'_{Li} u'_{R\beta} \tilde{\phi} + \text{H.c.}$$

$$\mathcal{L}_{\text{bare}} = -M \bar{u}'_{L4} u'_{R4} + \text{H.c.}$$

The Lagrangian – mass eigenstate basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \bar{u}_{L\alpha} \gamma^\mu V_{\alpha j} d_{Lj} W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} [\bar{u}_{L\alpha} \gamma^\mu X_{\alpha\beta} u_{L\beta} - 2s_W^2 J_{\text{EM}}^\mu] Z_\mu$$

$$\mathcal{L}_H = -\frac{g}{2M_W} [\bar{u}_{L\alpha} X_{\alpha\beta} m_\beta^u u_{R\beta} + \bar{u}_{R\alpha} m_\alpha^u X_{\alpha\beta} u_{L\beta}] H$$

The Lagrangian – weak basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \bar{u}'_{Li} \gamma^\mu d'_{Li} W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} [-\bar{d}'_{Li} \gamma^\mu d'_{Li} - 2s_W^2 J_{EM}^\mu] Z_\mu$$

$$\mathcal{L}_Y = -Y_{i\beta}^d \bar{q}'_{Li} d'_{R\beta} \phi + \text{H.c.}$$

$$\mathcal{L}_{\text{bare}} = -M \bar{d}'_{L4} d'_{R4} + \text{H.c.}$$

The Lagrangian – mass eigenstate basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \bar{u}_{Li} \gamma^\mu \mathbf{V}_{i\beta} d_{L\beta} W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} \left[-\bar{d}_{L\alpha} \gamma^\mu \mathbf{X}_{\alpha\beta} d_{L\beta} - 2s_W^2 J_{\text{EM}}^\mu \right] Z_\mu$$

$$\mathcal{L}_H = -\frac{g}{2M_W} \left[\bar{d}_{L\alpha} \mathbf{X}_{\alpha\beta} m_\beta^d d_{R\beta} + \bar{d}_{R\alpha} m_\alpha^d \mathbf{X}_{\alpha\beta} d_{L\beta} \right] H$$

The Lagrangian – weak basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} [\bar{u}'_{L\alpha} \gamma^\mu d'_{L\alpha} + \bar{u}'_{R4} \gamma^\mu d'_{R4}] W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} [\bar{u}'_{L\alpha} \gamma^\mu u'_{L\alpha} + \bar{u}'_{R4} \gamma^\mu u'_{R4} - \bar{d}'_{L\alpha} \gamma^\mu d'_{L\alpha} - \bar{d}'_{R4} \gamma^\mu d'_{R4} - 2s_W^2 J_{\text{EM}}^\mu] Z_\mu$$

$$\mathcal{L}_Y = -Y_{\alpha j}^u \bar{q}'_{L\alpha} u'_{Rj} \tilde{\phi} - Y_{\alpha j}^d \bar{q}'_{L\alpha} d'_{Rj} \phi + \text{H.c.}$$

$$\mathcal{L}_{\text{bare}} = -M \bar{q}'_{L4} q'_{R4} + \text{H.c.}$$

The Lagrangian – mass eigenstate basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \left[\bar{u}_{Li} \gamma^\mu V_{ij}^L d_{Lj} + \bar{T}_L \gamma^\mu B_L + \bar{u}_{R\alpha} \gamma^\mu V_{\alpha\beta}^R d_{R\beta} \right] W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} \left[\bar{u}_{L\alpha} \gamma^\mu u_{L\alpha} + \bar{u}_{R\alpha} \gamma^\mu X_{\alpha\beta}^u u_{R\beta} \right. \\ \left. - \bar{d}_{L\alpha} \gamma^\mu d_{L\alpha} - \bar{d}_{R\alpha} \gamma^\mu X_{\alpha\beta}^d d_{R\beta} - 2s_W^2 J_{\text{EM}}^\mu \right] Z_\mu$$

$$\mathcal{L}_H = -\frac{g}{2M_W} \left[\bar{u}_{L\alpha} m_\alpha^u (\delta_{\alpha\beta} - X_{\alpha\beta}^u) u_{R\beta} + \bar{u}_{R\alpha} (\delta_{\alpha\beta} - X_{\alpha\beta}^u) m_\beta^u u_{L\beta} \right. \\ \left. + \bar{d}_{L\alpha} m_\alpha^d (\delta_{\alpha\beta} - X_{\alpha\beta}^d) d_{R\beta} + \bar{d}_{R\alpha} (\delta_{\alpha\beta} - X_{\alpha\beta}^d) m_\beta^d d_{L\beta} \right] H$$

The Lagrangian – weak basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} [\bar{u}'_{Li} \gamma^\mu d'_{Li} + \bar{X}_L \gamma^\mu u'_{L4} + \bar{X}_R \gamma^\mu u'_{R4}] W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} [\bar{u}'_{Li} \gamma^\mu u'_{Li} - \bar{u}'_{L4} \gamma^\mu u'_{L4} - \bar{u}'_{R4} \gamma^\mu u'_{R4} + \bar{X} \gamma^\mu X - 2s_W^2 J_{\text{EM}}^\mu] Z_\mu$$

$$\mathcal{L}_Y = -Y_{ij}^u \bar{q}'_{Li} u'_{Rj} \tilde{\phi} - Y_{4j}^u (\bar{X}_L \bar{u}'_{L4}) u'_{Rj} \phi + \text{H.c.}$$

$$\mathcal{L}_{\text{bare}} = -M (\bar{X}_L \bar{u}'_{L4}) \begin{pmatrix} X_R \\ u'_{R4} \end{pmatrix} + \text{H.c.}$$

The Lagrangian – mass eigenstate basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \left[\bar{u}_{Li} \gamma^\mu \mathbf{V}_{ij}^L d_{Lj} + \bar{X}_L \gamma^\mu T_L + \bar{X}_R \gamma^\mu \mathbf{V}_{4\beta}^R u_{R\beta} \right] W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} \left[\bar{u}_{Li} \gamma^\mu u_{Li} - \bar{T}_L \gamma^\mu T_L - \bar{u}_{R\alpha} \gamma^\mu \mathbf{X}_{\alpha\beta} u_{R\beta} + \bar{X} \gamma^\mu X \right. \\ \left. - 2s_W^2 J_{\text{EM}}^\mu \right] Z_\mu$$

$$\mathcal{L}_H = -\frac{g}{2M_W} \left[\bar{u}_{L\alpha} m_\alpha^u (\delta_{\alpha\beta} - \mathbf{X}_{\alpha\beta}) u_{R\beta} + \bar{u}_{R\alpha} (\delta_{\alpha\beta} - \mathbf{X}_{\alpha\beta}) m_\beta^u u_{L\beta} \right] H$$

The Lagrangian – weak basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} [\bar{u}'_{Li} \gamma^\mu d'_{Li} + \bar{d}'_{L4} \gamma^\mu Y_L + \bar{d}'_{R4} \gamma^\mu Y_R] W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} [-\bar{d}'_{Li} \gamma^\mu d'_{Li} + \bar{d}'_{L4} \gamma^\mu d'_{L4} + \bar{d}'_{R4} \gamma^\mu d'_{R4} - \bar{Y} \gamma^\mu Y - 2s_W^2 J_{\text{EM}}^\mu] Z_\mu$$

$$\mathcal{L}_Y = -Y_{ij}^d \bar{q}'_{Li} d'_{Rj} \phi - Y_{4j}^d (\bar{d}'_{L4} \bar{Y}_L) d'_{Rj} \tilde{\phi} + \text{H.c.}$$

$$\mathcal{L}_{\text{bare}} = -M (\bar{d}'_{L4} \bar{Y}_L) \begin{pmatrix} d'_{R4} \\ X_R \end{pmatrix} + \text{H.c.}$$

The Lagrangian – mass eigenstate basis

$$\mathcal{L}_W = -\frac{g}{\sqrt{2}} \left[\bar{u}_{Li} \gamma^\mu \mathbf{V}_{ij}^L d_{Lj} + \bar{B}_L \gamma^\mu Y_L + \bar{d}_{R\alpha} \gamma^\mu \mathbf{V}_{\alpha 4}^R Y_R \right] W_\mu^+ + \text{H.c.}$$

$$\mathcal{L}_Z = -\frac{g}{2c_W} \left[-\bar{d}_{Li} \gamma^\mu d_{Li} + \bar{B}_L \gamma^\mu B_L + \bar{d}_{R\alpha} \gamma^\mu \mathbf{X}_{\alpha\beta} d_{R\beta} - \bar{Y} \gamma^\mu Y \right. \\ \left. - 2s_W^2 J_{\text{EM}}^\mu \right] Z_\mu$$

$$\mathcal{L}_H = -\frac{g}{2M_W} \left[\bar{d}_{L\alpha} m_\alpha^d (\delta_{\alpha\beta} - \mathbf{X}_{\alpha\beta}) d_{R\beta} + \bar{d}_{R\alpha} (\delta_{\alpha\beta} - \mathbf{X}_{\alpha\beta}) m_\beta^d d_{L\beta} \right] H$$

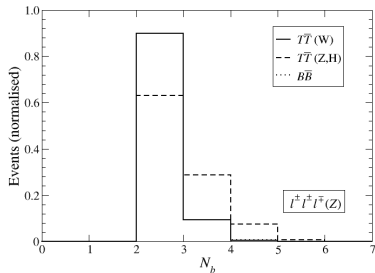
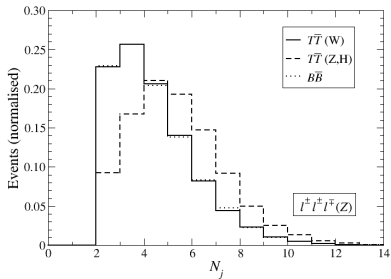
	Pre.	Sel.	Peak		Pre.	Sel.	Peak
$E^+E^- (\Sigma_M)$	58.1	26.3	5.7	$E^+E^- (EN_d)$	38.3	23.7	5.4
$E^\pm N (\Sigma_M)$	269.2	192.2	86.3	$E^\pm N (EN_d)$	393.2	355.1	183.8
$E_1^+E_1^- (\Sigma_D)$	127.2	80.9	20.0	$NN (EN_d)$	164.4	155.7	87.8
$E_2^+E_2^- (\Sigma_D)$	0.0	0.0	0.0	$E^+E^- (E_s)$	8.2	3.1	0.7
$E_1^\pm N (\Sigma_D)$	502.1	370.2	181.9	$NN (Z'N_M)$	311.0	252.6	143.2
$E_2^\pm N (\Sigma_D)$	36.1	28.1	3.3	$NN (Z'N_D)$	576.2	481.9	285.5
$t\bar{t}nj$	236	156	0	$WZnj$	1540	38	2
$Wt\bar{t}nj$	54	47	6	$ZZnj$	86	5	0
$Zt\bar{t}nj$	151	20	3	$WWWnj$	17	12	3

$p_T > 30$ GeV ($\ell^\pm \ell^\pm$) $p_T > 10$ GeV (ℓ^\mp) 2 jets $p_T > 20$ GeV

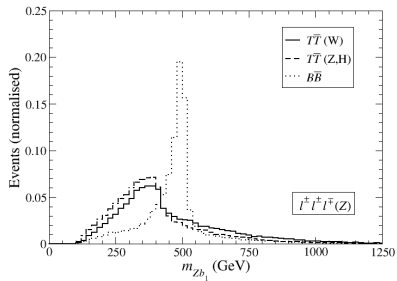
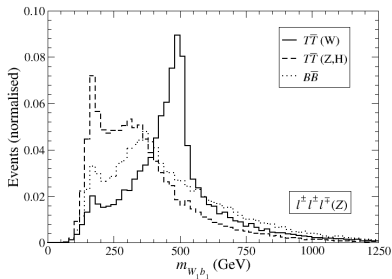
$|m_{\ell^+\ell^-} - M_Z| > 10$ GeV

	Pre.	Sel.	Peak		Pre.	Sel.	Peak
$E^+ E^- (\Sigma_M)$	21.7	1.6	0.3	$E^+ E^- (EN_d)$	10.5	1.2	0.3
$E^\pm N (\Sigma_M)$	658.0	240.0	144.8	$E^\pm N (EN_d)$	111.8	6.2	1.9
$E_1^+ E_1^- (\Sigma_D)$	25.6	4.2	0.7	$NN (EN_d)$	47.7	1.9	0.8
$E_2^+ E_2^- (\Sigma_D)$	0.0	0.0	0.0	$E^+ E^- (E_s)$	2.5	0.0	0.0
$E_1^\pm N (\Sigma_D)$	174.4	9.4	2.7	$NN (Z'N_M)$	433.5	202.1	132.0
$E_2^\pm N (\Sigma_D)$	472.0	2.9	0.9	$NN (Z'N_D)$	206.0	8.1	3.1
$\bar{t}t n j$	1412	194	7	$WW n j$	245	15	3
tW	96	6	0	$WZ n j$	1056	24	1
$W\bar{t}t n j$	184	12	1	$ZZ n j$	110	7	1

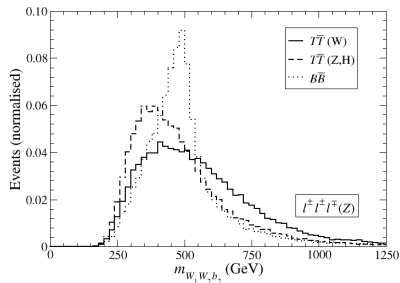
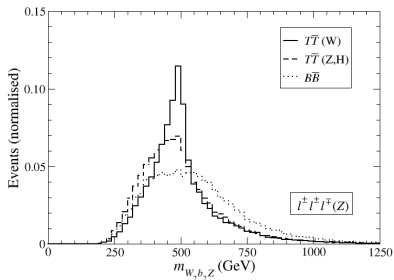
$p_T > 30 \text{ GeV} (\ell^\pm \ell^\pm)$ $\cancel{p}_t < 30 \text{ GeV}$ 4 jets $p_T > 20 \text{ GeV}$



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Comparison with MSSM

MSSM → multi-leptons

Multi-lepton signals with large missing energy can be produced in mSUGRA when gauginos are light ($m_{1/2}$ small)

(other SUSY scenarios: photons, long-lived particles ...)

Inclusive analysis based on lepton multiplicities [ATLAS CSC book] reveals which are the most characteristic signatures in sample points

model discrimination 

in mSUGRA signals with 0/1 lepton are the most significant ones in contrast with seesaw I–III where they are irrelevant

Comparison with MSSM

Significance with 1 fb^{-1}

	$M_1 + M_2$	0ℓ	ℓ^\pm	$\ell^+\ell^-$	$\ell^\pm\ell^\pm$	$\ell^\pm\ell^\pm\ell^\mp$
Δ (NH)	300 + 300	–	–	1.9	2.2	4.2
Δ (IH)	300 + 300	–	–	1.1	3.1	8.3
Σ (M)	300 + 300	–	–	1.4	(5.0)	3.9
Σ (D)	300 + 300	–	–	4.7	–	6.2
mSUGRA (SU1)	264 + 262	6.3	18.0	6.9	7.2	1.3
mSUGRA (SU2)	160 + 149	0.9	6.0	1.07	1.9	2.7
mSUGRA (SU3)	219 + 218	13	17.7	11.5	7.7	11.5
mSUGRA (SU4)	113 + 113	25	33.7	24.7	19.9	24.4



with same M , multi-lepton signals larger in seesaw II, III

Note: seesaw signals not optimised (scaled from 30 fb^{-1} analysis)

Comparison with 4th generation

Indirect data prefer $m_{t'} - m_{b'} = 60 \text{ GeV}$

t' decay $\left[\begin{array}{ll} \text{either} & t' \rightarrow W^+ b \quad \text{☞} \quad t' \rightarrow Zt \text{ absent, no } B \\ \text{or} & t' \rightarrow W^+ b' \quad \text{☞} \quad \text{not present for singlets} \end{array} \right.$

b' decay $b' \rightarrow W^- t \quad \text{☞} \quad b' \rightarrow Zb \text{ absent}$